

NON-NUMERICAL APPLICATIONS OF COMPUTER
PROGRAMMING IN THE CONSTRUCTION OF
PROBLEM ORIENTED LANGUAGES

Lawrence Bruce Elliott

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THESIS

NON-NUMERICAL APPLICATIONS OF COMPUTER
PROGRAMMING IN THE CONSTRUCTION OF
PROBLEM ORIENTED LANGUAGES

by

Lawrence Bruce Elliott

December 1979

Thesis Advisor:

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SECURITY CLASSIFICATION OF THIS PAGE (When Data Entered)

REPORT DOCUMENTATION PAGE		READ INSTRUCTIONS BEFORE COMPLETING FORM
1. REPORT NUMBER	2. GOVT ACCESSION NO.	3. RECIPIENT'S CATALOG NUMBER
4. TITLE (and Subtitle) Non-Numerical Applications of Computer Programming in the Construction of Problem Oriented Languages		5. TYPE OF REPORT & PERIOD COVERED Master's & Engineer's Thesis; December 1979
7. AUTHOR(s) Lawrence Bruce Elliott		6. PERFORMING ORG. REPORT NUMBER
9. PERFORMING ORGANIZATION NAME AND ADDRESS Naval Postgraduate School Monterey, CA 93940		8. CONTRACT OR GRANT NUMBER(s)
11. CONTROLLING OFFICE NAME AND ADDRESS Naval Postgraduate School Monterey, CA 93940		10. PROGRAM ELEMENT, PROJECT, TASK AREA & WORK UNIT NUMBERS
14. MONITORING AGENCY NAME & ADDRESS (if different from Controlling Office)		12. REPORT DATE December 1979
		13. NUMBER OF PAGES 138
		15. SECURITY CLASS. (of this report)
		15a. DECLASSIFICATION/DOWNGRADING SCHEDULE
16. DISTRIBUTION STATEMENT (of this Report) Approved for public release; distribution unlimited.		
17. DISTRIBUTION STATEMENT (of the abstract entered in Block 20, if different from Report)		
18. SUPPLEMENTARY NOTES		
19. KEY WORDS (Continue on reverse side if necessary and identify by block number) Computer Programming, Problem Oriented Language, Linear Algebra, Finite Element Analysis		
20. ABSTRACT (Continue on reverse side if necessary and identify by block number) A discussion of several non-numerical techniques that are useful in FORTRAN programming is presented. The use of these techniques is then illustrated with a problem oriented language called CAL-NPS. This last program is a derivation of a code named CAL written by Professor E. L. Wilson of the University of California, Berkeley, California.		

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Non-Numerical Applications
of Computer Programming in the
Construction of Problem Oriented Languages

by

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Submitted in partial fulfillment of the requirements for the
degree of

MASTER OF SCIENCE IN MECHANICAL ENGINEERING
and the degree of
MECHANICAL ENGINEER

from the Naval Postgraduate School
December 1979

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ABSTRACT

A discussion of several non-numerical techniques that are useful in FORTRAN programming is presented. The use of these techniques is then illustrated with a problem oriented language called CAL-NPS. This last program is a derivation of a code named CAL written by Professor E. L. Wilson of the University of California, Berkeley, California.

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I. INTRODUCTION

In writing Problem Oriented Computer Languages several non numerical applications of computer programming must be mastered and the literature about such activities is nearly nil for the FORTRAN language. It is to these problems that this work addresses itself. The professional programmer would probably elect to write these codes in machine language but the user who only knows FORTRAN cannot afford time to learn the various machine languages in use today. All of the features discussed below are programmable in FORTRAN and illustrations are given in each use.

The CAL language is then used to illustrate how these features are incorporated in a problem oriented language. The CAL program was developed by Professor Edward L. Wilson of the University of California, Berkeley, California, for Structural Mechanics and Structural Engineering.

CAL combines matrix manipulation routines with direct stiffness computation options to produce a program for the automated analysis of structures. CAL also has significant capabilities as an instructional tool in linear algebra.

In order to use any structural analysis program it is necessary to idealize the structure into a series of joints connected by structural members. The joints are commonly referred to as nodal points and the structural members as elements. The program input consists of:

- a) nodal point locations;
- b) information on how nodes are connected;
- c) boundary conditions that are applied to the nodes;
- d) properties of the elements;
- e) the loading to be analyzed.

The program output, at a minimum, consists of nodal point

deflection values and normally includes nodal forces and/or element stress values. CAL breaks this procedure down into a series of simple steps under the control of the user. It was designed to execute rapidly on small problems, so students can quickly see results of an analysis. There are options which allow the user to debug data without printing previously obtained results. Looping operations are also available. This allows a user to program iterative numerical algorithms, greatly expanding the usefulness of the program. In this version, CAL will solve problems with about 50 degrees of freedom (DOF).

The primary aim of the thesis work presented here was to modify CAL for use on the IBM 360/67 computer at the Naval Postgraduate School (NPS). The NPS version of CAL has both interactive and batch operating modes, and is nearly machine independent.

Most of this thesis effort was not involved in the numerical procedures used for calculations, but rather in the non-numerical areas of data input and processing. For this reason, numerical procedures will not be discussed. Subsequent chapters will provide:

- a) a substantive discussion of some non-numerical techniques useful in writing scientific programs such as CAL;
- b) a discussion of the internal organization of CAL-NPS;
- c) instructions for the implementation of CAL on a different computer.

The appendices contain a listing of the FORTRAN code and an Instruction Manual for CAL-NPS.

Modifications to the program were carefully made to avoid changes in the instruction manual written by Professor Wilson. Ten commands have been added and three commands

have been extended for more flexibility in the interactive use of the program. The original instruction manual has been modified to reflect these changes and is reproduced in Appendix B. The author gratefully acknowledges Professor Wilson's permission to use the manual.

The non-numerical techniques discussed in Chapter II are this author's effort to explain how several state-of-the-art programming techniques work. It is hoped that readers will find this section beneficial in their own programming efforts. The CAL organization discussed in Chapter III is an excellent outline for general scientific programs. Additionally, Chapter III provides details for writing user supplied subroutines. For readers who are interested only in how to use CAL, Chapter II and IV may be omitted.

II. NON-NUMERICAL TECHNIQUES IN FORTRAN

Chapter II is used to discuss FORTRAN programming techniques for writing general scientific programs. The reader is assumed to have some familiarity with the FORTRAN language and computer programming (i.e., completed CS2700 FORTRAN Programming or equivalent at NPS). After introductory remarks on the attributes of a scientific program, dynamic dimensioning is discussed in Section A, free and object time formats are discussed in Section B, data management is discussed in Section C, and finally, looping is discussed in Section D. The terms will be defined as encountered in these sections.

A general purpose program for the computer solution of a class of scientific problems should be simple to use, flexible and reliable. This requires a program that:

a) is modular, i.e., sections of program may be deleted, inserted or modified with ease;

b) has numerical methods that are stable and accurate for the type of problem encountered;

c) may require the user to have a knowledge of numerical methods necessary for the selection of the appropriate solution technique or boundary conditions but does not require knowledge of computer programming beyond the ability to prepare the input data for a program, initiate execution of a program, and create data files;

d) is not limited by array sizes in dimension or common statements;

e) permits iteration, i.e., the repeated execution of a user selected sequence of operations;

f) requires a minimum of central processor time and internal computer memory space (core) for execution;

A very useful method for meeting these requirements is to structure the program around the use of a problem oriented language. Such a language consists of a set of mnemonics representing each possible step in the general solution of the problem.

A mnemonic is a word that serves as a memory aid to identify some thing or some action. In FORTRAN, the mnemonic COS is used to represent the process of computing the cosine of an angle. All mnemonics can be thought of as representing a function subprogram, which can be very complex. The use of mnemonics to represent various operations in the formulation and solution of a particular problem is a very attractive method of writing a program for the general solution of a class of scientific problems. This technique promotes modularity and greatly simplifies use of the program. The mnemonic used for a particular operation or computation should be representative of the operation. For instance, a programmer might select the mnemonic SOLVE for the operation of computing the vector x from the matrix equation $Ax = B$ where A and B are known. The mnemonic identifying a particular operation together with a list of arguments necessary for the computation is read from one data card. This card is followed by a series of data cards to provide data, not currently in core storage, for computation. The ability to enter the information in free format or to allow object time format specification dramatically reduces the work required to use the program.

References (1), (2), and (3) provide examples of problem oriented language programming. Apart from these few examples, there is very little written on the non-numerical techniques needed to write a program for the general solution of a scientific problem using a problem oriented

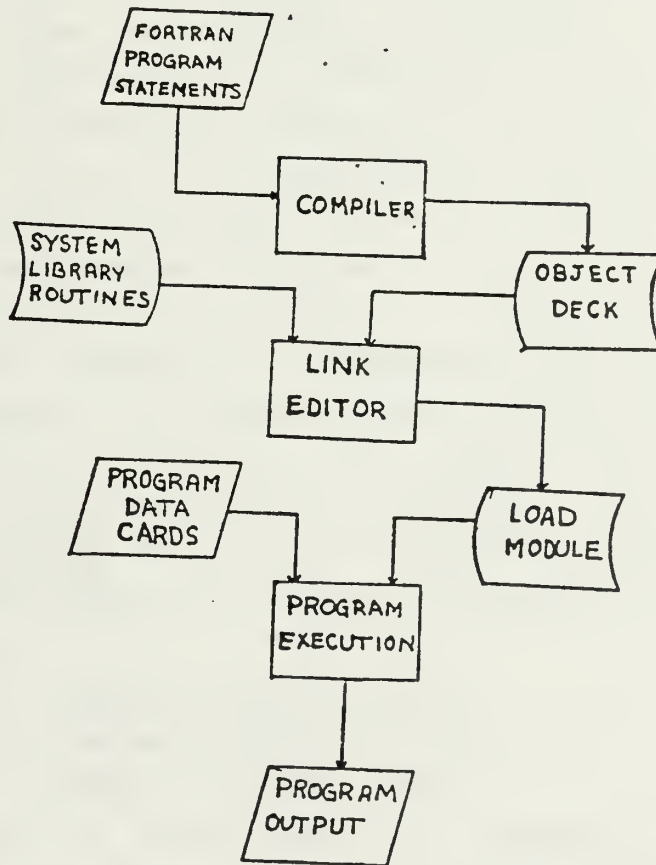
language for the solution. References (4) and (5) are useful exceptions and provide some very valuable information. The numerical techniques for execution time array dimensioning, execution time and free format, data management and the automated repetition of a user selected sequence of instructions will now be discussed in some detail.

A. DYNAMIC DIMENSIONING

In classical programming, array storage is reserved either in common or in dimension statements. Either way, the dimensions are usually set to the largest values envisioned for the type of problem under solution. When small or medium sized problems are solved, a considerable amount of core space is reserved but not used. Avoiding the wasted space normally requires re-doing the dimension and/or common statements in the entire program and then re-compiling the whole program.

Compilation is the first step in preparing a program for execution. In the compile step, the FORTRAN statements are interpreted to produce a set of machine language instructions, called an object deck, that the computer is capable of following. The next step is to link-edit the object deck. The link-editor collects all of the machine language instructions needed to read data, write, and evaluate functions called by the program; puts them in logical order with the object deck; and prepares an index to locate various sections of the program. The output from the link-editor is called the load module. The final step is the actual execution of the program. This is called the go step and consists of storing the load module in core then executing the instructions in sequence. Figure 1

demonstrates this process graphically. Usually it is possible to use a compiler that will optimize the machine language code to minimize the run time for a program in execution. Optimizing compilers take more time and require more core space to compile than do non-optimizing compilers. It is possible to compile and link-edit a program then store the load module on a mass storage device (magnetic tape or disk). This always results in saving central processor (CPU) time for subsequent program runs and can result in a significant reduction of the amount of core required.



Program Processing

FIGURE 1

The alternative to the classical style of programming is dynamic dimensioning. In order to understand the concept of dynamic dimensioning, it is necessary to have some appreciation for how a computer handles a common statement. Inside the computer, the common statement will cause the reservation of sufficient bytes of memory to store listed variables. A byte is a segment of a computer word which can contain either one alpha (hollerith) character or about two decimal digits. If the same common requires a different number of bytes in different subroutines, the largest requirement will be the one reserved. Any type of variable may occupy the reserved storage as long as the address of the starting byte of the variable is consistent with the type of variable. Different types of variables frequently have a different number of bytes in a word. For instance, a complex variable will normally have twice as many bytes per word as a real variable. To illustrate this point, consider a program where all variable names beginning with A are double precision (8 bytes), all variable names beginning with Z are complex double precision (16 bytes), and variables beginning with N are integers (4 bytes). The named common EXAMPLE might be listed as follows in different subroutines:

```
COMMON /EXAMPLE/ N(12)           (1)
COMMON /EXAMPLE/ A(3,2)         (2)
COMMON /EXAMPLE/ Z(3)           (3)
```

In each case the same number of bytes of storage are reserved (48) but the common has a significantly different type of variable! Introductory FORTRAN courses normally teach the student that a particular common should always be an exact duplicate each time it appears in the program

without much other discussion of the uses of common statements. The example lines above contrast sharply with this cautious style but can prove very useful in actual problem solving. Table 1 gives the address of the starting byte for each variable in EXAMPLE.

BYTE	VARIABLES
1	N(1), A(1,1), Z(1)
5	N(2)
9	N(3), A(2,1)
13	N(4)
17	N(5), A(3,1), Z(2)
21	N(6)
25	N(7), A(1,2)
29	N(8)
33	N(9), A(2,2), Z(3)
37	N(10)
41	N(11), A(3,2)
45	N(12)

Byte Addresses for Variables

TABLE 1

Note that N(3), A(2,1) and the imaginary portion of Z(1) all have the same byte as their starting address. Additionally, 48 bytes would have been reserved even if the array dimension of both (2) and (3) had been set at one since (1) still requires 48 bytes. One more feature of importance is that A(2,1), A(1,2) and A(3,2) contain the same information as the corresponding imaginary portions of the Z vector. This fact is quite useful in programming with complex variables.

The common EXAMPLE above demonstrates how a computer stores a two dimensional array but amplification may prove helpful. The right most subscript in a multiply dimensioned array is always the one that increases slowest as the array is going into computer storage. The address in memory of an element of a linear array is computed much faster than the address of an element from an array with multiple

subscripts. The address of the element $A(I,J)$ of a two dimensional array can be computed in a corresponding linear array as follows:

$$L = ((J-1)*NR + I - 1)*IPR + 1 \quad (4)$$

where

NR is the number of rows in the matrix

IPR is the ratio of bytes per word of the matrix to bytes per word of the linear array.

For example, compute the index in N of $A(3,2)$ from the common EXAMPLE:

here $I=3$, $NR=3$, $J=2$ and $IPR = 8/4 = 2$

$$L = ((2-1)*3 + 3 - 1)*2 + 1 = 11$$

Compare this answer with the results in table 1.

Dynamic dimensioning is a process that utilizes the computer's ability to store different types of variables in the same common array. Array storage is reserved in blank common with a large, one-dimensional, integer array (hereafter called the main array) for all subscripted variables needed for a particular computation step. This is normally done in a very short main program. Problem size can be controlled by the dimension of the main array in the main program. The dimension of the main array in all subroutines is set at 1 and never changed. Typically, to change a problem size, two cards of a six card main program need to be altered. See figure 2 for an example. The main program needs to be compiled, but there is no need to use an optimizing compiler. The remainder of the program can be in

a load module on a mass storage device.

```
C-----MAIN PROGRAM
COMMON MAX,L(6000)
MAX = 6000
CALL DRIVER
STOP
END
C-----SUBPROGRAM TO CONTROL EXECUTION
SUBROUTINE DRIVER
COMMON MAX,L(1)
:
:
CALL COMPUTE(L(N1),L(N2),...,N3,N4)
:
:
RETURN
END
C-----SUBROUTINE FOR COMPUTATION
SUBROUTINE COMPUTE(A,B,...,NROW,ICOL)
DIMENSION A(NROW,1),B(1)
:
:
RETURN
END
```

Dynamic Dimensioning Sample Program

FIGURE 2

The main program calls a subprogram which controls execution, reserves storage in the main array for subscripted variables, and provides the address of array arguments in the main array to the computation subroutines. This subprogram must also ensure that there is sufficient room in the main array before a subscripted variable is allowed to be stored. Boundary misalignment occurs if the type of variable being stored requires more than one integer word for storage, and the starting address of the subscripted variable in the main array is not an address that is compatible with allowable addresses for the variable being stored. Some compilers automatically correct for

boundary alignment but often this is accomplished with a considerable penalty in the time required for execution. Consider, for example, that a real double precision variable on an IBM 360 computer requires two integer words for storage. A boundary misalignment will occur unless the double precision variable is at an odd integer word address counting from the first integer word in blank common. In figure 2, MAX is the first integer word and L(1) is the second word in blank common. L(2) is, therefore, the first address available for the storage of the double precision element. L(2) and L(3) are required for the storage of one double precision number. If the double precision variable started in L(1), it would be out of proper alignment for this type of variable. A simple way to compute a proper starting address is:

$$N1 = NSIZE + MOD(NVAR + NSIZE , IPR) + 1$$

where

N1 is the starting address to be computed.

NVAR is the number of integer words used by the variables in blank common preceding the main array, L.

NSIZE is the number of words in the main array that have been used.

IPR is the number of integer words required to store the variable being processed.

MOD(I,J) is an ANSI standard function which returns the remainder from (I / J).

A method to keep track of the starting addresses for subscripted variables will be discussed later. The amount of storage available may be compared with the amount required for storage of a subscripted variable as follows:

$$LEFT = MAX - (N1 + NEL * IPR) + 1$$

where

LEFT is the number of integer words remaining.

MAX is the number of integer words in the main array.

N1 is the starting address in the main array for the variable.

NEL is the number of elements in the variable. Note that when blanks are left between the end of an array and the start of the next array to compensate for boundary alignment, NEL of the leading array is effectively changed.

IPR is the number of integer words required per element.

Positive steps must be taken to prevent LEFT from becoming negative. One method to compute the number of words that have been used in the main array is

$$NSIZE = MAX - LEFT$$

where all variables are used as defined above.

Figure 2 is an example of some programming necessary to implement the dynamic dimensioning concept. The variable MAX and the dimension of the L array must have the same value in the main program. Outside the main program, the L array needs only to be dimensioned one since adequate storage is already reserved. In the control subprogram, N1 and N2 are used to provide starting addresses for subscripted variables to the computation subroutine. N3 and N4 are used to provide array dimensions. The dimension statement in the computation subroutines can use variables for array subscripts. Linear arrays and the final subscript of multiply subscripted arrays need only be set to one as shown in figure 2.

program enters execution. This means that it is possible to read an array prepared in (F10.0) format and an array prepared in (5E15.7) format without changing the format statement and recompiling the program.

Object time formatting is accomplished by reading a card containing the format for the data to follow, then reading or writing the data as specified in the format. A sample of the required programming to read data is:

```
        DIMENSION FOR(20),A(3), ...
        .
        .
100 READ(5,200) FOR
200 FORMAT(20A4)
300 READ(5,FOR) (A(I),I=1,3),J
        .
        .
```

Statement 100 represents an ordinary read command in FORTRAN according to the format statement numbered 200. This format statement causes 80 columns of hollerith data to be read (4 columns each into 20 variables). Statement 300 causes 4 real numbers to be read into the vector A. However, instead of being read according to a numbered format statement contained in the program, these numbers are read according to the information contained in the variable FOR. FOR might contain:

```
(3F4.0,I1)
```

causing the coordinates of the point discussed above to be read as the vector A in format (3F4.0) and the reference number to be read as the integer J in format (I1). Figure 4 shows the cards required to enter the point and reference

an end of field symbol and a blank () as the end of record symbol.

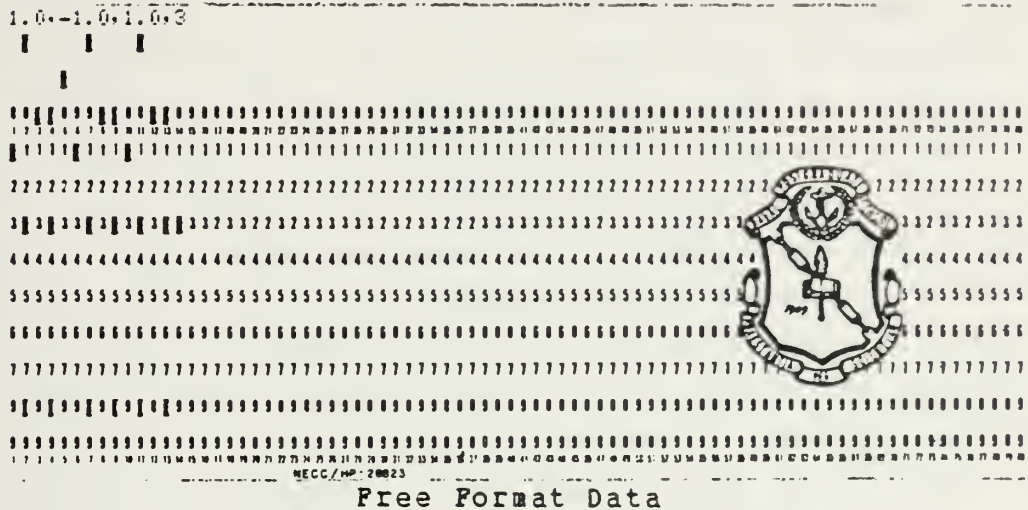


FIGURE 5

The first step of programming free-format input is to read the data card into an array called the card-image array. The data card must be read in format (80A1) so that the Jth element of the card-image array represents the character in column J of the data card. It is important to note that the value stored in the computer for a digit read as a hollerith character is different from the value stored for the same digit read as a number. The card-image array is then processed element by element to form the input variables. These input variables may be integers, real numbers or character strings, however, the variables must still be in the order expected by the program. If the expected input is a data card containing a step name and matrix argument list, a card containing real numbers will cause an error. Free format input allows the program and not the system error handling routine to determine appropriate corrective action.

The first step in processing an element of the card-image array is to identify the character stored in the element. How precise the identification must be depends on the application. The character being used as an end of field symbol and the character being used as an end of record must always be identified precisely. If, for instance, the expected data is a step name and matrix argument list, then the programmer might choose to identify all alphabetic characters as one type of symbol, all digits as a second type of symbol and all characters not otherwise identified as a third type of symbol. However, if the expected data contains a real number that may or may not have an exponent the choice of characters might be; 0, 1, 2, 3, 4, 5, 6, 7, 8, 9, +, ., D, E, and others. The variable NSYM will be used to indicate the type of character.

The history of the processing is important in deciding what to do with a character. For instance, in the assembling of the real number 1.21, there are two types of character, digits and a decimal point. If the character encountered is a digit, the proper assembly action depends on whether the decimal point has occurred. If the decimal point has not occurred, the number being assembled must be multiplied by 10 and then the digit added to the number. On the other hand, if the decimal point has occurred, the digit must be divided by 10 then added to the number being assembled. The power of 10, N, is a counter representing the number of places to the right of the decimal this digit belongs. The variable IACT will be used to indicate the appropriate assembly action.

In addition to integral and fractional digits, a number may carry an algebraic sign and/or a sign in the exponent. The sign may occur at the beginning of the number or at the start of the exponent, however, a sign encountered elsewhere

will definitely be an error. It follows that for the assembly process of real numbers, the program performs one of the following operations: (a) sign identification, (b) integral digit assembly, (c) decimal point identification, (d) fractional digit assembly, and (e) exponent assembly. These processes are referred to as states. If the state is integral digit assembly and the character encountered is a sign, then obviously an error has occurred. On the other hand, if the character encountered is a decimal point, then there is no error but the state for the next operation needs to be changed to fractional digit assembly. A variable named ISTATE is introduced to indicate which one of the above operations the program last performed. Now, continuing with the assembly of a real number, the variable ISTATE may be assigned as follows:

ISTATE	Processing:
1	at the beginning of a Field.
2	after the beginning but before the decimal point.
3	after the decimal point.
4	after the exponent sign.
5	after an error has occurred in the field.

Again, for different applications, the programmer may define other states as needed.

The next step in processing a character from the card-image array is two-fold. The proper action to assemble the variable must be executed. This, of course, is given by the value of IACT. Also, if required, the state must be changed. A single integer can be used to represent both the next state and the assembly action required. For example, the information contained in ISTATE and IACT can be combined into a single variable, IPROC, by:

$$I\text{PROC} = I\text{ACT} * 100 + I\text{STATE}$$

The information can be separated by:

$$I\text{ACT} = I\text{PROC} / 100$$

and

$$I\text{STATE} = \text{MOD}(I\text{PROC}, 100)$$

A matrix can be assembled that has the row index defined by ISTATE and the column index defined by NSYM. If an element of this matrix represents IPROC for the ISTATE and NSYM that define the element, then this matrix is an efficient method of programming the assembly task. The matrix so constructed is called the Symbol-State Matrix. Reference (4) contains further discussion of Symbol-State matrices and their uses.

For illustration, consider the problem of reading a real linear array of length NEL. For simplicity, elements of the array may not have exponents. The state is identified as:

ISTATE	Processing:
1	at the beginning of the field.
2	before the decimal point.
3	after the decimal point.
4	after an error.

The steps that need to be programmed are:

a) Initialize the storage array, the symbol-state matrix, a hollerith translation table and the array pointers. A hollerith translation table is a vector that contains the hollerith character indicated by NSYM in the element with the index NSYM.

b) Read a card in A1 format into a temporary integer array.

c) Initialize the card column pointer called ICARD, the program state identifier (ISTATE), and the fractional digit counter called NCOUNT.

d) Identify the character occupying the ICARD column of the card-image array (NSYM) from the hollerith translation table.

e) Using NSYM and the current ISTATE as indices for entry in the Symbol-State matrix, called ISST, obtain IPROC (IPROC = ISST(ISTATE,NSYM)). From IPROC, compute IACT and the new ISTATE.

f) Carry out the appropriate assembly action based on the value of IACT as follows:

1) Set a flag indicating the number is negative.

2) Assemble the digit into the integral part of the number ($X = 10.0 * X + \text{DIGIT}$).

3) Assemble the digit into the fractional part of the number ($X = X + \text{DIGIT}/(10.0**\text{NCOUNT})$), and step the fractional digit counter (NCOUNT).

4) Print an error message. An action to compensate for the error may be included here.

5) Store the element in the storage array. If the array is filled, return; otherwise, reset NCOUNT and continue. If the symbol causing this action is EOR, reset ICARD and continue at step B.

Note that a plus sign or decimal point changes the state of the program but does not require an assembly action. After the assembly action above is complete, proceed to step 6.

6) Increment ICARD and test for the logical end of record. If ICARD is greater than the record length, reset ICARD, execute step f.5 and continue at step b. If ICARD is

less than or equal to the record length, continue at step d.

SYMBOL STATE	COLUMN	DIGIT			EOP	EOR	OTHERS	
	ROW	1	2	3				4
BOP/BOE	1	202	602	102	602	501	501	404
DIGIT BEFORE DECIMAL	2	202	404	404	603	501	501	404
DIGIT AFTER DECIMAL	3	303	404	404	404	501	501	404
ERROR	4	604	604	604	604	601	601	604

SYMBOL - STATE TABLE

TABLE 2

Table 2 is a Symbol-State matrix that the programmer might use to accomplish the variable assembly described above. The table presumes that the action to compensate for an error is to set the element equal to 0.0 (or some other value) and execute step 5. Action 7 is assumed to be the same as 5 except it allows for differentiating between an end of record symbol and an end of file symbol with a test

on the value of IACT. This table does not indicate an error if there is no decimal point. Instead, the decimal point is assumed after the last digit of the field. Additions to the Symbol-State Table or modifications to the logic are not difficult once the concept is understood.

Now consider the problem of assembling a character string, for instance, as a matrix name. If there are 4 bytes per integer word, then one element of the card-image array may contain:

'S'	bl	bl	bl
-----	----	----	----

where "bl" represents the blank character. The byte containing the hollerith character S from the card-image array must be moved into the appropriate byte of the character string variable being assembled. This is not a trivial problem. ANSI FORTRAN does not support byte manipulation. Major computer manufacturers have added features to their FORTRAN which allow byte manipulation for string assembly. CDC allows for byte manipulation with MASK and SHIFT operations. In IBM FORTRAN the job can be done with a subroutine as follows:

```

SUBROUTINE SHIFT(A,B,I,J)
LOGICAL*1 A(1),B(1)
C-----THIS SUBROUTINE MOVES THE JTH BYTE OF
C      VARIABLE B INTO THE ITH BYTE OF
C      VARIABLE A.
C      A(I) = B(J)
RETURN
END

```

The next update of the ANSI FORTRAN Standard tentatively includes variable word size specification with a "CHARACTER*n" declaration, where n is an integer. If the change materializes then the above subroutine will work for any machine by changing LOGICAL*1 to CHARACTER*1.

C. DATA MANAGEMENT

The comments on data management have been restricted to the management of data storage in core. Only one of several alternatives is discussed and the management system presented is not necessarily the most efficient method. It is advocated because it represents a straight forward approach and one does not have to be a computer scientist to implement the procedure.

The problem of in core data management can be reduced to the problem of storing, finding and deleting arrays in the main array mentioned previously. One way of organizing the main array is to store an array directory at the start of each array in the main array. The array directory needs to contain the following information:

- a) The number of elements in the array.
- b) The precision of the array (integer words/element).
- c) A unique identification for the array.
- d) The number of rows and/or the number of columns in the array.

D1	M1	D2	M2	D3	M3
----	----	----	----	----	----

Diagram of Array Storage

The process of reserving storage for an array should:

- a) Ensure adequate space is available in the main array. Processing must be interrupted for resolution of the problem if sufficient room is not available.
- b) Adjust NSIZE to compensate for the additional

array.

c) Create and store the array directory based on information from the calling program.

d) Check boundary alignment and adjust NEL for the previous array if necessary. It is possible to adjust NEL of the current array so that any subsequent array will be on a proper boundary no matter what the precision of the subsequent array. This is a simple solution but does make some available space unavailable.

e) Return the main array address for the first element of the array to the calling program.

Locating an array requires searching the array directories for a match with the identifier of the array. One method of doing this type of matching is:

```
IF (COMP (L (N), II)) GO TO nnn
```

where

N is the address, in the main array, of the first word of the array identifier being tested.

II contains the name to be matched.

nnn is the statement number that is branched to if a match is found.

COMP is a function subprogram defined as follows:

```
FUNCTION COMP (I, J)  
DIMENSION I (3), J (3)  
LOGICAL COMP  
COMP = .FALSE.  
DO 10 K = 1, 3  
    IF (I (K) .NE. J (K)) RETURN  
10 CONTINUE  
COMP = .TRUE.  
RETURN  
END
```

This example assumes that three integer words are used to contain the array identifier. If the array is found, the main array address of the starting element and the directory information needs to be returned to the calling program. If the array is not found, processing should be interrupted for

resolution of the error.

The motivation for providing a method of deleting arrays is two-fold. If matrices are not stored with unique names, the locating system described above will only find the first array in storage whether or not it is the array needed. By using the delete operation under program (vice user) control, it is possible to ensure each array name is unique at the time it is created. The second reason for having a delete capability is that when an array has served its purpose, deletion under either program or user control allows the storage to be freed for other uses.

It is advantageous to leave all free storage positions at the end of the allocated storage. The simplest way to do this is to identify, in the main array, the address of the first position used by the array to be deleted (N1), and the first element of the next array in storage (N2), then:

```
      N3 = N2 - N1
      DO 10 I = N1, NSIZE
10    L(I) = L(I+N3)
      NSIZE = NSIZE - N3
```

Note that if the directory is stored preceding the array, then N1 would refer to the first element of the directory. In this case an alternate way of computing N3 is:

$$N3 = NEL * IPR + NDIR$$

There is no reason to interrupt processing for error resolution when an array is not found to be deleted. It is helpful to print a message when an array is actually deleted especially if the DELETE operation is initiated by the program, for instance, to prevent duplicate array names.

The more complicated storage schemes for banded or skyline storage of arrays is also possible with this system. Banded and

Skyline storage schemes make more efficient use of storage by simply not storing many of the matrix elements

that are zero. The skyline storage algorithm is the most storage efficient of the two types. Reference (1) contains a substantive discussion of the skyline storage method, and examples of matrix manipulation subroutines for use with the skyline algorithm. Suffice it here to say that the skyline storage algorithm requires the creation of two vectors. One is a vector of the elements from the matrix that are actually stored. The second vector contains the indices in the first vector of the diagonal elements of the matrix. For this case, it is convenient to use the same directory for both vectors. If there are NEL elements under the skyline, each element takes IPR integer words and there are NR rows in the matrix, then the storage required is

$$N_{DIR} + NR + NEL * IPR$$

a typical block of the main array might look like

DIRECTORY	DIAGONAL ELEMENT INDICES	STORED ELEMENTS
-----------	--------------------------	-----------------

The above presents a straightforward approach to data management in core. It is codeable in ANSI FORTRAN IV by an individual familiar with the basics of the language. It does not require a professional programmer for implementation.

D. LOOPING

The capability to repetitively execute a series of instructions (looping) is an important tool in problem solution. Frequently, for non-linear problems, there is no direct method of solution. An iterative scheme is normally employed to solve this type of problem. Brute force iteration is possible with any program by making multiple

runs of the program with suitable alteration to the input data for each run. This is very wasteful of both the user's time and computer time. On the other hand, if looping is possible, the user can program an iteration scheme using the commands available, then place the series of commands in a loop. A relatively simple method of providing a looping capability is to store the commands of the loop as a matrix in the main array. Then, with appropriate pointers, it is possible to execute a series of instructions repetitively from memory, just as if they were coming from the input device. Details of the method of looping used in the program CAL are contained in Chapter III.

A particularly attractive advantage of looping is the ability to iterate for selected eigenvalues of a matrix. This ability permits one to approximate the number of significant digits in the computer solution of a problem as follows:

$$NSD = NDA - ALOG_{10}(EMAX/EMIN)$$

where

NSD is the number of significant digits.

NDA is the number of digits available in the word size.

EMAX is the maximum eigenvalue of the matrix.

EMIN is the minimum eigenvalue.

ALOG₁₀ is the ANSI standard function for the logarithm to the base 10.

This approximation holds for positive, definite, symmetric matrices. Computer results for problems where NSD approaches 0 should be viewed with extreme skepticism.

III. CAL ORGANIZATION

This chapter provides a general overview of the operation and organization of CAL. It is intended to provide sufficient information to permit users to program subroutines for use in CAL and to operate the CAL system sensibly.

CAL is a modern computer program written in the FORTRAN IV programming language. It was written as a teaching aid for illustrating the direct stiffness method of structural analysis. In addition to extensive linear algebra capabilities, the program provides several analytical alternatives for both static and dynamic analysis of elastic structures.

CAL execution is flexible, controlled by user selection of operations in a logical sequence (not unique) from the operations available in the program. The input data deck is a sequence of modules. The first card of each module contains the name of the requested operation, a list of matrix argument names, and integer parameters used in that operation. Comments may be placed on the card following a blank.

The operation card looks like this:

```
OPERATION,M1,M2,...,M9,N1,...N4 COMMENTS
```

M1 through M9 are matrix argument names. A matrix argument name consists of up to 8 alpha-numeric characters, the first being alphabetical. N1 through N4 are positive integers. An operation card may use from zero through nine matrix arguments and/or from zero through four integers. If required, the operation card is followed by a sequence of data cards containing numerical information used for the step. Some features of the output from CAL are also

controlled by user selectable operations. Details of the operations available and how to execute CAL at NPS are presented in Appendix B.

CAL is logically divided into four segments. The main segment contains the main program and service subroutines used commonly by all other segments. In subsequent descriptions, the main segment will be referred to as CAL. Among other things CAL contains the subroutines to deliver the next operation and the subroutines for data management. The three remaining segments will be referred to as GROUP 1, GROUP 2, and GROUP 3.

GROUP 1 contains subroutines which perform matrix manipulations, i.e., load, print, multiply, etc. GROUP 2 contains subroutines associated with formulation of the static problem and display of the computation results. For example, there are subroutines to:

- a) input nodal geometry;
- b) input boundary conditions;
- c) input loading conditions;
- d) form element stiffness and mass matrices by several different methods;
- e) combine element matrices into global matrices;
- f) display results.

Finally, GROUP 3 contains subroutines associated with dynamic analysis. Two methods of evaluating the second order equations of motion, eigen analysis, and printer plotting routines are available.

Matrix storage in CAL is done dynamically as described in Chapter II. It is not possible to state with precision the maximum problem size. Experience shows that with the default parameters of the NPS version, static analysis problems are limited to approximately 48 degrees of freedom (DOF). Dynamic analysis problem size is controlled by both

the system DOF and the number of displacement vectors to be calculated. For a 25 DOF system, about 100 displacement vectors can be calculated.

All arrays and matrices in CAL are stored in a one dimensional matrix specified in blank common as L(XXXXX). XXXXX represents the total storage reserved for subscripted variables. Each array is preceded by a directory which contains:

- 1) the number of elements in the array (NEL).
- 2) the number of integer words required to store an element (IPR),
- 3) the number of columns in the array,
- 4) the number of rows in the array,
- 5) the first four characters of the matrix name, and 6) the last four characters of the matrix name.

An array uses $(NEL * IPR + 6)$ integer words of storage. Larger problems can be solved by increasing the size of the L array in the main program. The variable MAX must be set to the current dimension of the L array. This data management system is described in Chapter II. CAL uses three subroutines for the data management sub-system. There is a subroutine called LIST which is used to reserve storage for new matrices as they are created. The calling arguments are, in order, NM, NR, NC, IPR, and IERR. NM is an array name assigned by the user. Array names must start with an alphabetic character and contain 1 to 8 alpha-numeric characters.

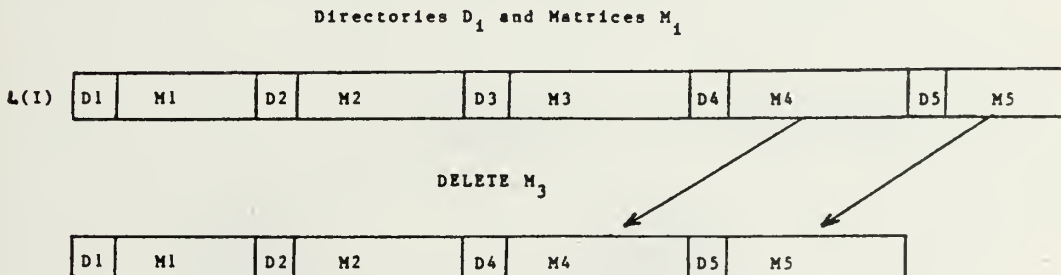
Since the name, NM, is used only in the directory, there is no reason to conform to FORTRAN name conventions. Thus, names beginning with the characters I through N may be assigned for real matrices with impunity. Call the stiffness matrix K, the mass matrix MASS and the nodal coordinate array NODES. All variables are treated as real,

double precision numbers unless clearly specified as integers in the command description.

NR and NC are respectively, the number of rows and the number of columns for the matrix to be stored. IPR is the number of integer words required to store an element. IERR is an error parameter. If IERR is not equal to 1, then an error has occurred during the list operation.

The subroutine LOCATE is used to locate arrays in the L array. The calling arguments are, in order, NM, NA, NR, NC, and IERR. NM, NR, NC, and IERR are used as described above. NA is the index in the L array for the first element of the array. In a subroutine call, L(NA) is used to pass the matrix NM to and from the called subroutine.

The remaining data management subroutine is DELETE. It has a single calling argument. NM is used as discussed previously. DELETE removes the matrix NM from the L array and frees the storage taken by NM at the end of the L array. Figure 7 illustrates this process.

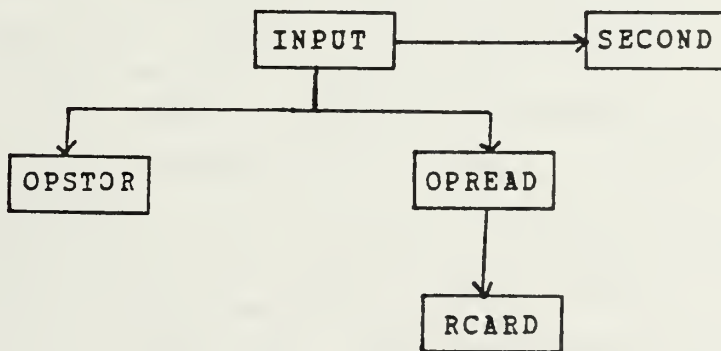


One Dimensional Array Storage

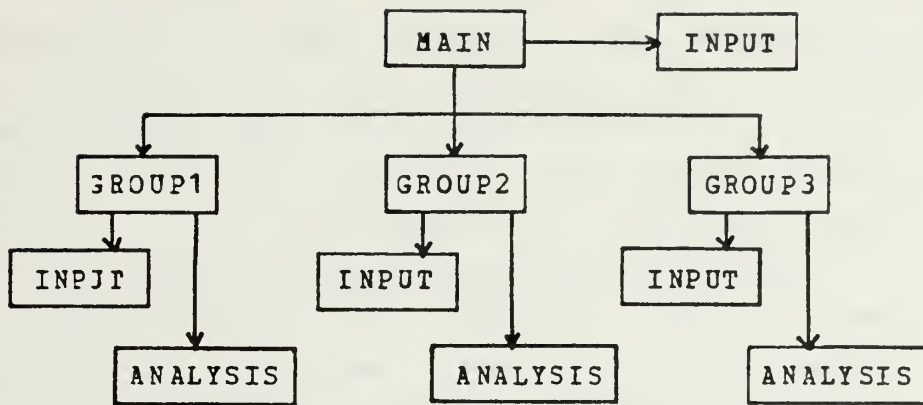
FIGURE 7

Now consider once more the function of the main program

segment CAL. In addition to the data management subroutines described above, the CAL segment contains four subroutines used to deliver the next operation to the calling program segment, and a timing subroutine. The subroutine INPUT determines whether the next operation is part of a loop or a new command from the input device. If the next operation is not part of a loop, INPUT calls the subroutine OPREAD. In turn, OPREAD calls the subroutine RCARD to read and interpret the free format information of the next command. Free format data input is discussed in Chapter II. If the command initiates looping, then OPREAD calls RCARD until all operations in the loop have been read. As operations are received by OPREAD, this subroutine stores them row-wise in the L array. After the last operation of the loop has been read, OPREAD calls LIST to prepare the directory. INPUT calls OPSTOR to provide each command in sequence from the loop matrix in the L array until the loop operations are complete. The subroutine SECOND is called by INPUT to determine the amount of time used in each computation step. A block diagram of the connections is:



A block diagram of the total system follows:



From this example, it is apparent that the program is organized so that only one group at a time needs to be resident in the core with CAL during execution. Thus, an overlay structure can be used which permits CAL to operate in a very small computer system.

Although CAL can operate in a small (64K) computer system, a mass storage device (magnetic tape or disk) must be available both to store program overlays and for use as a scratch pad during structural analysis operations. Element stiffness and mass matrices are written out on a mass storage device as they are created, then read back into the computer memory as needed for assembly into the global matrices. This method minimizes the amount of storage required in the core. Space is required to store the matrices only an element at a time, no matter how many elements are used.

The NPS version of CAL also contains commands which permit a user to stop execution before the end of a problem then resume at a later time. The operations also use a mass storage device to read or write the contents of the L array and certain other parameters.

One of the features of CAL which makes it so flexible is the availability of looping. Loops can be nested up to

five deep. Loops are initiated by the LOOP command and terminated by the NEXT command. For operations within a loop which require data, the data cards must appear in proper sequence, but after the last NEXT card of the loop. An example is shown with the loop command description in Appendix B. A skip command is available which allows selective skipping of operations within a loop.

A second feature of CAL which gives it really great flexibility is that user coded subroutines can be called under program control. GROUP 1 contains two operation names reserved for user coded subroutines. These names are USERA and USERB. A user coded subroutine might be used, for instance, to compute equivalent nodal forces for a distributed load.

Two subroutines are needed for a user operation. The actual numerical operation is coded normally in a subroutine with any name not already used in the CAL program. A buffer subroutine must then be written to interface the numerical computation with the CAL data management system. To illustrate the technique of interface, consider the familiar example of matrix multiplication (already available in CAL). Symbolically the problem is to compute C where $C = A * B$. The basic algorithm for matrix multiplication is

$$C(I,J) = A(I,K) * B(K,J)$$

A subroutine for the job might be:

```

SUBROUTINE MULTIPLY(A,B,C,NRA,NCA,NCB)
DIMENSION A(NRA,NCA),B(NCA,NCB),C(NRA,NCB)
DO 20 I=1,NRA
DO 20 J=1,NCB
X = 0.0
DO 10 K=1,NCA
10 X = X + A(I,K)*B(K,J)
20 C(I,J) = X

```


RETURN

END

The operation card might be selected as:

USERA,M1,M2,M3 COMMENTS

where M1, M2, and M3 are respectively the matrix argument names for the dummy arguments A, B, and C. The recommended steps to be programmed in the buffer subroutine named USERA are:

a) locate M1 and M2;

b) ensure the number of columns in A is equal to the number of rows in B;

c) call the DELETE subroutine to ensure that a matrix with the same name as M3 does not already exist in storage;

d) call LIST to reserve storage for M3;

e) test IERR to ensure that no errors have occurred in the above steps;

and f) call subroutine MULTIPLY to complete the operation;

At the minimum, steps a, d, and f must be programmed. Here is a possible subroutine to meet the requirement.

```
SUBROUTINE USERA(IERR)
COMMON MAX,NDP,L(1)
COMMON /CARD/ INHOL(3,10),N(4)
CALL LOCATE(INHOL(1,2),IA,NRA,NCA,IERR)
CALL LOCATE(INHOL(1,3),IB,NRB,NCB,IERR)
IF(NRA.NE.NCA) IERR= 2
CALL DELETE(INHOL(1,4))
CALL LIST(INHOL(1,4),NRA,NCB,NDP,IERR)
CALL LOCATE(INHOL(1,4),IC,NRA,NCB,IERR)
IF(IERR.NE.1) RETURN
CALL MULTIPLY(L(IA),L(IB),L(IC),NRA,NCA,NCB)
RETURN
```


END

LOCATE, LIST, and DELETE are used as described previously. Blank common appears so that USERA has access to the L array and the parameter NDP. The variable NDP is initialized at 2, the number of integer words required to store a double precision variable. The named common CARD is initialized by RCARD or OPSTOR. The INHOL array contains the operation name and the matrix argument names. Each name is stored columnwise, i.e., column 1 has the operation name (USERA in this case), column 2 has the name of the matrix argument M1, etc. Row 1 elements have the first four characters, and row 2 elements contain the remaining four characters of the respective argument. Row 3 is not used in the NPS version of CAL. In the first call to subroutine LOCATE, INHOL(1,2) provides the name assigned by the user to matrix argument M1. On return from LOCATE, IA will be the index in the L array of the first element of M1. IB and IC respectively provide the same information for M2 and M3. Other variables are used as discussed previously.

Now, generalizing the procedure of the above example, the user must program two subroutines to define a user operation for CAL. One subroutine performs the operation, and the second acts as a buffer between CAL and the operation. Two names are available, USERA and USERB, for the buffer subroutine. Both have a single passing argument, the parameter IERR. The program assumes an error has occurred when IERR takes on a value other than 1. The buffer subroutine must:

- a) locate matrix arguments designated for the operation,
- b) reserve storage for arrays created by the operation,
- c) pass the elements of the L array for the matrix

parameters used in the operation.

In addition, it is recommended that the buffer subroutine:

a) ensure that the matrix arguments to be used are compatible with the operation, i.e., square, symmetrical, etc.

b) call delete with names of matrices to be created prior to reserving storage. This will prevent matrices with duplicate names.

c) test IERR to ensure no error has occurred prior to calling the operation subroutine.

The operation subroutine can be coded with normal FORTRAN techniques.

In this chapter, the internal organization of CAL has been described, along with several important features of the program. Most of the non-numerical procedures described in the preceding chapter are illustrated in CAL. This chapter has highlighted the flexibility of CAL and provided an example to assist users in coding their own operations to be executed by CAL.

IV. IMPLEMENTING CAL ON A DIFFERENT COMPUTER

In this chapter, the procedure to convert CAL for use on a different computer system is discussed. The NPS version of CAL has been organized to minimize the difficulty associated with implementing the program on a new computer. There remains, however, some things that are machine dependent.

The following information is required for the new system.

a) How many characters can be stored in one integer word?

b) How many integer words does it take to store a real variable? For structural analysis, a real variable should contain at least 12 significant figures.

c) What method can be used to manipulate bytes?

d) How is elapsed CPU time computed?

The answers to the above questions determine the complexity of the conversion task.

A. IBM FORTRAN STATEMENTS

There are a few statements in this version of CAL solely in the IBM FORTRAN Language. The statement "IMPLICIT REAL*8(A-H,O-Z)" makes all real variables double precision. This statement appears in almost every subroutine. It should be replaced by an appropriate statement when using another computer. The calls to ERRSET suppress printout of error messages. These statements appear together in subroutine CAL1 and must be removed. They do not need to be replaced. The call to SETIME in the main program should be removed for use on non-IBM machines.

B. TIME COMPUTATION

There is no standard method of computing elapsed CPU time. The subroutine SECOND must be rewritten to compute elapsed CPU time in seconds for the new system. The library of subroutines for the computer system should have a suitable routine.

C. BYTE MANIPULATION

As previously mentioned, there is no standard way to shift bytes in a variable. The subroutine MOVEB will work if one byte logical variables are available. If this is not the case, than MOVEB must be rewritten using a byte manipulation technique suitable for the computer system.

D. OPERATION AND MATRIX NAMES

In this version, names are stored four characters to a variable since the IBM 360/67 computer uses four bytes per standard integer word. Names are stored column-wise in vectors of three elements. The parameter NH must be set to the number of elements required for storage of a name on the new system. LBYTE must be set to the number of characters per integer word. NH should be set such that $NH * LBYTE$ at least 6. Both of the parameters are set in the BLOCK DATA subprogram. Data statements initialize operation names in the BLOCK DATA subroutine and in all three of the GROUP subroutines. All these data statements must be adjusted so that they initialize LBYTE characters per element. Format statements for write commands with output in format A4

should be changed. For the most part the output format wAd should be changed so that w = NH and d = LBYTE. Other uses should be apparent to the programmer.

E. BOUNDARY ALIGNMENT

There are three potential areas which may cause boundary alignment problems. NDP is set in the main program to the number of integer words needed to store a real variable. NDIR is the number of integer words used for a matrix directory. The first possible problem area is the relation between NDIR and NDP. If NDIR is not evenly divisible by NDP, add the remainder to the equation for NDIR in the BLOCK DATA Subroutine. The second possible problem area is in the Subroutine LIST. This subroutine contains a test to ensure the number of elements reserved for a single precision array is evenly divisible by NDP. If NDP is more than 2, the test is not valid. A better test would be

$$\text{IF}(\text{NDP.EQ.1}) \text{I}(1) = \text{NR} * \text{NC} + \text{MOD}(\text{NR} * \text{NC}, \text{NDP}).$$

Finally, if NDP is greater than 2, then blank common must be adjusted so that there are NDP integer variables preceding the L array in the main program and all subroutines where blank common appears.

V. CONCLUSIONS AND RECOMMENDATIONS

CAL provides a flexible tool for teaching modern structural analysis. The general matrix operations make it useful in the area of linear algebra as well as structural analysis. The use of CAL is highly encouraged.

A. RECOMMENDED MODIFICATIONS

A graphical display capability should be incorporated in CAL as soon as the equipment becomes available. It would be especially helpful to have a display of the element forces from the FORCE operation. Additionally, incorporation of heat transfer options into the program should be considered. The heat transfer capability would be a valuable tool for students in the department.

B. OTHER APPLICATIONS

The organization of CAL provides an excellent outline for development of other major analytical programs. The storage scheme can be simply modified to permit matrix storage using the skyline algorithm. Large problems can then be accommodated by incorporating existing algorithms for an out-of-core equation solver.

APPENDIX A - PROGRAM LISTING

```

C-----MAIN PROGRAM CAPACITY
C      SET PROGRAM CAPACITY
C      COMMON /HOTOI/ NDP(6000)
C      COMMON /ERROR/ NERR,MODE,NTIME
C      HTOI = 6000
C-----NDP IS NUMBER OF COMPUTER WORDS USED BY A REAL VARIABLE.
C      NDP = 2
C
C      CALL SETIME
C
C-----SETIME IS IBM 360 ROUTINE TO INITIALIZE CPU TIMER.
C
C      CALL CALL1
C      STOP
C      END
C
C-----THE CALL PROGRAM IS A COMPUTER ANALYSIS LANGUAGE FOR THE STATIC
C      AND DYNAMIC ANALYSIS OF STRUCTURES. PROBLEM SIZE IS CONTROLLED
C      BY THE DIMENSION IN BLANK COMMON AND THE VARIABLE HTOI.
C-----ALL PROBLEM ARRAYS AND THEIR DIRECTIONS ARE STORED IN BLANK
C      COMMON. STRUCTURAL ANALYSIS OPERATIONS REQUIRE SCRATCH STORAGE.
C-----THE PROGRAM IS SET TO USE FILE FTO1F001 FOR THIS
C      PROGRAMMED BY PRP EDWARD L. WILSON, CIVIL ENGINEERING DEPT.,
C-----UNIVERSITY OF CALIFORNIA, BERKELEY, CA.
C
C      SUBROUTINE CAL1
C      IMPLICIT REAL*8 (A-H,O-Z)
C      COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
C      COMMON /NAMES/ LOOP(3),NEXT(3),LSKIP(3),LNAME(3),NSTART(3),
C      1 LSTOP(3)
C      COMMON /LOOPD/ LAIN,INDEX(5),LSTART(5),IJKLM(5),NW
C      COMMON /CARD/ INHOL(3,10),N(1),S1,S2
C      COMMON /ERROR/ NERR,MODE,NTIME
C      LOGICAL COMP
C
C-----SET INITIAL CONDITIONS
C
C      CALL ERRSET(208,256,-1,1,1)
C      CALL ERRSET(207,256,0,1,1)
C      CALL ERRSET(209,256,0,1,1,216)
C
C-----ERRSET IS ERROR HANDLING ROUTINE FOR IBM 360 MACHINES. THIS
C      CALL SUPPRESSES PRINTOUT OF UNDERFLOW ERROR MESSAGES (LHC208) AND
C-----TRACEBACK OF SEVERAL OTHER ERRORS.
C
C      NW=10*NH+4
C      400 LA = 0
C      IN = 0
C      IERR = 1
C      CALL DELETE(LNAME)
C      CALL INPUT(IERR)
C      IF(IERR.NE.1) GO TO 500
C      LAST=1
C      GO TO 110
C-----SEARCH GROUPS OF OPERATIONS FOR INPUT OPERATION
C      100 IP(LAST.EQ.1) GO TO 300
C      110 CALL GROUP1(LAST,IERR)
C      IP(LAST.EQ.2) GO TO 300
C      IP(IERR.NE.1) GO TO 500
C      CALL GROUP2(LAST,IERR)
C      IP(LAST.EQ.3) GO TO 300
C      IP(IERR.NE.1) GO TO 500
C      CALL GROUP3(LAST,IERR)

```

ST000010
ST000020
ST000030
ST000040
ST000050
ST000060
ST000070
ST000080
ST000090
ST000100
ST000110
ST000120
ST000130
ST000140
ST000150
ST000160
ST000170
ST000180
ST000190
ST000200
ST000210
ST000220
ST000230
ST000240
ST000250
ST000260
ST000270
ST000280
ST000290
ST000300
ST000310
ST000320
ST000330
ST000340
ST000350
ST000360
ST000370
ST000380
ST000390
ST000400
ST000410
ST000420
ST000430
ST000440
ST000450
ST000460
ST000470
ST000480
ST000490
ST000500
ST000510
ST000520
ST000530
ST000540
ST000550
ST000560
ST000570
ST000580
ST000590
ST000600
ST000610
ST000620
ST000630


```

IF (IERR.NE. 1) GO TO 500
GO TO 100
WRITE (NERR 3000)
500 IF (MODE.NE. 1) GO TO 400
NO = 0
CALL RCARD (IERR)
IF (COMP {INHOL(1,1),NSTART} GO TO 400
IF (COMP {INHOL(1,1),LSTOP}) STOP
GO TO 600
FORMAT (30HOOPERATION UNDEFINED OR BLANK )
END
BLOCK DATA REAL*8 (A-H,0-Z)
IMPLICIT INDIC
LOGICAL /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR,INDIC
COMMON /RECON/ IN(80),INDIGT(80),ITAB(5,4),NUM(16),LBYTE
COMMON /NAMES/ LOOP(3),NEXT(3),LSKIP(3),LNAME(3),NSTART(3),
1 LSTOP(3)
COMMON /STR/ ST(9,16),XM(16),S(16,16),ND,NS,NRP,LH(16)
COMMON /ERR/ NERR,MODE,NTIME
COMMON /PSAVE/ NUMNP,NEQ,NRCP,NUMEL,NTRUSS,NT,NSAVE
COMMON /NUMBER OF WORDS NEEDED TO CONTAIN 6 HOLLERITH CHARACTERS.
NH IS NH + 4*NSP
DATA NO/0,NARA/0,NSIZE/1,NSP/1,,NH/2,,NDIR/6,,INDIC /.TRUE./
DATA NREAD/5,,NWRITE/6/
DATA NUM/2H1,2H2,2H3,2H4,2H5,2H6,2H7,2H8,2H9,2H0 /
DATA ITAB/2*500,205,104,205,500,303,405,2*102,2*104,
1 6*500
C-----LBYTE IS NUMBER OF BYTES PER INTEGER WORD.
DATA LBYTE/4/
DATA LOOP /4HLOOP,4H /
DATA NEXT /4HNEXT,4H /
DATA LSKIP /4HSKIP,4H /
DATA LNAME /4HLINA,4HME /
C-----NT IS FILE DEVICE NUMBER FOR SCRATCH TAPE.
DATA NT/1,NSAVE/2/
DATA NSTART/4HSTAR,4HT /
DATA LSTOP /4HSTOP,4H /
C-----NERR IS FILE DEVICE NUMBER FOR ERROR MESSAGES.
C-----MODE SELECTS INTERACTIVE OR BATCH MODE OF OPERATION.
C-----MODE=1 FOR BATCH PROCESS OR MODE.NE. 1 FOR INTERACTIVE PROCESS.
DATA NERR/6,,MODE/2/
DATA NTIME/0/
END
SUBROUTINE SECOND(T)
IMPLICIT REAL*8 (A-H,0-Z)

```

```

ST000640
ST000650
ST000660
ST000670
ST000680
ST000690
ST000700
ST000710
ST000720
ST000730
ST000740
ST000750
ST000760
ST000770
ST000780
ST000790
ST000800
ST000810
ST000820
ST000830
ST000840
ST000850
ST000860
ST000870
ST000880
ST000890
ST000900
ST000910
ST000920
ST000930
ST000940
ST000950
ST000960
ST000970
ST000980
ST000990
ST001000
ST001010
ST001020
ST001030
ST001040
ST001050
ST001060
ST001070
ST001080
ST001090
ST001100
ST001110
ST001120

```



```

COMMON /ERROR/ NERR, MODEP, NTIME
ROUTINE TO COMPUTE ELAPSED CPU TIME IN SECONDS.
THIS ROUTINE WILL HAVE TO BE CHANGED TO WORK ON OTHER MACHINES.
STATEMENTS FOR CP/CHS AT NPS, MONTEREY, CA.
DIMENSION ITIME(6)
CALL IYCLOCK(ITIME)
T = DPLOAT(ITIME(6))/768.0D+2

C-----STANDARD IBM 360 TIMER PROGRAM.
CALL GETIME(IET)
T = DPLOAT(IET)*2.6D-5

      RETJRN
      END
SUBROUTINE MOVEB(A,I,B,J)

C-----THIS SUBROUTINE MOVES THE JTH BYTE OF VARIABLE B INTO THE
C-----ITH BYTE OF VARIABLE A. IT MAY HAVE TO BE REWRITTEN TO
C-----WORK ON OTHER MACHINES.
      LOGICAL*1 A(1), B(1)
      A(I) = B(J)
      RETJRN
      END
SUBROUTINE INPUT(IERR)
      IMPLICIT REAL*8 (A-H, O-Z)
      LOGICAL INDIC
      COMMON /LOOPD/ L(1), I4, INDEX(5), LSTART(5), IJKLM(5), NW
      COMMON /PSIZE/ NO, NMAX, NSIZE, MSP, NREAD, NWRITE, NH, NDIR, INDIC
      COMMON /ADIR/ NA I(10)
      COMMON /NAMES/ LOOP(3), NEXT(3), LSKIP(3), LNAME(3)
      COMMON /ERROR/ NERR, MODE, NTIME
      IF(INDIC) CALL SECOND(T0)
      INDIC = .FALSE.
100   CALL SECOND(T)
      TD = T - T0
      IF(NC.EQ.0 .AND. NTIME.EQ.0) WRITE(NWRITE, 2000) TD
      T0 = T
      IF(LA.EQ.0) CALL OPREAD(IERR)
      IF(LA.EQ.0 .OR. IERR .NE. 1) GO TO 175
      CALL FIND(LNAME, IERR)
      CALL OPSTOR(LNAME, NW, IERR)
150   CALL OPSTOR(LNAME, NH, IERR)
      IF(IERR .NE. 1) RETURN
175   RETJRN
2000  FORMAT(1X, 30(1H-), F10.3, 8H SECONDS )
      END

```

```

ST001130
ST001140
ST001150
ST001160
ST001170
ST001180
ST001190
ST001200
ST001210
ST001220
ST001230
ST001240
ST001250
ST001260
ST001270
ST001280
ST001290
ST001300
ST001310
ST001320
ST001330
ST001340
ST001350
ST001360
ST001370
ST001380
ST001390
ST001400
ST001410
ST001420
ST001430
ST001440
ST001450
ST001460
ST001470
ST001480
ST001490
ST001500
ST001510
ST001520
ST001530
ST001540
ST001550
ST001560
ST001570
ST001580
ST001590
ST001600
ST001610

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ST001620
 ST001630
 ST001640
 ST001650
 ST001660
 ST001670
 ST001680
 ST001690
 ST001700
 ST001710
 ST001720
 ST001730
 ST001740
 ST001750
 ST001760
 ST001770
 ST001780
 ST001790
 ST001800
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 ST001820
 ST001830
 ST001840
 ST001850
 ST001860
 ST001870
 ST001880
 ST001890
 ST001900
 ST001910
 ST001920
 ST001930
 ST001940
 ST001950
 ST001960
 ST001970
 ST001980
 ST001990
 ST002000
 ST002010
 ST002020
 ST002030
 ST002040
 ST002050
 ST002060
 ST002070
 ST002080
 ST002090
 ST002100

```

SUBROUTINE OPREAD(IERR)
  IMPLICIT REAL*8 (A-H,O-Z)
  COMMON MTOTNDP, L(1)
  COMMON /PSIZE/, NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
  COMMON /CARD/, INHOL(3,10), NN(4), S1, S2
  COMMON /LOOP/, LA, IN, INDEX(5), LSTART(5), IJKLM(5), NH
  COMMON /NAMES/, LOOP(3), NEXT(3), LNAME(3)
  LOGICAL COMP
  READ AND PRINT ALL INPUT OPERATION CARDS-----
  N=NSIZE+NDIR
  IN=3
  100 CALL RCARD(IERR)
  IF(IERR.NE.1) RETURN
  IF(COMP(INHOL(1,1), LOOP)) IN=IN+1
  IF(IN.EQ.1) AMB(LA.EQ.0)) LA=1
  IF(LA.EQ.0) RETURN
  STORE ALL OPERATIONS WITHIN OUTER LOOP-----
  DO 200 J=1,10
  DO 200 I=1,NH
    L(NI=INHOL(I,J))
  200 N=N+1 I=1,4
    L(N)=NN(I)
  210 N=N+1
    IF(COMP(INHOL(1,1), NEXT)) IN=IN-1
    IF(IN.EQ.0) GO TO 250
    LA=LA+1
    GO TO 100
  SET NAME AND STORAGE FOR LOOP DATA
  CALL LIST(LNAME, NH, LA, NSP, IERR)
  IF(IERR.NE.1) RETURN
  LA=1
  IN=3
  RETURN
  END
SUBROUTINE RCARD(IERR)
C-----RCARD READS AND INTERPRETES AN OPERATION
C
  IMPLICIT REAL*8 (A-H,O-Z)
  COMMON MTOTNDP, L(1)
  COMMON /PSIZE/, NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
  COMMON /CARD/, INHOL(3,10), NN(4), S1, S2
  COMMON /RECON/, IN(80), INBCT(80), IFAB(5,4), NUM(10), LBYTE
  DATA IBLANK/2H/, M2, #3, #4, N1, N2, #3, #4
  READ OP, NH1, M2, #3, #4
  IF(NJ.EQ.0) WRITE(NWRITE, 2000) IN
  1000 FORMAT(80A1)

```


ST002110
 ST002120
 ST002130
 ST002140
 ST002150
 ST002160
 ST002170
 ST002180
 ST002190
 ST002200
 ST002210
 ST002220
 ST002230
 ST002240
 ST002250
 ST002260
 ST002270
 ST002280
 ST002290
 ST002300
 ST002310
 ST002320
 ST002330
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 ST002360
 ST002370
 ST002380
 ST002390
 ST002400
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 ST002440
 ST002450
 ST002460
 ST002470
 ST002480
 ST002490
 ST002500
 ST002510
 ST002520
 ST002530
 ST002540
 ST002550
 ST002560
 ST002570
 ST002580
 ST002590

```

2000 FORMAT(3H **80A1)
C-----SET INITIAL CONDITIONS
DO 50 J=1,10
DO 50 I=1,NH
50  INHJL(I,J) = IBLANK
60  NN(J) = 0
IER = 0
IEND = 80
IROW = 1
J = 1
II = 1
JNUM = 1
IBYTE = 0
JJ = 1
C-----IDENTIFY CHARACTER INDEX AND STORE IN INDIGT
DO 70 K=1,80
IJ = IN(K)
KTYPE = 400
IF(IJ.EQ.IBLANK) 30 TO 100
DO 70 I=1,10
IF(IJ.NE.NUM(I)) GO TO 70
KTYPE = 100 + I
GO TO 90
70  CONTINUE
IF(IJ.NE.ICOMMA) 30 TO 80
KTYPE = 200
GO TO 90
80  IF(IJ.GE.IALPHA .AND. IJ.LE.IZULU) KTYPE = 300
90  INDIGT(K) = KTYPE
GO TO 120
100 IEND = K - 1
C-----INTERPRET CHARACTER AND TRANSFER TO VARIABLE IN CARD COMMON
120 ICOL = INDIGT(J)/100
ISTAT = ITAB(IROW,ICOL)
C-----SEPARATE ACTION DIGIT FROM STATE DIGIT
IACT = ISTAT/100
IROW = ISTAT - 100*IACT
GO TO (200,300,400,500,700), IACT
C-----HOLLERITH DATA
200 IBYTE = IBYTE + 1
IF(IBYTE.LE.LBYTE) GO TO 210
IBYTE = 1
II = II + 1
210 CALL MOVEB(INHOL(II,JJ),IBYTE,IN(J),1)
GO TO 600
C-----NUMERICAL DATA
300 NNN = MOD(INDIGT(J),10)
NN(JNUM) = 10*NN(JNUM) + NNN

```


ST002600
 ST002610
 ST002620
 ST002630
 ST002640
 ST002650
 ST002660
 ST002670
 ST002680
 ST002690
 ST002700
 ST002710
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 ST002730
 ST002740
 ST002750
 ST002760
 ST002770
 ST002780
 ST002790
 ST002800
 ST002810
 ST002820
 ST002830
 ST002840
 ST002850
 ST002860
 ST002870
 ST002880
 ST002890
 ST002900
 ST002910
 ST002920
 ST002930
 ST002940
 ST002950
 ST002960
 ST002970
 ST002980
 ST002990
 ST003000
 ST003010
 ST003020
 ST003030
 ST003040
 ST003050
 ST003060
 ST003070
 ST003080

```

GO TO 600
C-----COMMA APTER HOLLERITH DATA
400 JJ=JJ+1
    I=1
    IBYTE = 0
    IF(JJ.ST.10 .AND. J.LT.IEND .AND. INDIGT(J+1).GT.200)GO TO 700
C-----COMMA APTER NUMERICAL DATA
500 JNUM = JNUM + 1
600 J = J + 1
    IF(J.LE.IEND)GO TO 120
GO TO 710
700 WRITE(NWRITE,3000)
3000 FORMAT(29H0 INPUT CARD ERROR, RE-ENTER)
710 RETURN
END
SUBROUTINE OPSTOR(LOOPA,NW,IERR)
IMPLICIT REAL*8 (A-H,O-Z)
LOGICAL COMP
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD/ INHOL(3,10),NW(4),S1,S2
COMMON /LOOPD/ LA,IN,INDEX(5),LSTART(5),LJKLM(5)
COMMON /ADIR/ NA,NI(10)
COMMON /NAMES/ LTOP(3),NEXT(3),LSKIP(3),LNAME(3)
DIMENSION LOOPA(NW,1)
DATA IBLANK/4H
IF(LA.NE.1)GO TO 50
DO 40 I=1,5
40 IJKLM(I)=6
IF(NW.EQ.0) WRITE(NWRITE,2001)
C-----TRANSFER OPERATION FROM STORAGE TO CARD COMMON -----
50 I=1
DO 100 J=1,10
DO 100 K=1,NH
INHOL(K,J)=LOOPA(I,LA)
100 I=I+1
DO 110 J=1,4
NH(J)=LOOPA(I,LA)
110 I=I+1
LA=LA+1
IF(NW.EQ.0) WRITE(NWRITE,2000)((INHOL(I,J),I=1,NH),J=1,10)
1 IF(IJKLM(I).I=1,NH,LSKIP)GO TO 200
IF(COMP(INHOL(1,1),LSKIP))GO TO 300
IF(COMP(INHOL(1,1),LOOP))GO TO 300
IF(COMP(INHOL(1,1),NEXT))GO TO 400
REIJRN

```



```

C-----SKI? OPERATION- CHECK SIGN AND INCREMENT COUNTER-----
200 CALL PIND (INHOL (1,2), IERR)
   IF (IERR .NE. 1) RETURN
250 CALL MOVE (L,NA),S1,NDP)
   IF (J .EQ. 0) WRITE (NWRITE, 2002) (INHOL (J,2), J=1, NH), S1, NN(1)
   IF (S1 .LT. 0.0D0) LA=LA+NN(1)
   GO TO 50
C----- LOOP OPERATION- SET INDEX LIST FOR LOOP -----
300 IN=IN+1
   INDEX(IN)=NN(1)
   IJKLM(IN)=1
   LSTART(IN)=LA
   GO TO 50
C-----NEXT OPERATION- INCREMENT INDEX AND CHECK FOR LAST OPERATION----
400 INDEX(IN)=INDEX(IN)-1
   IJKLM(IN)=IJKLM(IN)+1
   IF (NJ .EQ. 0) WRITE (NWRITE, 2003) IN
   CALL PIND (INHOL (1,2), IERR)
   IF (IERR .NE. 1) RETURN
410 CALL MOVE (L,NA),S1,NDP)
   IF (NJ .EQ. 0) WRITE (NWRITE, 2002) (INHOL (I,2), I=1, NH), S1
450 IF (S1 .LT. 0.0D0) INDEX(IN)=0
   IF (INDEX(IN) .NE. 0) LA=LSTART(IN)
   IF (INDEX(IN) .EQ. 0) IJKLM(IN)=0
   IF (IN .EQ. 0) IN=IN-1
   GO TO 50
C-----DELETE ARRAY OF OPERATIONS WITHIN LOOPS-----
500 LA=J
   CALL DELETE (LNAME)
   RETURN
2000 FORMAT (5H ** 2044,/, 1H , I5, 3H=L1, I5, 3H=L2, I5, 3H=L3, I5, 3H=L4, I5, 3
1 H=L5)
2001 FORMAT (28H0 START OF LOOPING OPERATIONS )
2002 FORMAT (1X, 2A4, 3H = E15.7, 17H IF NEGATIVE SKIP I5)
2003 END
   SUBROUTINE ERCOM (IERR)
   IMPLICIT REAL*8 (A-H, D-Z)
   COMMON /LOOPD/ L1
   COMMON /ERROR/ NERR, MODE, NTIME
   WRITE (NERR, 2000)
   IF (LA .GE. 1) WRITE (NERR, 3000)
   IERR = 2
   RETURN
2000 FORMAT (24H0 MATRICES NOT COMPATIBLE )
3000 FORMAT (39H0 **WARNING LOOP OPERATIONS CANCELLED**)
   END

```

```

ST003090
ST003100
ST003110
ST003120
ST003130
ST003140
ST003150
ST003160
ST003170
ST003180
ST003190
ST003200
ST003210
ST003220
ST003230
ST003240
ST003250
ST003260
ST003270
ST003280
ST003290
ST003300
ST003310
ST003320
ST003330
ST003340
ST003350
ST003360
ST003370
ST003380
ST003390
ST003400
ST003410
ST003420
ST003430
ST003440
ST003450
ST003460
ST003470
ST003480
ST003490
ST003500
ST003510
ST003520
ST003530
ST003540
ST003550
ST003560
ST003570

```



```

SUBROUTINE MOVE(I1,J1,N)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION I1(3), J1(3)
DO 100 I=1,N
JJ(I)=I1(I)
REIJRN
END
FUNCTION COMP(I,J)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION I1(3), J1(3)
LOGICAL COMP
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMP=.FALSE.
DO 100 K=1,NH
IF(I(K).NE.J(K)) RETURN
COMP=.TRUE.
REIJRN
END
SUBROUTINE LIST(I1,NR,NC,NP,IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON MTOT,NDP,L(1)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /ADIR/ NARA(10)
COMMON /ERROR/ NERR,MODE,NTIME
DIMENSION I1(3), IBLANK(3)
LOGICAL COMP
DATA IBLANK/3*4H / GO TO 150
IF(COMP(I1,IBLANK)) GO TO 150
IF(NR.LT.1) OR (NC.LT.1) GO TO 150
IF(ND.EQ.0) .WRITE(NWRITE,2001) NR,NC
NEL = NR*NC
I(1) = NR*NC
IF(NP.EQ.1) .AND. MOD(NR*NC,NDP).EQ.1 I(1) = NR*NC+1
I(2) = NP
I(3) = NC
I(4) = NR
CALL MOVE(I1(5),NH)
CHECK CAPACITY OF L ARRAY
NN=L(1)+I(2)+NDIR
IF(NN.LT.MTOT+NSIZE) GO TO 50
NX=NSIZE+NN
WRITE(NERR,2000) MTOT,NX
IERR = 2
399 REIJRN
C-----SET DIRECTORY AND RESERVE STORAGE FOR NEW ARRAY-----
50 DO 100 N=1,NDIR
IN=NSIZE-1+N
100 L(I1)=I(N)

```

```

STO03580
STO03590
STO03600
STO03610
STO03620
STO03630
STO03640
STO03650
STO03660
STO03670
STO03680
STO03690
STO03700
STO03710
STO03720
STO03730
STO03740
STO03750
STO03760
STO03770
STO03780
STO03790
STO03800
STO03810
STO03820
STO03830
STO03840
STO03850
STO03860
STO03870
STO03880
STO03890
STO03900
STO03910
STO03920
STO03930
STO03940
STO03950
STO03960
STO03970
STO03980
STO03990
STO04000
STO04010
STO04020
STO04030
STO04040
STO04050
STO04060

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ST004070
 ST004080
 ST004090
 ST004100
 ST004110
 ST004120
 ST004130
 ST004140
 ST004150
 ST004160
 ST004170
 ST004180
 ST004190
 ST004200
 ST004210
 ST004220
 ST004230
 ST004240
 ST004250
 ST004260
 ST004270
 ST004280
 ST004290
 ST004300
 ST004310
 ST004320
 ST004330
 ST004340
 ST004350
 ST004360
 ST004370
 ST004380
 ST004390
 ST004400
 ST004410
 ST004420
 ST004430
 ST004440
 ST004450
 ST004460
 ST004470
 ST004480
 ST004490
 ST004500
 ST004510
 ST004520
 ST004530
 ST004540
 ST004550

```

NA=NSIZE+NDIR
NARA=NARA+1
NSIZE=NSIZE+NN
REIJRN
WRITE(NERR,2002)II
IER=2
REIJRN
FORMAT (19H0STORAGE EXCEEDED-- I5,11H RESERVED-- I5,9H REQUIRED)
FORMAT (15,6H ROWS I5,8H COLUMNS )
FORMAT (11H0 MATRIX $,3A4,25H$ ARGUMENT ERROR. REPEAT )
END
SUBROUTINE FIND(II,IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON MTDNDP L(1)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /ADIR/ NAI(10)
COMMON /ERROR/ NERR,MODE,NTIME
DIMENSION II(3)
LOGICAL COMP
C-----LOCATE ARRAY AND ITS DIRECTORY-- NA=0 IF ARRAY II IS NOT FOUND
N=1
NA=J
IF(N.EQ.NSIZE) GO TO 400
IF(-CMP(II,L(N+4))) GO TO 200
N=N+L(N)*L(N+1)+NDIR
GO TO 100
C-----COMPUTE ADDRESS AND TRANSFER DIRECTORY
DO 300 K=1,NDIR
H=N+K-1
I(K)=L(H)
300 NA=I+1
REIJRN
WRITE(NERR,2000) (II(J),J=1,NH)
999 IERR=2
2000 FORMAT ( 7HOARRAY$ 2A4,23H$NOT PREVIOUSLY DEPINED )
END
SUBROUTINE DELETE(II)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON MTDNDP L(1)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /ADIR/ NAI(10)
DIMENSION II(3)
LOGICAL COMP
C-----LOCATE ARRAY TO BE DELETED
N=1
NA=J
10 IF(-CMP(II,L(N+4))) GO TO 20

```


ST005050
 ST005060
 ST005070
 ST005080
 ST005090
 ST005100
 ST005110
 ST005120
 ST005130
 ST005140
 ST005150
 ST005160
 ST005170
 ST005180
 ST005190
 ST005200
 ST005210
 ST005220
 ST005230
 ST005240
 ST005250
 ST005260
 ST005270
 ST005280
 ST005290
 ST005300
 ST005310
 ST005320
 ST005330
 ST005340
 ST005350
 ST005360
 ST005370
 ST005380
 ST005390
 ST005400
 ST005410
 ST005420
 ST005430
 ST005440
 ST005450
 ST005460
 ST005470
 ST005480
 ST005490
 ST005500
 ST005510
 ST005520
 ST005530

```

DATA IOP(1,20) , IOP(2,20) , IOP(3,20) , /4HUSER,4HB
DATA IOP(1,21) , IOP(2,21) , IOP(3,21) , /4HMAX,4H
DATA IOP(1,22) , IOP(2,22) , IOP(3,22) , /4HNMORM,4H
DATA IOP(1,23) , IOP(2,23) , IOP(3,23) , /4HPROD,4H
DATA IOP(1,24) , IOP(2,24) , IOP(3,24) , /4HDUPS,4HM
DATA IOP(1,25) , IOP(2,25) , IOP(3,25) , /4HSTOS,4HM
DATA IOP(1,26) , IOP(2,26) , IOP(3,26) , /4HDUPD,4HG
DATA IOP(1,27) , IOP(2,27) , IOP(3,27) , /4HSTOD,4HG
DATA IOP(1,28) , IOP(2,28) , IOP(3,28) , /4HLABE,4HL
DATA IOP(1,29) , IOP(2,29) , IOP(3,29) , /4HREAD,4H
DATA IOP(1,30) , IOP(2,30) , IOP(3,30) , /4HWRITE,4HB
DATA IOP(1,31) , IOP(2,31) , IOP(3,31) , /4HTIME,4H
DATA IOP(1,32) , IOP(2,32) , IOP(3,32) , /4HSAVE,4H
DATA IOP(1,33) , IOP(2,33) , IOP(3,33) , /4HRESU,4HME
DATA IOP(1,34) , IOP(2,34) , IOP(3,34) , /4HLLIST,4H
NUMCP=34
  
```

```

C---- GO TO 175
100  IP ( IERR .GT. 1 ) RETURN
      CALL INPUT(IERR)
      IF ( IERR .GT. 1 ) RETURN
C---- INTERPRET OPERATION -----
175  DO 200 J=1, NUMOP
      N=J
      IF (COMP(INHOL(1,1), IOP(1,J))) GO TO 300
      CONTINUE
      RETURN
C---- EXECUTE APPROPRIATE OPERATION -----
300  LAST=1
      GO TO (1,2,3,4,5,6,7,8,9,10,11,12,13,14,15,16,17,18,19,20,21,22,
1      23,24,25,26,27,28,29,30,31,32,33,34) N
      NSIZE=1
      NO=J
      WRITE(NWRITE,2000)
      GO TO 100
2      CALL LOAD (IERR)
      GO TO 100
3      IF (N1.GT.0) CALL LABEL(N1)
      GO TO 100
4      CALL ZERO (IERR)
      GO TO 100
5      CALL DELETE (INHOL(1,2))
      GO TO 100
6      CALL DUP (IERR)
      GO TO 100
7      CALL ADD(1.DO,IERR)
      GO TO 100
  
```



```

8 CALL ADD(-1.DO,IERR)
9 GO TO 100
10 NO=1
10 NO=)
10 GO TO 100
11 IP(NRP.GT.1)END FILE NT
12 STOP
12 CALL MUL (IERR)
13 GO TO 100
13 CALL TRAN(IERR)
14 GO TO 100
14 CALL MOP(1,IERR)
15 GO TO 100
15 CALL MOP(2,IERR)
16 GO TO 100
16 CALL MOP(3,IERR)
17 GO TO 100
17 CALL MOP(4,IERR)
18 GO TO 100
18 CALL SYMSV(IERR)
19 GO TO 100
19 CALL USERA(IERR)
20 GO TO 100
20 CALL USERB(IERR)
21 GO TO 100
21 CALL MOP(5,IERR)
22 GO TO 100
22 CALL MOP(6,IERR)
23 GO TO 100
23 CALL MOP(7,IERR)
24 GO TO 100
24 CALL SMOP(1,IERR)
25 GO TO 100
25 CALL SMOP(2,IERR)
26 GO TO 100
26 CALL DGOP(1,IERR)
27 GO TO 100
27 CALL DGOP(2,IERR)
28 IP(N1.GT.0) CALL LABEL(N1)
29 IP(MODE.NE. 1) NREAD=N1
29 IP(MODE.EQ. 1) WRITE(NERR,2001)
30 IP(MODE.NE. 1) NWRITE=N1
30 IP(MODE.EQ. 1) WRITE(NERR,2001)
31 NTIME = 1 - NTIME

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ST005540
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ST005590
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ST005900
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ST005930
ST005940
ST005950
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ST005970
ST005980
ST005990
ST006000
ST006010
ST006020

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GO TO 100
CALL SAVE (NARA, NSIZE, L, MTOT, 1)
WRITE (NWRITE, 2005) NARA, NSIZE, MTOT
J=1
GO TO 400
CALL SAVE (NARA, NSIZE, L, MTOT, 2)
J=1
WRITE (NWRITE, 2003) NARA, NSIZE, MTOT
IF (J.EQ.NSIZE) GO TO 100
K=J+4
KJ=J+NH+3
WRITE (NWRITE, 2004) (L(KK), KK=1, KJ), L(J+2)
J=J+L(J)*L(J+1)+NDIR
GO TO 400
FORMAT (I4)
2001 FORMAT (22H0 COMMAND NOT EXECUTED)
2003 FORMAT (14H0 THERE ARE 14 19H ARRAYS IN STORAGE, I7,
1 36H STORAGE POSITIONS HAVE BEEN USED OF I7 10H RESERVED.)
2004 FORMAT (8H ARRAY $, 2A4, 5H$ HAS, I6, 9H ROWS AND I6, 9H COLUMNS.)
2005 FORMAT (14H0 I4 47H ARRAYS HAVE BEEN SAVED. THESE ARRAYS OCCUPIED,
1 I7, 25H STORAGE POSITIONS OF THE, I7, 20H POSITIONS RESERVED.)
END
SUBROUTINE SAVE (I, J, K, L, M)
COMMON /ESAVE/ NUHNP, NEQ, NPROP, NUMEL, NTRUSS, NT, NSAVE
COMMON /STR/ ST(9, 16), XM(16), S(16, 16), ND, NS, NRP, LM(16)
DIMENSION K(L)
REWIND NSAVE
GO TO 1, 2, M
1 WRITE (NSAVE) I, J, NUHNP, NEQ, NPROP, NUMEL, NTRUSS, NRP, K
END FILE NSAVE
2 READ (NSAVE) I, J, NUHNP, NEQ, NPROP, NUMEL, NTRUSS, NRP, K
END
SUBROUTINE LOAD (IERR)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON MTOT, NDP, L(1)
COMMON /PSIZE/ NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
COMMON /CARD/ INHOL(3, 10), N1, N2, N3, N4, S1, S2
CALL DELETE (INHOL(1, 2), N1, N2, NDP, IERR)
IF (IERR.EQ.1) RETURN
CALL RLOAD (L(NA), N1, N2, N3)
100 RETURN
999
SUBROUTINE RLOAD (A, NR, NC, N3)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /PSIZE/ NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR

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STO06030
STO06040
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STO06360
STO06370
STO06380
STO06390
STO06400
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STO06460
STO06470
STO06480
STO06490
STO06500
STO06510

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1000 COMMON /TEMP/ FOR (40)
DIMENSION A(NR,1)
IF(N3.EQ.0) GO TO 100
READ(NREAD,1000) ((A(I,J),J=1,NC),I=1,NR)
RETURN
100 READ(NREAD,1001) FOR
READ(NREAD,FOR) ((A(I,J),J=1,NC),I=1,NR)
RETURN
1000 FORMAT (8F10.0)
1001 FORMAT (40A2)
END
SUBROUTINE PRINT(IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD/ INHOL(3,10),N1,N2,N3,N4,51,S2
COMMON /ADIR/ NA I(10)
CALL PIND(INHOL(I),IERR)
IF(IERR.GT.1) RETURN
100 NR=I(4)
CALL RPRT(L(NA),NR,I(3),N2)
999 RETURN
END
SUBROUTINE RPRT(A,NR,NC,N2)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/ NJ,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
DIMENSION A(NR,1)
IF(N2.LT.1.OR.N2.GT.8) N2=8
DO 100 I=1,NC,N2
WRITE(NWRITE,2002)
IH=MINO(I+M2-1,NC)
WRITE(NWRITE,2000) (K,K=I,IH)
DO 100 J=1,N4
WRITE(NWRITE,2001) (J,(A(J,K),K=I,IH))
100 RETURN
2000 FORMAT (1H,5X,8(I87X))
2001 FORMAT (1H,15,8(1P015.7))
2002 FORMAT (1H0)
END
SUBROUTINE LABEL(N1)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
DO 100 I=1,N1
IF(N3.EQ.0) WRITE(NWRITE,1000) I
100 CONTINUE
RETURN
1000 FORMAT (40A2)

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ST006520
ST006530
ST006540
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ST006590
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ST006680
ST006690
ST006700
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ST006990
ST007000

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100 999
END
SUBROUTINE ZERO (IERR)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /MTOT NDP, L(1)
COMMON /PSIZE/ NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
COMMON /CARD/ INHOL(3, 10), N1, N2, N3, N4, S1, S2
COMMON /ADIR/ NA, I(10)
S1=N3
S2=N4
DELETE(INHOL(1,2))
CALL LIST(INHOL(1,2), N1, N2, NDP, IERR)
IF(IERR.GT. 1) RETURN
CALL ZEROS(L(NA))
RETURN
999
END
SUBROUTINE ZEROS (A)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /CARD/ INHOL(3, 10), N1, N2, N3, N4, S1, S2
DIMENSION A(1)
NEL=N1*N2
DO 100 II = 1, NEL
  A(II) = S2
  L=1
  NN = MINO (N1, N2)
  DO 200 JJ = 1, NN
    A(L) = S1
    L = L + N1 + 1
  RETURN
200
END
SUBROUTINE DUP (IERR)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /MTOT NDP, L(1)
COMMON /PSIZE/ NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
COMMON /CARD/ INHOL(3, 10), N1, N2, N3, N4, S1, S2
COMMON /ADIR/ NA, I(10)
CALL DELETE(INHOL(1,3))
CALL FIND (INHOL(1,2), IERR)
IF(IERR.GT. 1) RETURN
NR=L(4)
NC=L(3)
NB=NA
CALL LIST(INHOL(1,3), NR, NC, NDP, IERR)
IF(IERR.GT. 1) RETURN
NEL = NR*NC
CAL. DUPL(L(NB), L(NA), NEL)
RETURN
999
END
SUBROUTINE DUPL(A, B, NEL)
IMPLICIT REAL*8 (A-H, O-Z)

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ST007010
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ST007480
ST007490

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100 DIMENSION A(1), B(1)
      DO 100 I=1, NEL
      B(I) = A(I)
      RETURN
      END
      SUBROUTINE DGOP(N, IERR)
      IMPLICIT REAL*8 (A-H, O-Z)
      COMMON /MOT/NDP L(1)
      COMMON /PSIZE/ NO, NABA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
      COMMON /CARD/ INHOL(3, 10), N1, N2, N3, N4, S1, S2
      COMMON /ADIR/ NA, I(10)
      C----- SUBROUTINE TO DUPLICATE OR STORE DIAGONAL-----
      IF(N.EQ.1) CALL DELETE(INHOL(1, 3))
      CALL PND(INHOL(1, 2), IERR)
      IF(IERR.GT. 1) RETURN
      10 N1=I(3)
      IF(I(3).NE.I(4)) CALL ERCOM(IERR)
      IF(IERR.GT. 1) RETURN
      20 N2=NA
      IF(N.NE.1) GO TO 100
      CALL LIST(INHOL(1, 3), 1, N1, NDP, IERR)
      IF(IERR.GT. 1) RETURN
      100 CALL PND(INHOL(1, 2), IERR)
      IF(IERR.GT. 1) RETURN
      110 N5=I(3)*I(4)
      IF(N5.NE.N1) CALL ERCOM(IERR)
      IF(IERR.GT. 1) RETURN
      200 N3=NA
      CALL DGOPS(L(N2), L(N3), N1, N)
      999 RETURN
      END
      SUBROUTINE DGOPS(A, B, M, N)
      IMPLICIT REAL*8 (A-H, O-Z)
      DIMENSION A(1), B(1)
      DO 300 I=1, M
      IA = M*(I-1) + I
      GO TO (1, 2), N
      1 B(IA) = A(IA)
      GO TO 300
      2 A(IA) = B(I)
      300 CONTINUE
      RETURN
      END
      SUBROUTINE MOP(N, IERR)
      IMPLICIT REAL*8 (A-H, O-Z)
      COMMON /MOT/NDP L(1)
      COMMON /PSIZE/ NO, NABA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
      COMMON /CARD/ INHOL(3, 10), N1, N2, N3, N4, S1, S2
      COMMON /ADIR/ NA, I(10)

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ST007980

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ST007990
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ST008020
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ST008060
ST008070
ST008080
ST008090
ST008100
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ST008120
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ST008370
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ST008450
ST008460
ST008470

IF(N.EQ.4) CALL DELETE(INHOL(1,3))
CALL FIND(INHOL(1,2),IERR)
IF(IERR.GT.1) RETURN
N3=NA
NC=L(3)
NR=L(4)
IF(N.EQ.4) - ALL FIND(INHOL(1,3),IERR)
IF(N.EQ.5) CALL LIST(INHOL(1,3),NR,1,NDP,IERR)
IF(N.EQ.6) CALL LIST(INHOL(1,3),1,NC,NDP,IERR)
IF(N.EQ.7) CALL LIST(INHOL(1,3),1,2,NDP,IERR)
IF(IERR.GT.1) RETURN
CALL MOPS(L(N3),L(NA),NR,NC,N,N1)
RETURN
END
SUBROUTINE MOPS(A,B,NR,NC,N,N1)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON MTOP,NDP,L(1)
COMMON /PSIZE/NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
DIMENSION A(1),B(1)
NEL = NR*NC
GO TO (100,200,300,400,500,600,700),N
100 DO 150 I=1,NEL
150 A(I)=1.0D0/A(I)
RETURN
200 DO 250 I=1,NEL
250 A(I)=DSQRT(A(I))
RETURN
300 DO 350 I=1,NEL
350 A(I)=DLOG(A(I))
RETURN
400 DO 450 I=1,NEL
450 A(I)=A(I)*B(1)
RETURN
500 EVALUATE THE MAXIMUM OF EACH ROW-----
DO 550 I=1,NR
B(I)=0.0D0
DO 540 J=1,NC
IA = NR*(J-1) + I
X=DABS(A(IA))
IF(X.LT.B(I)) GO TO 540
B(I)=X
JMAX=J
540 CONTINUE
IF(NC.EQ.0) WRITE(NWRITE,2000) JMAX,B(I)
2000 FORMAT (I8,1PD16.7)

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```

550 CONTINUE
RETURN
C-----EVALUATE COLUMN NORMS-----
600 DO 650 J=1,NC
DO 640 I=1,NR
IA = NR*(J-1) + I
IF (.GT.0) GO TO 630
B(J) = B(J) + DABS(A(IA))
GO TO 640
630 B(J) = B(J) + A(IA) * A(IA)
640 CONTINUE
650 CONTINUE
C-----EVALUATE PRODUCT OF ALL ELEMENTS-----
700 B(1) = 1.0D0
B(2) = 1.0D0
DO 750 I=1,NR
DO 740 J=1,NC
IA = NR*(J-1) + I
B(1) = B(1) * A(IA)
IF (3(1) .NE. 0.0D0) GO TO 710
B(2) = 0.0D0
RETURN
710 IF (DABS(B(1)) .LT. 1.0D0) GO TO 720
B(1) = B(1) / 10.0D0
B(2) = B(2) / 1.0D0
GO TO 740
720 IF (DABS(B(1)) .GT. 0.1D0) GO TO 740
B(1) = B(1) * 10.0D0
B(2) = B(2) * 1.0D0
GO TO 720
740 CONTINUE
750 CONTINUE
RETURN
END
SUBROUTINE ADD(S, IERR)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /MPIZ/ L(1)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD/ INHOL(3),I{0}
COMMON /ADIR/ NA,I{0}
CALL FIND(INHOL(I),IERR)
IF (IERR .GT. 1) RETURN
NE=L(3)
NEL=L(3) * I(4)
CALL FIND(INHOL(1,2), IERR)

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STO08480
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STO08970
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 STO09450

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IF (NR.NE.I(3)) CALL ERCOM(IERR)
IF (IERR.GT.1) RETURN
CALL ADSB(L(NA),L(NB),NEL,S)
RETRN
END
SUBROUTINE ADSB(A,B,NEL,S)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION A(1),B(1)
DO 100 IA=1,NEL
  A(IA)=A(IA)+S*B(IA)
100 RETRN
END
SUBROUTINE MUL(IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON MTOI,NDP,L(1)
COMMON /PSIZE,NO,NABA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD,INHOL(3,10),N1,N2,N3,N4,S1,S2
COMMON /ADIR,NAI(10)
CALL DELETE(INHOL(1,2),IERR)
CALL FIND(INHOL(1,2),IERR)
IF (IERR.GT.1) RETURN
NR=I(4)
NT=I(3)
N1=NABA
N2=NA
NC=I(3)
CALL IYST(INHOL(1,3),IERR)
IF (NR.NE.I(4)) CALL ERCOM(IERR)
IF (IERR.GT.1) RETURN
CALL MULT(L(N1),L(N2),L(NA),NR,NT,NC)
RETRN
END
SUBROUTINE MULT(A,B,C,NRA,NCA,NCB)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION A(1),B(1),C(1)
DO 200 I=1,NRA
  DO 200 J=1,NCB
    X=0.0D0
    DO 100 K=1,NCA
      IA=(K-1)*NRA+I
      IB=(J-1)*NCA+K
      X=X+A(IA)*B(IB)
100 C(I)=X
200 RETRN
END
  
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ST009460
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SUBROUTINE TRAN (IERR)
  IMPLICIT REAL*8 (A-H, O-Z)
  COMMON /TOTNDP/ L(1)
  COMMON /PSIZE/ NO,NARA, NSIZE,NSP, NREAD,NWRITE, NH, NDIR
  COMMON /CARD/ INHOL(3,10),N1,N2,N3,N4,S1,S2
  COMMON /ADIR/ NA,I(1,3)
  CALL DELETE(INHOL(1,3),IERR)
  CALL FIND(INHOL(1,2),IERR)
  IP(IERR,GT. 1) RETURN
  NR=I(4)
  NC=I(3)
  N1=NA
  CALL LIST(INHOL(1,3),NC,NR,NDP,IERR)
  IF(IERR.GT. 1) RETURN
  CALL TRANS(L(N1),L(NA),NR,NC)
  RETURN
END
SUBROUTINE TRANS(A,B,NR,NC)
  IMPLICIT REAL*8 (A-H, O-Z)
  DIMENSION A(1),B(1)
  K=1
  DO 100 I = 1, NR
    L = I
    DO 100 J = 1, NC
      B(K) = A(L)
      L = L + NR
      K = K + 1
    100 RETURN
  END
SUBROUTINE SMOP(M,IERR)
  IMPLICIT REAL*8 (A-H, O-Z)
  COMMON /TOTNDP/ L(1)
  COMMON /PSIZE/ NO,NARA, NSIZE,NSP, NREAD,NWRITE, NH, NDIR
  COMMON /CARD/ INHOL(3,10),N1,N2,N3,N4,S1,S2
  COMMON /ADIR/ NA,I(1,3)
  C-----SUBROUTINE TO DUPLICATE OR STORE SUBMATRICES-----
  IP(N,NR.1) GO TO 100
  CALL DELETE(INHOL(1,3))
  CALL LIST(INHOL(1,2),N3,N4,NDP,IERR)
  IF(IERR.GT. 1) RETURN
  GO TO 200
  100 CALL FIND(INHOL(1,3),IERR)
  IF(IERR.GT. 1) RETURN
  N3=I(4)
  N4=I(3)
  200 NB=NA
  CALL FIND(INHOL(1,2),IERR)
  IF(IERR.GT. 1) RETURN
  NR=I(4)

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```

NC=L(3)
IF(N1+N3-1.GT.NR) CALL ERCOM(IERR)
IF(N2+N4-1.GT.NC) CALL ERCOM(IERR)
IF(IERR.GT.1) RETURN
CALL SHOPS(L(NA),L(NB),NR,NC,N1,N2,N3,N4,N)
RETURN
END
SUBROUTINE SHOPS(A,B,NR,NC,N1,N2,N3,N4,N)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION A(NR,1),B(N3,1)
II=V1
DO 100 I=1,N3
JJ=N2
DO 300 J=1,N4
GO TO (1,2),N
1 B(I,J)=A(II,JJ)
GO TO 300
2 A(II,JJ)=B(I,J)
300 JJ=JJ+1
400 II=II+1
RETURN
END
SUBROUTINE SYMSV(IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON MTONDP,L(1)
COMMON /PSIZE/,NO,NARA,NSIZE,NSP,NBEAD,NWRITE,NH,NDIR
COMMON /CARD/,INHOL(3),I(0)
COMMON /ADIR/,NA,I(0)
IP(N3.NE.0) GO TO 100
IF(N1.EQ.1) WRITE(NWRITE,2003)
IF(N1.EQ.2) WRITE(NWRITE,2001)
IF(N1.EQ.3) WRITE(NWRITE,2002)
100 CALL PEND(INHOL(1,2),IERR)
IP(IERR.GT.1) RETURN
NR=L(4)
IP(N1.EQ.3) GO TO 300
IP(NR.NE.I(3)) CALL ERCOM(IERR)
IP(IERR.GT.1) RETURN
N3=NA
IP(N1.EQ.1) GO TO 200 IERR)
CALL PEND(INHOL(1,3),IERR)
IP(NR.NE.I(4)) CALL ERCOM(IERR)
IP(IERR.GT.1) RETURN
200 CALL SYMSOL(L(N3),L(NA),NR,I(3),N1,N2)
RETURN
300 CALL SYMIN(L(NA),NR)
IP(N2.NE.0) WRITE(NWRITE,2003)
RETURN
2000 FORMAT (20H TRIANGULARIZE ONLY )

```

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STO09950
STO09960
STO09970
STO09980
STO09990
STO10000
STO10010
STO10020
STO10030
STO10040
STO10050
STO10060
STO10070
STO10080
STO10090
STO10100
STO10110
STO10120
STO10130
STO10140
STO10150
STO10160
STO10170
STO10180
STO10190
STO10200
STO10210
STO10220
STO10230
STO10240
STO10250
STO10260
STO10270
STO10280
STO10290
STO10300
STO10310
STO10320
STO10330
STO10340
STO10350
STO10360
STO10370
STO10380
STO10390
STO10400
STO10410
STO10420
STO10430

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```

2001 FORMAT (44H FORWARD REDUCTION AND BACKSUBSTITUTION ONLY )
2002 FORMAT (22H MATRIX INVERSION ONLY )
2003 FORMAT (48H0 ***WARNING*** MATRIX REQUIRED TO BE SYMMETRIC)
END
SUBROUTINE SYMSOL (A,B,NN,LL,M,N2)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
SYMPTRIC EQUATION SOLVER-E.L. WILSON 1976
M=0 TRIANGULARIZE AND SOLVE
M=1 TRIANGULARIZE ONLY AND BACKSUBSTITUTION ONLY
M=2 FORWARD REDUCTION AND BACKSUBSTITUTION IS USED.
IF (M2.NE.0) MATRIX IS NON SYMMETRIC AND LU DECOMPOSITION IS USED.
DIMENSION A(NN,1),B(NN,1)
ESTIMATE THE ROUNDOFF VALUE OF ZERO
ZERO = 0.0D0
DO 10 I = 1, NN
ZERO = ZERO + DABS(A(I,I))
ZERO = ZERO * 1.0D-16
IF (42.NE.0) GO TO 1000
C
IF (M.EQ.2) GO TO 500
DO 100 N=1, NN
D = A(N,N)
IF (DABS(D).LT.ZERO) WRITE(NWRITE,2000)N
N1=N+1
DO 300 J=N1, NN
IF (A(N,J).EQ.0.0D0) GO TO 300
A(N,J) = A(N,J)/D
DO 200 I=J, NN
A(I,J) = A(I,J) - A(I,N) * A(N,J)
A(I,I) = A(I,I)
CONTINUE
C
FORWARD REDUCTION AND BACKSUBSTITUTION
IF (M.EQ.1) RETURN
DO 500 L=1, LL
DO 500 N=1, NN
B(N,L) = B(N,L)/A(N,N)
IF (N.EQ.NN) GO TO 800
N1=N+1
DO 700 I=N, NN
DO 700 L=1, LL
B(I,L) = B(I,L) - A(I,N) * B(N,L)
C
800 N1=N-1
IF (N.EQ.0) RETURN
DO 900 L=1, LL

```

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STO10440
STO10450
STO10460
STO10470
STO10480
STO10490
STO10500
STO10510
STO10520
STO10530
STO10540
STO10550
STO10560
STO10570
STO10580
STO10590
STO10600
STO10610
STO10620
STO10630
STO10640
STO10650
STO10660
STO10670
STO10680
STO10690
STO10700
STO10710
STO10720
STO10730
STO10740
STO10750
STO10760
STO10770
STO10780
STO10790
STO10800
STO10810
STO10820
STO10830
STO10840
STO10850
STO10860
STO10870
STO10880
STO10890
STO10900
STO10910
STO10920

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STO110930
 STO110940
 STO110950
 STO110960
 STO110970
 STO110980
 STO110990
 STO111000
 STO111010
 STO111020
 STO111030
 STO111040
 STO111050
 STO111060
 STO111070
 STO111080
 STO111090
 STO111100
 STO111110
 STO111120
 STO111130
 STO111140
 STO111150
 STO111160
 STO111170
 STO111180
 STO111190
 STO11200
 STO11210
 STO11220
 STO11230
 STO11240
 STO11250
 STO11260
 STO11270
 STO11280
 STO11290
 STO11300
 STO11310
 STO11320
 STO11330
 STO11340
 STO11350
 STO11360
 STO11370
 STO11380
 STO11390
 STO11400
 STO11410

```

    900 DO 300 J=N1,NN
      B(N,L)=B(N,L)-A(N,J)*B(J,L)
    GO TO 800
  NON-SYMMETRIC MATRIX LU DECOMPOSITION
  C 1000 NH1=NN-1
      IF(M.EQ.2)GO TO 1500
      DO 1100 K=1,NN1
        KP1=K+1
        AKK=A(K,K)
        IF(ORBS(AKK),LT,ZERO) WRITE(NWRITE,2000) K
        DO 1100 I=KP1,NN
          G=-A(I,K)/AKK
          A(I,K)=G
        DO 1100 J=KP1,NN
          A(I,J)=A(I,J)+G*A(K,J)
      FORWARD REDUCTION AND BACK SUBSTITUTION
  C 1100 IP(M.EQ.1) RETURN
  1500 NP1=NN+1
      DO 1400 L=1,LL
        DO 1200 K=1,NN1
          KP1=K+1
          BK=B(K,L)
          DO 1200 I=KP1,NN
            B(I,L)=B(I,L)+A(I,K)*BK
          DO 1400 K=2,NN
            I=NP1-K
            J1=I+1
            BI=B(I,L)
            DO 1300 J=J1,NN
              BI=BI-A(I,J)*B(J,L)
          B(I,L)=BI
  1400 B(I,L)=B(I,L)/A(I,I)
      RETURN
  C 2000 FORMAT (39H0**ZERO DIAGONAL TERM EQUATION NUMBER I4)
      END
      SUBROUTINE SYMIN(A,M)
      IMPLICIT REAL*8(A,H,O-Z)
      DIMENSION A(M,1)
      EVALUATION OF POSITIVE DEFINITE SYMMETRIC MATRIX-----
      EVALUATION OF NEGATIVE INVERSE
      DO 400 N=1,M
        D=A(N,N)
        DO 300 L=1,M
          AM=A(L,N)/D
          IP(I.EQ.N) GO TO 200
        DO 100 J=I,M
          A(I,J)=A(I,J)-AM*A(N,J)
  
```



```

100 A (J, I) = A(I, J)
200 A (I, N) = AN
300 A (N, I) = AN
400 A (N, N) = AN + .000/D
C CHANGE SIGN OF INVERSE
DO 500 I=1, M
DO 500 J=1, M
C A (I, J) = -A(I, J)
RTJRN
END
SUBROUTINE USERA (IERR)
IMPLICIT REAL*8 (A-H, O-Z)
WRITE (NWRITE, 1000)
FORMAT (37H0 SUBROUTINE USERA IS NOT YET WRITTEN)
1000 RETURN
END
SUBROUTINE USERB (IERR)
IMPLICIT REAL*8 (A-H, O-Z)
WRITE (NWRITE, 1000)
FORMAT (37H0 SUBROUTINE USERB IS NOT YET WRITTEN)
1000 RETURN
END
SUBROUTINE GROUP2 (LAST, IERR)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /PSIZE/ NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
COMMON /CARD/ INHOL(3, 10), N1, N2, N3, N4, S1, S2
COMMON /TEMP/ SSS(100)
LOGICAL L, COMP
DIMENSION IOP(3, 14)
DATA IOP(1, 1), IOP(2, 1), IOP(3, 1) /4HNODE, 4HS
DATA IOP(1, 2), IOP(2, 2), IOP(3, 2) /4HBOUN, 4HD
DATA IOP(1, 3), IOP(2, 3), IOP(3, 3) /4HIRUS, 4HS
DATA IOP(1, 4), IOP(2, 4), IOP(3, 4) /4HBEAM, 4H
DATA IOP(1, 5), IOP(2, 5), IOP(3, 5) /4HADDS, 4HP
DATA IOP(1, 6), IOP(2, 6), IOP(3, 6) /4HLOAD, 4HS
DATA IOP(1, 7), IOP(2, 7), IOP(3, 7) /4HPORC, 4H
DATA IOP(1, 8), IOP(2, 8), IOP(3, 8) /4HDISP, 4H
DATA IOP(1, 9), IOP(2, 9), IOP(3, 9) /4HLOAD, 4HI
DATA IOP(1, 10), IOP(2, 10), IOP(3, 10) /4HPLAN, 4HE
DATA IOP(1, 11), IOP(2, 11), IOP(3, 11) /4HSLOP, 4HE
DATA IOP(1, 12), IOP(2, 12), IOP(3, 12) /4HADDK, 4H
DATA IOP(1, 13), IOP(2, 13), IOP(3, 13) /4HEMPR, 4HC
DATA IOP(1, 14), IOP(2, 14), IOP(3, 14) /4HPRAM, 4HE
NUMDP=14
GO TO 175
C--- READ OPERATION FROM CARD OR STORAGE -----
100 CALL INPUT(IERR)

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STO11420
STO11430
STO11440
STO11450
STO11460
STO11470
STO11480
STO11490
STO11500
STO11510
STO11520
STO11530
STO11540
STO11550
STO11560
STO11570
STO11580
STO11590
STO11600
STO11610
STO11620
STO11630
STO11640
STO11650
STO11660
STO11670
STO11680
STO11690
STO11700
STO11710
STO11720
STO11730
STO11740
STO11750
STO11760
STO11770
STO11780
STO11790
STO11800
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STO11830
STO11840
STO11850
STO11860
STO11870
STO11880
STO11890
STO11900

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C----- IP(IERR .GT. 1) RETURN
175 DO 200 J=1, NUMOP -----
      200 IF (COMP(INHOL(1,1), IOP(1,J))) GO TO 300
      RETURN
C----- EXECUTE APPROPRIATE OPERATION -----
300 LAST=2
      CALL STRUC(N, IERR)
      IF(IERR .GT. 1) RETURN
      GO TO 100
      .
      SUBROUTINE STRUC(NOP, IERR)
      IMPLICIT REAL*8 (A-H, O-Z)
      COMMON /TOT NDP, L(1)
      COMMON /SIZE/ NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
      COMMON /CARD/ INHOL(3,10), N1, N2, N3, N4, S1, S2
      COMMON /SFR/ ST(9,16), XH(16), S(16,16), ND, NS, NRP, LM(16)
      COMMON /ADIR/ NA I(10)
      COMMON /BSAVE/ NUMNP, NEQ, NPROP, NUMEL, NTRUSS
      EQUIVALENCE (M1, INHOL(1,2)), (M2, INHOL(1,3)), (M3, INHOL(1,4))
      EQUIVALENCE (M4, INHOL(1,5)), (M5, INHOL(1,6)), (M6, INHOL(1,7))
      DATA IBLANK /4H
      GO TO (100, 200, 300, 500, 600, 700, 800, 900, 300, 910, 920, 930, 940),
1
C----- READ NODE COORDINATES-----
100 CALL DELETE(M1)
      NUMNP=N1
      CALL LIST(M1, N1, 3 NDP, IERR)
      IF(IERR .GT. 1) RETURN
      CALL NODES(L(NA), N1)
      RETURN
C----- SPECIFICATION OF DISPLACEMENT BOUNDARY CONDITIONS
200 CALL DELETE(M1)
      CALL LIST(M1, NUMNP, 6 NSP, IERR)
      IF(IERR .GT. 1) RETURN
      CALL BOUND(L(NA), NUMNP, NEQ)
      CALL PTAPE(1, 1)
      NUMEL=0
      RETURN
C----- CALCULATION OF TRUSS AND BEAM STIFFNESS MATRICES-----
300 IP(IERR .GT. 1) RETURN
      NC=N1
      NI=N2
      CALL FIND(M3, IERR)
      IF(IERR .GT. 1) RETURN

```

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STO11910
STO11920
STO11930
STO11940
STO11950
STO11960
STO11970
STO11980
STO11990
STO12000
STO12010
STO12020
STO12030
STO12040
STO12050
STO12060
STO12070
STO12080
STO12090
STO12100
STO12110
STO12120
STO12130
STO12140
STO12150
STO12160
STO12170
STO12180
STO12190
STO12200
STO12210
STO12220
STO12230
STO12240
STO12250
STO12260
STO12270
STO12280
STO12290
STO12300
STO12310
STO12320
STO12330
STO12340
STO12350
STO12360
STO12370
STO12380
STO12390

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```

N2=NA
CALL FIND(M4, IERR)
IF(IERR .GT. 1) RETURN
NPROP=I(4)
N3=N1+NUMNP*NDP
N4=N1+2*NUMNP*NDP
IF(NDP.EQ.10) GO TO 370
IF(NDP.EQ.4) GO TO 350
C-----CALCULATION OF TRUSS ELEMENT MATRICES-----NOP=3
ND=6
NS=1
CALL TRUSS(L(N1), L(N3), L(N4), L(N2), L(NA), NUMNP, NTRUSS, NPROP)
GO TO 400
C-----CALCULATION OF BEAM ELEMENT STIFFNESS MATRICES--- NOP=4
350 ND=12
NS=3
CALL BEAM(L(N1), L(N3), L(N4), L(N2), L(NA), NUMNP, NTRUSS, NPROP)
GO TO 400
C-----CALCULATION OF 3 TO 8 NODE FINITE ELEMENT----
370 ND=16
NS=9
CALL PLANE(L(N1), L(N3), L(N4), L(N2), L(NA), NUMNP, NTRUSS, NPROP, NC, NE)
CALL DELETE(M1)
CALL LIST(M1, 1, 5, MSP, IERR)
IF(IERR .GT. 1) RETURN
L(NA+1)=ND
L(NA+2)=NS
L(NA+4)=NUMEL+1
NUMEL=NUMEL+NTRUSS
RETURN
C-----FORMATION OF TOTAL STIFFNESS AND MASS MATRICES
500 CALL DELETE(M1)
CALL DELETE(M2)
IF(M2.NE.IBLANK) CALL DELETE(M2)
CALL PLANE(1, 1)
IF(2.EQ.IBLANK) GO TO 550
CALL LIST(M2, NEQ, 1, NDP, IERR)
IF(IERR .GT. 1) RETURN
N1=NA
CALL LIST(M1, NEQ, NEQ, NDP, IERR)
IF(IERR .GT. 1) RETURN
CALL ADDSF(L(NA), L(N1), NEQ, NUMEL, M2)
RETURN
C-----FORMATION OF LOAD MATRIX-----
550 CALL DELETE(M1)
CALL DELETE(M2)
IF(IERR .GT. 1) RETURN
N2=NA
CALL LIST(M1, NEQ, N1, NDP, IERR)

```

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STO12400
STO12410
STO12420
STO12430
STO12440
STO12450
STO12460
STO12470
STO12480
STO12490
STO12500
STO12510
STO12520
STO12530
STO12540
STO12550
STO12560
STO12570
STO12580
STO12590
STO12600
STO12610
STO12620
STO12630
STO12640
STO12650
STO12660
STO12670
STO12680
STO12690
STO12700
STO12710
STO12720
STO12730
STO12740
STO12750
STO12760
STO12770
STO12780
STO12790
STO12800
STO12810
STO12820
STO12830
STO12840
STO12850
STO12860
STO12870
STO12880

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```

IF (.ERR .GT. 1) RETURN
CALL LOADS (L(N2), L(NA), NEQ, N1, NUMNP)
RETURN
C----- EVALUATION OF MEMBER FORCES
700 CALL FIND(M1, IERR)
IF (IERR .GT. 1) RETURN
NUME=L(NA)
ND=L(NA+1)
NSS=0
NS=L(NA+2)
NR=L(NA+4)
CALL PTAPE(1, NR)
CALL FIND(M2, IERR)
IF (IERR .GT. 1) RETURN
N1=NA
NL=I(3)
IF (M3 .EQ. IBLANK) GO TO 1050
IF (M3 .NE. NUME)
NSS=NS+NUME
CALL LIST(M3, NSS, NL, NDP, IERR)
IF (IERR .GT. 1) RETURN
1050 CALL FORCE(L(N1), L(NA), NEQ, NL, NUME, NSS)
RETURN
PRINT OF NODE DISPLACEMENTS
C-----
800 IF (NO .NE. 0) RETURN
CALL FIND(M1, IERR)
IF (IERR .GT. 1) RETURN
N2=N1
NL=I(3)
CALL LEND(M2, IERR)
IF (IERR .GT. 1) RETURN
CALL DISPL(L(N2), L(NA), NEQ, NL, NUMNP)
RETURN
C----- LOAD INTERGER ARRAY-----
900 CALL DELETE(M1)
CALL LIST(M1, N1, N2, NSP, IERR)
IF (IERR .GT. 1) RETURN
CALL LOADS(L(NA), N1, N2, N3, N4)
RETURN
C----- FOR 4 X 4 BEAM STIFFNESS MATRIX-----
910 CALL DELETE(M1)
CALL LIST(M1, 4, NDP, IERR)
IF (IERR .GT. 1) RETURN
CALL SLOPE(L(NA))
RETURN
C----- ADD ELEMENT STIFFNESS TO TOTAL STIFFNESS-----
920 CALL LOCATE(M1, NR, NEQ, IERR)
IF (NR .NE. NEQ) CALL ERCON(IERR)
IF (IERR .GT. 1) RETURN
CALL LOCATE(M2, NE, NR, NC, IERR)

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```

STO1 12890
STO1 12900
STO1 12910
STO1 12920
STO1 12930
STO1 12940
STO1 12950
STO1 12960
STO1 12970
STO1 12980
STO1 12990
STO1 13000
STO1 13010
STO1 13020
STO1 13030
STO1 13040
STO1 13050
STO1 13060
STO1 13070
STO1 13080
STO1 13090
STO1 13100
STO1 13110
STO1 13120
STO1 13130
STO1 13140
STO1 13150
STO1 13160
STO1 13170
STO1 13180
STO1 13190
STO1 13200
STO1 13210
STO1 13220
STO1 13230
STO1 13240
STO1 13250
STO1 13260
STO1 13270
STO1 13280
STO1 13290
STO1 13300
STO1 13310
STO1 13320
STO1 13330
STO1 13340
STO1 13350
STO1 13360
STO1 13370

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IF (NR, NE, NC) CALL ERCOM(IERR)
IP(IERR, GT, 1) RETURN
CALL LOCATE(M3, NL, END, NC, IERR)
IP(NR, NE, ND) CALL ERCOM(IERR)
IP(IERR, GT, 1) RETURN
NL=NL+NR*(N1-1)
CALL ADDR(L(NK), L(NE), L(NL), NR, NEQ)
RETRN
C-----
930  CALCULATE MEMBER FORCES-----
CALL DELETE(M4)
CALL LOCATE(M1, NE, NR, NC, IERR)
CALL LOCATE(M2, ND, NEQ, NL, IERR)
CALL LOCATE(M3, N2, N3, N4, IERR)
N2=N3+N2*(N1-1)
CALL LIST(M4, NR, NL, NDP, IERR)
IP(IERR, GT, 1) RETURN
CALL MEMPRC(L(NE), L(ND), L(N2), L(NA), NR, NC, NEQ, NL)
RETURN
C-----
940  CALCULATION OF 2D FRAME MATRICES-- 6 DOP -----
CALL DELETE(M1)
CALL DELETE(M2)
CALL LIST(M1, 6, 6, NDP, IERR)
NK=NA
CALL LIST(M2, 3, 6, NDP, IERR)
IP(IERR, GT, 1) RETURN
CALL FRAME(L(NK), L(NA))
RETURN
END
SUBROUTINE LOCATE(M1, NT, NR, NC, IERR)
COMMON /ADIR/ NA, I(16)
DIMENSION M1(1)
CALL FIND(M1, IERR)
NT=NA
NR=L(3)
NR=L(4)
RETRN
END
SUBROUTINE ADDSP(A, B, NEQ, NUMEL, M2)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /SPR/ ST(9, 16), XM(16), S(16, 16), ND, NS, NRP, LM(16)
DIMENSION A(NEQ, 1), B(1)
DATA IBLANK/4H
DO 100 I=1, NEQ
IP(M2, NE, IBLANK) B(I)=0.0D0
DO 100 J=1, NEQ
A(I, J)=0.0D0
DO 100 K=1, NUMEL
CALL PTAPE(3, NR)

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STO13380
STO13390
STO13400
STO13410
STO13420
STO13430
STO13440
STO13450
STO13460
STO13470
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STO13490
STO13500
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STO13570
STO13580
STO13590
STO13600
STO13610
STO13620
STO13630
STO13640
STO13650
STO13660
STO13670
STO13680
STO13690
STO13700
STO13710
STO13720
STO13730
STO13740
STO13750
STO13760
STO13770
STO13780
STO13790
STO13800
STO13810
STO13820
STO13830
STO13840
STO13850
STO13860

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DO 200 I=1, ND
II=LM(I,LE,0) GO TO 200
IF(II.NE.0) B(II)=B(II)+XM(I)
DO 150 J=1,ND
JJ=LM(J)
IF(JJ.LE.0) GO TO 150
A(II,JJ)=A(II,JJ)+S(I,J)
CONTINUE
200 CONTINUE
300 RETJRN

END
SUBROUTINE ADDK(A,S,LM,NR,NEQ)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION A(NEQ,1),S(NR),LM(NR)
C-----
ADDITION OF MEMBER STIFFNESS TO TOTAL STIFFNESS
DO 100 I=1, NR
II=LM(I)
IF(II.EQ.0) GO TO 400
DO 300 J=1, NR
JJ=LM(J)
IF(JJ.EQ.0) GO TO 300
A(II,JJ)=A(II,JJ)+S(I,J)
CONTINUE
400 CONTINUE
RETJRN

END
SUBROUTINE SLOPE(S)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/,NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR,INDIC
DIMENSION S(4,1)
READ(NREAD,1000) XI,EXL
IF(NJ.EQ.0) WRITE(NWRITE,2000) XI,E,XL
EIL=E*XI/XL
S(1,1)=4.0D0*EIL
S(1,2)=2.0D0*EIL
S(1,3)=-6.0D0*EIL/XL
S(1,4)=-S(1,3)
S(2,2)=S(1,1)
S(2,3)=S(1,3)
S(2,4)=S(1,4)
S(3,3)=12.6D0*EIL/(XL*XL)
S(3,4)=-S(3,3)
S(4,4)=S(3,3)
DO 100 J=1, 4
JP1=J+1
DO 100 I=JP1, 4
100 S(I,J)=S(J,I)

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STO13870
STO13880
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STO14000
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STO14020
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STO14150
STO14160
STO14170
STO14180
STO14190
STO14200
STO14210
STO14220
STO14230
STO14240
STO14250
STO14260
STO14270
STO14280
STO14290
STO14300
STO14310
STO14320
STO14330
STO14340
STO14350

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1000 RETURN
2000 FORMAT(3P10.0)
      FORMAT(4H I=,1PD15.6,5H E=,1PD15.6,5H L=,1PD15.6)
      END
      SUBROUTINE FRAME(S,A)
      IMPLICIT REAL*8 (A-H,O-Z)
      COMMON /PSIZE/,NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR,INDIC
      DIMENSION S(6,1),A(3,1)
      C-----
      READ(NREAD,1000)AR,E,XI,X1,Y1,X2,Y2
      IF(NO.EQ.0) WRITE(NWRITE,2000)AR,E,XI,X1,Y1,X2,Y2
      DX=X2-X1
      DY=Y2-Y1
      XL=DSORT(DX*DX+DY*DY)
      SIN=DY/XL
      COS=DX/XL
      C-----
      A(1,1)=SIN/XL
      A(1,2)=-COS/XL
      A(1,3)=1.0D0
      A(1,4)=-A(1,1)
      A(1,5)=-A(1,2)
      A(1,6)=0.0D0
      A(2,1)=SIN/XL
      A(2,2)=-COS/XL
      A(2,3)=0.0D0
      A(2,4)=A(1,4)
      A(2,5)=A(1,5)
      A(2,6)=1.0D0
      A(3,1)=-COS
      A(3,2)=-SIN
      A(3,3)=0.0D0
      A(3,4)=COS
      A(3,5)=SIN
      A(3,6)=0.0D0
      C-----
      S12=2.0D0*E*X1/XL
      S1=S12+S12
      S33=AR*E/XL
      C-----
      DO 300 I=1,6
      T1=311*A(1,I)+S12*A(2,I)
      T2=S12*A(1,I)+S11*A(2,I)
      T3=S33*A(3,I)
      DO 200 J=1,6
      S(J,1)=A(1,J)*T1+A(2,J)*T2+A(3,J)*T3
      200 S(J,I)=S(J,I)
      A(2,I)=T2

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STO14360
STO14370
STO14380
STO14390
STO14400
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STO14600
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STO14840

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STO14850
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 STO15220
 STO15230
 STO15240
 STO15250
 STO15260
 STO15270
 STO15280
 STO15290
 STO15300
 STO15310
 STO15320
 STO15330

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A(3 I)=T3
300 CONTINUE
RETURN
1000 FORMAT(14X,1H A,14X,1HE,14X,2HX1,13X,2HY1,
2000 13X,2HX2,(7F15.4))
END
SUBROUTINE MEMPRC(S,U,LM,F,NR,NC,NEQ,NL)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION S(NR,NC),U(NEQ,NL),LM(NC),F(NR,NL)
C----- EVALUATION OF MEMBER FORCES-----
DO 100 I=1,NR
DO 100 L=1,NL
SUM=0.0D0
DO 200 K=1,NC
KK=LM(K)
IF(KK.EQ.0) GO TO 50
SUM=SUM+S(I,K)*U(KK,L)
50 CONTINUE
100 F(I,L)=SUM
RETURN
END
SUBROUTINE TRUSS(X,Y,Z,ID,EE,NUMNP,NTRUSS,NPROP)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
DIMENSION X(1),Y(1),Z(1),ID(NUMNP,6),EE(NPROP,3)
COMMON /STR/ ST(9,16),XM(16),S(16,16),.ND,.NS,NRP,LM(16)
C----- EVALUATION OF TRUSS ELEMENT MATRICES-----
NTRUSS=0
IF(NO.EQ.0) WRITE(NWRITE,2000)
100 READ(NREAD,1001)M,I,J,NP,NPT
IF(M.EQ.0) RETURN
AREA=EE(NP,1)
E=EE(NP,2)
DEN=EE(NP,3)
IF(NJ.EQ.0) WRITE(NWRITE,2001) M,I,J,AREA,E,DEN
DX=X(I)-X(J)
DY=Y(I)-Y(J)
DZ=Z(I)-Z(J)
XL2=DX*DX+DY*DY+DZ*DZ
XL=DSORT(XL2)
DEN=DEN*XL/2.0D0
XY=AREA*E/XL
ST(1,1)=DX/XL
ST(1,2)=DY/XL
ST(1,3)=DZ/XL
ST(1,4)=-ST(1,1)
ST(1,5)=-ST(1,2)

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ST015340
 ST015350
 ST015360
 ST015370
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 ST015680
 ST015690
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 ST015750
 ST015760
 ST015770
 ST015780
 ST015790
 ST015800
 ST015810
 ST015820

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C
  ST(I,6)=-ST(1,3)
  DO 300 L=1,6
  YY=Z(I,L)*XX
  DO 250 K=L,6
  S(K,L)=S(K,K)*YY
  ST(I,L)=YY
  250 XH(L)=DEN
  DO 400 L=1,3
  LM(L)=ID(I,L)
  LM(L+3)=YD(J,L)
  CALL PIAPPE(Z,S+1)
  NTRUSS=NTRUSS+1
  GO TO 100

C
  1001 FORMAT(5I5)
  2000 FORMAT(7H)NUMBER 6X 1H1 6X 1HJ 11X 4HAREA 14X 1HE 12X 3HDEN )
  2001 FORMAT(3I7,F15.3,2(1PD15.6))
  END
  SUBROUTINE BEAM(X,Y,Z, ID,P, NUMNP, NUME, NP)
  IMPLICIT REAL*8 (A-H,O-Z)
  DIMENSION X(NUMNP), Y(NUMNP), Z(NUMNP), ID(NUMNP,6), P(NP,7)
  COMMON /PSIZE/NO,NARA,XM(16),S(16,16),KD,NS,NRP,LM(16)
  COMMON /TEMP/ A(6,12),T(3,3),V(4,4)
  C----- READ AND PRINT BEAM DATA -----
  NUME=0
  IF(NO.EQ.0) WRITE(NWRITE,2000)
  100 READ(NREAD,1000)N,I,J,K,NN
  IF(V.EQ.0) RETURN
  IF(NO.EQ.0) WRITE(NWRITE,2001) N,I,J,K,NN,(P(NM,L),L=1,7)
  NUMP=NUME+1
  C----- FORM 3 X 3 TRANSFORMATION MATRIX -----
  CALL VECTOR(V(1,1),X(I),Y(I),Z(I),X(J),Y(J),Z(J))
  XL=V(4,1)
  CALL VECTOR(V(1,4),X(I),Y(I),Z(I),X(K),Y(K),Z(K))
  CALL CROSS(V(1,1),V(1,4),V(1,3))
  CALL CROSS(V(1,3),V(1,1),V(1,2))
  DO 200 K=1,3
  DO 200 L=1,3
  200 T(K,L)=V(L,K)
  C----- FORM DESTINATION VECTOR -----
  DO 300 L=1,6
  LM(L)=ID(I,L)
  300 LM(L+6)=ID(J,L)
  C----- FORM STIFFNESS MATRIX IN LOCAL SYSTEM -----
  DO 400 I=1,6
  DO 400 J=1,6

```



```

400 S(I,J)=0.0D0
S(1,1)=P(NN,1)*P(NN,5)/XL
S(1,4)=P(NN,2)*P(NN,6)/XL
Q=4.0D0*P(NN,3)/XL
S(5,5)=Q*P(NN,4)
S(6,6)=Q*XL*XL
S(3,3)=Q*S(5,5)
S(2,2)=Q*S(6,6)
Q=1.5D0/XL
S(2,6)=-Q*S(6,6)
S(6,2)=S(2,6)
S(3,5)=Q*S(5,5)
S(5,3)=S(3,5)
C-----FORM LOCAL GLOBAL TRANSFORMATION-----
DO 300 I=1,6
DO 300 J=1,12
500 A(I,J)=0.0D0
A(2,J+3)=-XL*T(3,J)
A(3,J+3)=XL*T(2,J)
DO 300 I=1,3
A(I,J)=T(I,J)
A(I+3,J+3)=-T(I,J)
A(I+3,J+6)=T(I,J)
A(I+3,J+9)=T(I,J)
500 A FORM GLOBAL STIFFNESS MATRIX
DO 300 I=1,6
DO 300 J=1,12
ST(500,K)=0.0D0
ST(500,K)=S(I,J)+S(I,K)*A(K,J)
DO 300 I=1,12
ST(7,I)=ST(2,I)*XL-ST(6,I)
DO 300 J=1,12
Q=0.0D0
DO 850 K=1,6
Q=Q+A(K,I)*ST(K,J)
850 S(I,J)=Q
900 S(I,J)=Q
C-----CALCULATE MASS MATRIX-----
XMASS=P(NN,7)*XL/2.0D0
V(2,1)=XMASS*P(NN,2)/P(NN,1)
V(3,1)=XMASS*XL*XL/2.0D0
DO 350 I=1,3
XM(I)=XMASS
XM(I+6)=XMASS

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STO15830
STO15840
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STO15990
STO16000
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STO16260
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STO16290
STO16300
STO16310

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STO16810
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 STO17270
 STO17280
 STO17290

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2002-----READ AND PRINT ELEMENT DATA-----
C-----
  NUME=0
  IF(NC.EQ.0) WRITE(NWRITE,2002)
  IF(NC.EQ.0) RETURN
  IF(NC.EQ.0) WRITE(NWRITE,2001) N, NODE, (P(NN,L),L=1,4),RS
  THK=P(NN,3)
  IP(CHK.EQ.0.0D0) THK=1.0D0
  DEN=P(NN,4)
  VOL=0.D0
  DO 200 I=1,16
  XM(I)=0.0D0
  DO 200 J=1,16
  SM(J)=0.0D0
  FOR1 STRESS-STRAIN MATRIX-----
  C11=P(NN,1)/(1.D0-P(NN,2)*P(NN,2))
  C12=C11*P(NN,2)
  C33=C11*(1.D0+P(NN,2))/2.D0
  C-----SELECT NODE COORDINATES AND DESTINATION VECTOR
  J=0
  DO 250 I=1,8
  II=NODE(I)
  IF(II) 250,250,240
  J=J+1
  YZ(1,J)=Y(II)
  YZ(2,J)=Z(II)
  LM(2*J)=ID(II,2)
  LM(2*J+1)=ID(II,3)
  CONTINUE
  NM=J
  ND=2*NM
  FOR1 BT*CB FOR EACH INTEGRATION POINT-----
  DO 300 IR=1,INR
  DO 400 IS=1,INS
  CALL FORMB(6SI(IR,INB) RSI(IS,INS))
  DX=#ST(IR,INR)*WST(IS,INS)*DJ*THK
  VOL=VOL+DV
  DO 300 J=1,NN
  XM(J)=XM(J)+H(1,J)*H(1,J)*DV
  DO 400 J=1,ND
  CB1=C11*B(1,J)+C12*B(2,J)
  CB2=C12*B(1,J)+C11*B(2,J)
  
```



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CB3=C33*B(3,J)
DO 100 I=J,NB
SUM=B(1,I)*CB1+B(2,I)*CB2+B(3,I)*CB3
S(I,J)=S(I,J)+DV*SUM
400 C-----
FORM STRESS DISPLACEMENT TRANSFORMATION MATRIX
DO 500 I=1,3
CALL FORMB(RS(1,I),RS(2,I))
JJ=*(I-1)+1
DO 500 J=1,ND
ST(JJ+1,J)=C11*B(1,J)+C12*B(2,J)
ST(JJ+2,J)=C33*B(3,J)
500 C-----
FORM DIAGONAL MASS MATRIX-----
FAC=0.0D0
DO 550 J=1,NN
FAC=FAC+XM(I)
FAC=VOL*DEN/FAC
DO 580 J=1,NN
YZ(I,J)=XM(J)*FAC
DO 500 J=1,NN
XM(2*J-1)=YZ(1,J)
XM(2*J)=YZ(1,J)
600 C-----
WRITE ELEMENT MATRICES ON TAPE-----
CALL PTAPE(2,NR)
NUNE=NUNE+1
GO TO 100
C-----
1000 FORMAT (10I5,6F5.0) N1 N2 N3 N4 N5 N6 N7 N8
2000 FORMAT (116HONODE T M R1 S1 R2 S2 R3 S3)
2001 FORMAT (9I5,4(1PD10.3),6F5.2)
END
SUBROUTINE FORMB(R,S)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /TEMP/H(3,8),YZ(2,8),B(3,16),NODE(8),DJ,NN
FORM INTERPOLATION FUNCTIONS AND DERIVATIVES---
CALL FORMH(R,S)
FORM B MATRIX -----
DO 500 L=1,NN
K=2*L-1
B(1,K)=H(2,L)
B(1,K+1)=0.0D0
B(2,K)=0.0D0
B(2,K+1)=H(3,L)
B(3,K)=H(3,L)
B(3,K+1)=H(2,L)
600 REFJRN
END

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STO17300
STO17310
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STO17790
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SUBROUTINE FORMH(R,S)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIMP/ NJ,NARA,NSIZE,NSP,NBREAD,NWRITE,NH,NDIR
COMMON /TEMP/ H(3,8),YZ(2,8),B(3,16),NODE(8),IJ,KN
DIMENSION N(2,8),b(2,2),-1,0,1,-1,0,0,1,-1,0,0,-1,1,0/
DATA N/1,1,1,1,1,1,1,1,-1,0,1,-1,0,0,-1,1,0/
FORN INTERPOLATION FUNCTIONS AND DERIVATIVES----
DO 200 I=1,8
CALL GD(R,N(1,I),GR,GRD)
CALL GD(S,N(2,I),GS,GSD)
H(1,I) = GR*GS
H(2,I) = GR*GCS
H(3,I) = GR*GSS
200 MODIFY FOR NODES 5 TO 8 -----
M=4
DO 300 I=5,8
IF(NODE(I)) 300,300,250
M=M+1
DO 290 K=1,3
X=H(K,I)/2.DO
H(K,H) =H(K,I)
II=L-4
H(K,II) =H(K,II)-X
II=II+1
IF(LI.GT.4) II=1
H(K,II) =H(K,II)-X
300 CONTINUE
CALCULATE JACOBIAN MATRIX-----
DO 400 I=1,2
DO 400 J=1,2
SUM=0.0DO
DO 350 K=1,NN
SUM=SUM+H(I+1,K)*YZ(J,K)
400 D(I,J) =SUM
INVERT JACOBIAN MATRIX-----
DJ=2*(1,1)*D(2,2)-D(1,2)*D(2,1)
IF(DJ.LE.0.0001) WRITE(NWRITE,2000)DJ
SUM=D(1,1)/DJ
D(1,1) =D(2,2)/DJ
D(1,2) =-D(1,2)/DJ
D(2,1) =-D(2,1)/DJ
D(2,2) =SUM
CALCULATE H,Y AND H,Z -----
DO 300 K=1,NN
HR=1(2,K)
HS=1(3,K)
H(2,K) =D(1,1)*HR+D(1,2)*HS
H(3,K) =D(2,1)*HR+D(2,2)*HS
500 RETURN

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2000 FORMAT (10H JACOBIAN= 1PD15.6)
      END
      SUBROUTINE GD(8,IB,G,D)
      IMPLICIT REAL*8 (A-H,O-Z)
      IF (IB) 100,200,300
      G=(1-B)/2.D0
      D=-.5D0
      RETURN
200  G=1.D0-B*B
      D=-2.D0*B
      RETURN
300  G=(1.D0+B)/2.D0
      D=.5D0
      RETURN
      END
      SUBROUTINE PTAPE(N,NR)
      IMPLICIT REAL*8 (A-H,O-Z)
      COMMON /STR/ST(9,16),XM(16),S(16,16),ND,NS,NRP,LM(16)
      COMMON /PSAVE/NUMP,REQ,NPROP,NUMEL,KTRUSS,NT,NSAVE
      GO TO (50,60,70),NN
      C-----POSITION TAPE-----
      50  IF(NR.NE.1) GO TO 100
      NRP=1
      100  IP(VRP-EQ.NR) RETURN
      NX=VR-NRP
      IF(NX.LT.0) GO TO 300
      DO 200 N=1,NX
      READ (NT)
      GO TO 500
      300  NX=-NX
      DO 400 N=1,NX
      BACKSPACE NT
      500  NRP=NR
      RETURN
      C-----WRITE RECORD ON LOW SPEED STORAGE-----
      600  WRITE (NT) ST,XM,S,ND,NS,LM
      RETURN (NT)
      700  READ (NT) ST,XM,S,ND,NS,LM
      NRP=NRP+1
      RETURN
      END
      SUBROUTINE FORCE(D,P,NEQ,NL,NUME,NSS)
      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION D(NEQ,NL),P(NSS,NL)
      COMMON /PSIZE/NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
      COMMON /STR/ST(9,16),XM(16),S(16,16),ND,NS,NRP,LM(16)
      DO 600 N=1,NUME

```

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STO18280
STO18290
STO18300
STO18310
STO18320
STO18330
STO18340
STO18350
STO18360
STO18370
STO18380
STO18390
STO18400
STO18410
STO18420
STO18430
STO18440
STO18450
STO18460
STO18470
STO18480
STO18490
STO18500
STO18510
STO18520
STO18530
STO18540
STO18550
STO18560
STO18570
STO18580
STO18590
STO18600
STO18610
STO18620
STO18630
STO18640
STO18650
STO18660
STO18670
STO18680
STO18690
STO18700
STO18710
STO18720
STO18730
STO18740
STO18750
STO18760

```



```

IP(VJ,EO,0) WRITE(NWRITE,2000) N, (I,I=1,NS)
CALL PTAPE(3, NR)
DO 300 L=1, NL
DO 200 I=1, NS
XM(I)=0.0D6
DO 200 J=1, ND
JF=LM(J)
IF(JJ.LL.0) GO TO 200
XM(I)=XM(I)+SI(I,J)*D(JJ,L)
CONTINUE
200 IP(NC,EO,0) WRITE(NWRITE,2001) L, (XM(I), I=1, NS)
IP(NC,EO,0) GO TO 500
M=NS*(N-1)+1
DO 300 I=1, NS
P(M,L)=XM(I)
300 M=M+1
500 CONTINUE
2000 RETURN
2001 FORMAT (1H, I3, 7X, 9(1PD13.5))
END
SUBROUTINE LOAD(L, NR, NC, N3, N4)
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /TEMP/ FB(40)
DIMENSION L(NR, NC)
COMMON /PSIZE/ NC
C----- SUBPROGRAM TO LOAD AND PRINT INTERGER ARRAY-----
IP(N3,NE,0) GO TO 100
READ(NREAD, 1000) ((L(I,J), J=1, NC), I=1, NR)
GO TO 200
100 READ(NREAD, 1001) FOR
READ(NREAD, FOR) ((L(I,J), J=1, NC), I=1, NR)
200 IP(N4,NE,0) RETURN
IP(N4,LT,1) -OR- N4.GT.20) N4=20
DO 300 I=1, NC
IH=HINO(I+N4-1, NC)
WRITE(NWRITE, 2000) (K, K=I, IH)
DO 300 J=1, NR
WRITE(NWRITE, 2001) (J, (L(J,K), K=I, IH))
RETURN
1000 FORMAT (16I5)
1001 FORMAT (40A2)
2000 FORMAT (5X, 20I5)
2001 FORMAT (21I5)
END
SUBROUTINE DISPL(U, ID, NEQ, NL, NUMNP)
IMPLICIT REAL*8 (A-H, O-Z)
DIMENSION U(NEQ, NL), ID(NUMNP, 6)

```

```

STO 18770
STO 18780
STO 18790
STO 18800
STO 18810
STO 18820
STO 18830
STO 18840
STO 18850
STO 18860
STO 18870
STO 18880
STO 18890
STO 18900
STO 18910
STO 18920
STO 18930
STO 18940
STO 18950
STO 18960
STO 18970
STO 18980
STO 18990
STO 19000
STO 19010
STO 19020
STO 19030
STO 19040
STO 19050
STO 19060
STO 19070
STO 19080
STO 19090
STO 19100
STO 19110
STO 19120
STO 19130
STO 19140
STO 19150
STO 19160
STO 19170
STO 19180
STO 19190
STO 19200
STO 19210
STO 19220
STO 19230
STO 19240
STO 19250

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STO19260
STO19270
STO19280
STO19290
STO19300
STO19310
STO19320
STO19330
STO19340
STO19350
STO19360
STO19370
STO19380
STO19390
STO19400
STO19410
STO19420
STO19430
STO19440
STO19450
STO19460
STO19470
STO19480
STO19490
STO19500
STO19510
STO19520
STO19530
STO19540
STO19550
STO19560
STO19570
STO19580
STO19590
STO19600
STO19610
STO19620
STO19630
STO19640
STO19650
STO19660
STO19670
STO19680
STO19690
STO19700
STO19710
STO19720
STO19730
STO19740

```

COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /TEMP/ UU(6)

DO 200 N=1,NUMNP
WRITE(NWRITE,6)
DO 200 L=1,NL(2000)
DO 100 I=1,6
UU(I)=0.0D0
II=IB(N,I)
IF(II.LE.0) GO TO 100
UU(II)=UU(II,L)
CONTINUE
200 WRITE(NWRITE,2001) N,L,UU
RETRN

2000 FORMAT(12H NODE LOAD 13X 2HUX 13X 2HUY 13X 2HUZ 13X 2HTX
2001 FORMAT (Z16,6(1PD15.6))
END
SUBROUTINE LOADS (ID,R,NEQ,NL,NUMNP)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION R(NEQ,NL),ID(NUMNP,6)
COMMON /TEMP/ RR(6)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
DO 100 N=1,NEQ
DO 100 L=1,NL
R(N,L)=0.0D0
IF(N.EQ.0) WRITE(NWRITE,2000)
200 READ(NREAD,1000) N,L,RR
IF(N.EQ.0) RETURN
IF(N.EQ.0) WRITE(NWRITE,2001) N,L,RR
DO 300 Y=1,6
II=ID(N,I)
IF(II.LE.0) GO TO 300
R(II,L)=RR(I)
CONTINUE
300 GO TO 200

1000 FORMAT (Z15,6P10.0)
2000 FORMAT (12H NODE LOAD 13X 2HFX 13X 2HPY 13X 2HFZ 13X 2HMX
2001 FORMAT (Z16,6(1PD15.6))
END
SUBROUTINE NODES (XYZ,NUMNP)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
DIMENSION XYZ(NUMNP,3)
READ AND PRINT OP NODAL POINT COORDINATES----
IF(N.EQ.0) WRITE(NWRITE,2001)
100 READ(NREAD,1000) N,X,Y,Z
IF(N.EQ.0) RETURN

```



```

XYZ(N,2)}=X
XYZ(N,3)}=Y
XYZ(N,3)}=Z
IF(VC.EQ.0) WRITE(NWRITE,2000) N,XYZ(N,1),XYZ(N,2),XYZ(N,3)
GO TO 100
1000 FORMAT(15,5X,3P10.0)
2001 FORMAT(8H NODE NO 14X,1HX,14X,1HY,14X,1HZ)
2000 FORMAT(18,3P15.3)
END
SUBROUTINE BOUND(ID,NUMP,NEQ)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON ID,NUMP,6,II(6)
COMMON /PSIZE/ NC,NABA,NSIZE,NSP,NREAD,NWRITE
C-----ZERO ID ARRAY-----
DO 100 N=1,NUMP
DO 100 I=1,6
100 ID(N,I)=0
C-----SPECIFICATION OF UNKNOWN DISPLACEMENTS
200 READ(NREAD,1000) NL,NH1,(II(I),I=1,6),INC
IF(NL.EQ.0) GO TO 300
IF(INC.EQ.0) INC=1
IF(NC.EQ.0) WRITE(NWRITE,1000) NL,NH1,(II(I),I=1,6),INC
DO 250 J=NL,NH1,INC
DO 250 I=1,6
250 ID(J,I)=II(I)
GO TO 200
C-----EVALUATION OF EQUATION NUMBERS-----
300 NEQ=0
DO 100 N=1,NUMP
DO 350 I=1,6
IF(ID(N,I).EQ.0) GO TO 350
NEQ=NEQ+1
ID(N,I)=NEQ
CONTINUE
400 IF(NC.EQ.0) WRITE(NWRITE,2000) (N,(ID(N,I),I=1,6),N=1,NUMP)
RETURN
1000 FORMAT(42H EQUATION NUMBERS FOR NODAL DISPLACEMENTS /
2000 1 351 NODE X Z XX YY ZZ/(7I5))
END
SUBROUTINE GROUP3(LAST,IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON MTOT,NDP,L(1)
COMMON /PSIZE/ NC,NABA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD/ INHOL(3,10),N1,N2,N3,N4,S1,S2
LOGICAL COMP
DIMENSION IOP(3,10)
DATA IOP(1,1),IOP(2,1),IOP(3,1) /4HPUNG,4H ,4H /

```

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STO19750
STO19760
STO19770
STO19780
STO19790
STO19800
STO19810
STO19820
STO19830
STO19840
STO19850
STO19860
STO19870
STO19880
STO19890
STO19900
STO19910
STO19920
STO19930
STO19940
STO19950
STO19960
STO19970
STO19980
STO19990
STO20000
STO20010
STO20020
STO20030
STO20040
STO20050
STO20060
STO20070
STO20080
STO20090
STO20100
STO20110
STO20120
STO20130
STO20140
STO20150
STO20160
STO20170
STO20180
STO20190
STO20200
STO20210
STO20220
STO20230

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```

C----- READ OPERATION FROM CARD OR STORAGE -----
100 DATA IOP {1,2}, IOP {2,2}, IOP {3,2} /4HSTEP,4H
DATA IOP {1,3}, IOP {2,3}, IOP {3,3} /4HFIGE,4HN
DATA IOP {1,4}, IOP {2,4}, IOP {3,4} /4HDYNA,4HM
DATA IOP {1,5}, IOP {2,5}, IOP {3,5} /4HPLOT,4H
NUMOP=5
GO TO 175
C----- INTERPRETE OPERATION -----
175 DO 200 J=1, NUMOP
N=J
IF (COMP(INHOL(1,1), IOP(1,J))) GO TO 300
CONTINUE
RETURN
C----- EXECUTE APPROPRIATE OPERATION -----
300 LAST=3
GO TO (1,2,3,4,5), N
1 CALL PUNG(IERR) RETURN
IF(IERR.GT.1) RETURN
2 CALL STEP(IERR) RETURN
IF(IERR.GT.1) RETURN
3 CALL EIGEN(IERR)
IF(IERR.GT.1) RETURN
GO TO 100
4 CALL DYNAM(IERR)
IF(IERR.GT.1) RETURN
GO TO 100
5 CALL PLOT(IERR)
IF(IERR.GT.1) RETURN
GO TO 100
END
SUBROUTINE PUNG(IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON HTOF,NDP,L(1)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD/ INHOL(3,10),N1,N2,N3,N4,S1,S2
COMMON /ADIER/ NA I(10)
CALL DEVEE(INHOL(1,3))
IF(N1.LE.0) CALL ERCON(IERR)
IF(IERR.GT.1) RETURN
IF(N2.NE.0) N2=1
N2=N2+1
CALL LIST(INHOL(1,3),N2,N1,NDP,IERR)
N3=N3+1
CALL FIND(INHOL(1,4),IERR)
IF(IERR.GT.1) RETURN

```

```

/4H
/4H
/4H
/4H

```

```

STO20240
STO20250
STO20260
STO20270
STO20280
STO20290
STO20300
STO20310
STO20320
STO20330
STO20340
STO20350
STO20360
STO20370
STO20380
STO20390
STO20400
STO20410
STO20420
STO20430
STO20440
STO20450
STO20460
STO20470
STO20480
STO20490
STO20500
STO20510
STO20520
STO20530
STO20540
STO20550
STO20560
STO20570
STO20580
STO20590
STO20600
STO20610
STO20620
STO20630
STO20640
STO20650
STO20660
STO20670
STO20680
STO20690
STO20700
STO20710
STO20720

```



```

100  N4=JA PIND (INHOL (1,2), IERR)
      CALL .GT. 1) RETURN
      IPI(IERR)
      IPI(4) .NE.2) CALL ERCOM(IERR)
      IPI(IERR)
      IPI(4) .GT. 1) RETURN
      CALL PUNGS(L(N4), L(N3), I(3), N1, N2, L(N4))
      RETURN
      END
      SUBROUTINE PUNGS(G, GG, NC, N1, N2, DT)
      IMPLICIT REAL*8 (A-H, O-Z)
      DIMENSION G(2,NC), GG(N2, N1)
      T=3(1,1)
      J=1
      NCC=NC-1
      DO 200 I=1, NCC
      S=(G(2, I+1) -G(2, I))/(G(1, I+1) -G(1, I))
      GG(N2, J)=S*(T-G(1, I))
      IPI(J) EQ. N1) RETURN
      J=J+1
      T=T+DT
      IPI(T, L(G(1, I+1))) GO TO 100
      CONTINUE
      CALL ERCOM(IERR)
      RETURN
      END
      SUBROUTINE STEP(IERR)
      IMPLICIT REAL*8 (A-H, O-Z)
      COMMON /PSIZE/ NO, NARA, NSIZE, NSP, NREAD, NWRITE, NH, NDIR
      COMMON /CARD/ INHOL(3, 10), N1, N2, N3, N4, S1, S2
      COMMON /ADIR/ NA, I(10)
      CALL DELETE(INHOL(1,2), IERR)
      CALL PIND(INHOL(1,2), IERR)
      IPI(3) .NE. I(4)) CALL ERCOM(IERR)
      IPI(IERR) .GT. 1) RETURN
      NK=NA
      NI=I(3)
      PIND(INHOL(1,3), IERR)
      CALL .GT. 1) CALL ERCOM(IERR)
      IPI(IERR)
      IPI(4) .NE. I(4)) CALL ERCOM(IERR)
      IPI(IERR)
      IPI(4) .GT. 1) RETURN
      CALL PIND(INHOL(1,4), IERR)
      IPI(3) .NE. I(4)) CALL ERCOM(IERR)
      IPI(IERR)
      IPI(4) .GT. 1) RETURN
      NC=NA
      CALL PIND(INHOL(1,5), IERR)
      IPI(IERR)
      IPI(4) .GT. 1) RETURN
      NI=IA

```

```

STO20730
STO20740
STO20750
STO20760
STO20770
STO20780
STO20790
STO20800
STO20810
STO20820
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STO20840
STO20850
STO20860
STO20870
STO20880
STO20890
STO20900
STO20910
STO20920
STO20930
STO20940
STO20950
STO20960
STO20970
STO20980
STO20990
STO21000
STO21010
STO21020
STO21030
STO21040
STO21050
STO21060
STO21070
STO21080
STO21090
STO21100
STO21110
STO21120
STO21130
STO21140
STO21150
STO21160
STO21170
STO21180
STO21190
STO21200
STO21210

```



```

1000 CALL LIST(INHOL(1,6),N,N2,NDP,IERR)
2000 IF(IERR.GT.1) RETURN
      NU=NA
      READ(NREAD,1000) DEL,ALP,THE
      IF(NO.EQ.0) WRITE(NWRITE,2000) DEL,ALP,THE
      CALL FIND(INHOL(1,7),IERR)
      IF(IERR.GT.1) RETURN
      ND=NA
      CALL FIND(INHOL(1,8),IERR)
      IF(IERR.GT.1) RETURN
      NP=NA
      CALL FIND(INHOL(1,9),IERR)
      IF(IERR.GT.1) RETURN
      CALL STEPS(L,NK),L(NM),L(NC),L(NI),L(ND),L(NP),L(NU),N,N1,N2,L(NA)
1      DEL,ALP,THE)
      1
      FORMAT(3F10.0)
      2000 FORMAT(2X,4HDEL=1PD15.6,3X4HALF=1PD15.6,3X,4HTHE=1PD15.6)
      END
      SUBROUTINE STEPS(S,XH,C,UI,D,P,U,N,N1,N2,DTT,DEL,ALP,THE)
      DIMENSION S(N,N),YH(N,N),C(N,N),UI(N,3),U(N,N2),D(1),P(1)
      COMPUTE INTEGRATION CONSTANTS
      IF(PHE.EQ.0.0D0) THE=1.0D0
      DTT=PHE*DTT
      A0=1.D0/(ALP*DTT)
      A1=DEL/(ALP*DTT)
      A2=1.D0/(ALP*DTT)
      A3=0.5D0/ALP-1.D0
      A4=DEL/ALP-1.D0
      A5=0.5D0*DTT*(DEL/ALP-2.D0)
      A6=DTT*(1.D0-DEL)
      A8=(-.5D0-ALP)*DTT*DTT
      A9=ALP*DTT*DTT
      DO 100 I=1,N
      DO 100 J=1,N
      S(I,J)=S(I,J)+A0*XH(I,J)+A1*C(I,J)
      CALL SYNSOL(S,UI,N,1,0)
      FOR EACH TIME STEP-----
      DO 400 I=1,N2
      DO 400 J=1,N1
      1. CALCULATE EFFECTIVE LOAD AT TIME T+DT
      K=K+1
      FF=P(K-1)+THE*(P(K)-P(K-1))
      DO 200 L=1,N
      200 U(L,I)=D(L,I)*FF
      FOR EACH TIME STEP-----
      DO 100 I=1,N
      DO 100 J=1,N
      FOR1 AND TRIANGULARIZE EFFECTIVE STIPPNESS MATRIX-----
      C-----
      100 S(I,J)=S(I,J)+A0*XH(I,J)+A1*C(I,J)
      CALL SYNSOL(S,UI,N,1,0)
      FOR EACH TIME STEP-----
      DO 400 I=1,N2
      DO 400 J=1,N1
      1. CALCULATE EFFECTIVE LOAD AT TIME T+DT
      K=K+1
      FF=P(K-1)+THE*(P(K)-P(K-1))
      DO 200 L=1,N
      200 U(L,I)=D(L,I)*FF

```

```

ST02 1220
ST02 1230
ST02 1240
ST02 1250
ST02 1260
ST02 1270
ST02 1280
ST02 1290
ST02 1300
ST02 1310
ST02 1320
ST02 1330
ST02 1340
ST02 1350
ST02 1360
ST02 1370
ST02 1380
ST02 1390
ST02 1400
ST02 1410
ST02 1420
ST02 1430
ST02 1440
ST02 1450
ST02 1460
ST02 1470
ST02 1480
ST02 1490
ST02 1500
ST02 1510
ST02 1520
ST02 1530
ST02 1540
ST02 1550
ST02 1560
ST02 1570
ST02 1580
ST02 1590
ST02 1600
ST02 1610
ST02 1620
ST02 1630
ST02 1640
ST02 1650
ST02 1660
ST02 1670
ST02 1680
ST02 1690
ST02 1700

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```

DO 250 L=1, N
X=A3*UI(L,1)+A2*UI(L,2)+A3*UI(L,3)
Y=A1*UI(L,1)+A4*UI(L,2)+A5*UI(L,3)
DO 250 M=1, N
U(M,1)=U(M,I)+XM(M,L)*X+C(M,L)*Y
C 250 SOLVE FOR DISPLACEMENT AT T+DT
C CAL. SYMSOL(S,U(I),N,1,2,0)
C 3. CALCULATE ACCELERATIONS AND VELOCITIES AT TIME T+DT
DO 300 L=1, N
A=A3*UI(L,1)-UI(L,1)-A2*UI(L,2)-A3*UI(L,3)
DA=(A-U(L,3))/IHE
A=U(L,3)+DA*UI(L,3)+A7*A
V=U(L,2)+A6*UI(L,2)+A8*UI(L,3)+A9*A
U(L,1)=UI(L,1)+DT*V
UI(L,2)=V
UI(L,1)=U(L,I)
C 300
C 400 CONTINUE
C
RETURN
END
SUBROUTINE DYNAM(IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /TOT NDP L(1)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD/ INHOL(3,10),N1,N2,N3,N4,S1,S2
COMMON /ADIR/ NA,I(10)
SUBROUTINE TO EVALUATE MODAL DYNAMIC RESPONSE-----
CALL DELETE(INHOL(1,6))
CALL FIND(INHOL(1,2),IERR)
IF(IERR.GT.1) RETURN
N2=NA
N=I(3)*I(4)
CALL FIND(INHOL(1,3),IERR)
IF(IERR.GT.1) RETURN
N3=IA
N5=I(3)*I(4) CALL ERCOM(IERR)
IF(N.NE.N5) RETURN
CALL FIND(INHOL(1,4),IERR)
IF(IERR.GT.1) RETURN
N4=NA
N5=I(3)*I(4) CALL ERCOM(IERR)
IF(N.NE.N5) RETURN
CALL FIND(INHOL(1,5),IERR)
IF(IERR.GT.1) RETURN
N5=IA
CALL FIND(INHOL(1,7),IERR)

```

STO21710
STO21720
STO21730
STO21740
STO21750
STO21760
STO21770
STO21780
STO21790
STO21800
STO21810
STO21820
STO21830
STO21840
STO21850
STO21860
STO21870
STO21880
STO21890
STO21900
STO21910
STO21920
STO21930
STO21940
STO21950
STO21960
STO21970
STO21980
STO21990
STO22000
STO22010
STO22020
STO22030
STO22040
STO22050
STO22060
STO22070
STO22080
STO22090
STO22100
STO22110
STO22120
STO22130
STO22140
STO22150
STO22160
STO22170
STO22180
STO22190


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IP( IERR .GT. 1) RETURN
N6=NA
CALL LIST (INHOL(16), N, N1, NDP, IERR)
IP( IERR .GT. 1) RETURN
CALL DYNAMS (L(N2), L(N3), L(N4), L(N5), L(N6), N1, N, L(N6))
RETURN
END
SUBROUTINE DYNAMS (FQ, DAM, P, PA, X, NTIME, NH, DDT)
IMPLICIT REAL*8 (A-H, O-Z)
DIMENSION FQ(NH), DAM(NH), P(NH), X (N, NTIME), PA(2, 1)
EVALUATION OF MODAL RESPONSE ... USING EXPLICIT INTEGRATION
DO J=1, NH
  FQ(J)=0
  DAM(J)=0
  P(J)=0
  X(J, 1)=0
  PA(1, 1)=0
  PA(2, 1)=0
  FQ(J)=DAMP**J
  ZW=DAMP**J
  TD=2.D0*ZW
  WD=W*DSORT(1.0D0-DAMP)
  FB=ZW/WH**J
  PA=ZW/WH**J
  PV=ZW/WH**J
  PVD=WH*(2.D0*DAMP*DAMP-1.0D0)
  PBB=(2.D0*DAMP*DAMP-1.0D0)/WH
  LI=0
  II=1
  V(0)=0
  VDO=0.D0
  TO=PA(1, 1)
  DT=)DT
  B=(PA(2, II+1)-PA(2, II))/(PA(1, II+1)-PA(1, II))
  A=P(M)*PA(2, II)+B*(TO-PA(1, II))
  TT=)T+DT
  IP(PA(1, II+1), GT, TT) GO TO 100
  DELT=PA(1, II+1)-TO
  GO TO 200
  DELT=DT
  C 200
  EX=)EXP (-ZW*DELT)
  XT=VDO*DELT
  CS=)COS (PT)
  SN=)SIN (PT)
  VT=(VDO+ZW*VO-PA*A+PBB*B)*SN/WD
  VV=VT+(VO-A/WH-PB*B+B*DELT/WH)*CS
  VDT=(A-WH*VO-ZH*(VDO+B/WH))*SN/WD
  VDDT=EX*(VDO-B/WH)*CS+VDT*(B/WH
  VDDT=(B+PV*VO+PVD*VDO-ZH*A)/WD

```

```

STO22200
STO22210
STO22220
STO22230
STO22240
STO22250
STO22260
STO22270
STO22280
STO22290
STO22300
STO22310
STO22320
STO22330
STO22340
STO22350
STO22360
STO22370
STO22380
STO22390
STO22400
STO22410
STO22420
STO22430
STO22440
STO22450
STO22460
STO22470
STO22480
STO22490
STO22500
STO22510
STO22520
STO22530
STO22540
STO22550
STO22560
STO22570
STO22580
STO22590
STO22600
STO22610
STO22620
STO22630
STO22640
STO22650
STO22660
STO22670
STO22680

```



```

VDDI=EI*((A-HW*VO-TZM*VDO)*CS+VDDT*SN)
VO=VT
VDO=VDI
C
IF(PA(1,II+1).GT.TT) GO TO 500
DT=DT-DELT
II=II+1
I=PA(1,II)
IF(OT.EQ.0.D0) GO TO 600
GO TO 50
TO=TO+DT
L=L+1
Y(M,L)=VT
IF(L.LT.NTIME) GO TO 10
CONTINUE
C
700
RTJRN
END
SUBROUTINE EIGEN(IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /TOT/NDP(1)
COMMON /PSIZE/NO,NABA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD/INHOL(3)
COMMON /DIR/NA,I(1,3)
CALL DELETE(INHOL(1,2),IERR)
CALL PIND(INHOL(1,3),IERR)
IF(L(3).NE.I(4)) CALL ERCOM(IERR)
IF(IERR.NE.1) RETURN
N2=I(4)
N3=NA
CALL PIND(INHOL(1,4),IERR)
IF(L(1).NE.N2) CALL ERCOM(IERR)
IF(IERR.NE.1) RETURN
N4=NA
CALL LIST(INHOL(1,3),N2,N2,NDP,IERR)
IF(IERR.NE.1) RETURN
CALL EIGENS(L(N3),L(N4),L(N4),N2,N1,N3)
IF(NO.EQ.0) WRITE(NWRITE,2000) N1,N3
RTJRN
2000 FORMAT(I3,27H FIGURE TOLERANCE SPECIFIED / I6,
1 20H ROTATIONS PERFORMED )
END
SUBROUTINE EIGENS(H,U,E,N,NS,NR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/NO,NABA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
DIMENSION H(N,1),U(N,1),E(N)
IF(NS.EQ.0) NS=4
TEST=1.0D0/10.0D0**(2*NS)

```

```

ST022690
ST022700
ST022710
ST022720
ST022730
ST022740
ST022750
ST022760
ST022770
ST022780
ST022790
ST022800
ST022810
ST022820
ST022830
ST022840
ST022850
ST022860
ST022870
ST022880
ST022890
ST022900
ST022910
ST022920
ST022930
ST022940
ST022950
ST022960
ST022970
ST022980
ST022990
ST023000
ST023010
ST023020
ST023030
ST023040
ST023050
ST023060
ST023070
ST023080
ST023090
ST023100
ST023110
ST023120
ST023130
ST023140
ST023150
ST023160
ST023170

```


ST023180
 ST023190
 ST023200
 ST023210
 ST023220
 ST023230
 ST023240
 ST023250
 ST023260
 ST023270
 ST023280
 ST023290
 ST023300
 ST023310
 ST023320
 ST023330
 ST023340
 ST023350
 ST023360
 ST023370
 ST023380
 ST023390
 ST023400
 ST023410
 ST023420
 ST023430
 ST023440
 ST023450
 ST023460
 ST023470
 ST023480
 ST023490
 ST023500
 ST023510
 ST023520
 ST023530
 ST023540
 ST023550
 ST023560
 ST023570
 ST023580
 ST023590
 ST023600
 ST023610
 ST023620
 ST023630
 ST023640
 ST023650
 ST023660

```

NN=1-1
NR=J
NRLM=5*N*N
TOLER=0.100
ZERO=0.000
C-----NORMALIZE TO UNIT MATRIX-----
DO 10 I=1,N
  E(I)=1.000/DSQRT(E(I))
DO 30 I=1,N
  DO 20 J=1,N
    H(I,J)=E(I)*H(I,J)*E(J)
20  U(I,J)=0.000
30  ZERO=DABS(H(I,I))
  U(I,I)=1.000
  ZERO=1.0D-16
  REDUCE MATRIX
50  XMAX=0.000
  DO 700 II=1,NN
    JJ=II+1
    DO 600 JJ=JL,N
      CHECK IP ROTATION IS REQUIRED
      HI=H(I,II)
      HIJ=H(I,II,JJ)
      HJJ=H(JJ,JJ)
      D=DABS(HI*HJJ)
      H2=HIJ*HIJ
      IP(H2.GT.XMAX*D) XMAX=H2/D
      IP(H2.LT.TOLER*D) GO TO 600
    COMPUTE TAN, SIN AND COS
C-----
  NR=NR+1
  IF(JABS(HIJ) - ZERO) 300,300,320
300 CS=0.000
  GO TO 350
320 HT=500*(HI-HJJ)/HIJ
  TN=-HT-DSIGN(DSORT(HT*HT+1.000),HT)
  CS=1.000/DSQRT(1.00+TN*TN)
  SN=CS*TN
  S2=S*CS
350 S2=SN*SN
C-----REDUCE II,JJ ELEMENT TO ZERO-----
  HT=2.00*HT*SN
  H(II,JJ)=0.000
  H(I,II)=HI*CS2+HT*HJJ*S2
  H(JJ,JJ)=HI*CS2+HT*HJJ*CS2
  DO 530 I=1,N
  IF(I-II) 370,530,420
370 HT=H(I,II)
  HT=H(I,II)*CS *HT*SN *H(I,JJ)

```


STO23670
 STO23680
 STO23690
 STO23700
 STO23710
 STO23720
 STO23730
 STO23740
 STO23750
 STO23760
 STO23770
 STO23780
 STO23790
 STO23800
 STO23810
 STO23820
 STO23830
 STO23840
 STO23850
 STO23860
 STO23870
 STO23880
 STO23890
 STO23900
 STO23910
 STO23920
 STO23930
 STO23940
 STO23950
 STO23960
 STO23970
 STO23980
 STO23990
 STO24000
 STO24010
 STO24020
 STO24030
 STO24040
 STO24050
 STO24060
 STO24070
 STO24080
 STO24090
 STO24100
 STO24110
 STO24120
 STO24130
 STO24140
 STO24150

```

H(I, JJ) = -SN * HT + CS * H(I, JJ)
GO TO 530
420 IF(I - JJ) 430, 530, 480
HT = H(I, I) * CS * HT + SN * H(I, JJ)
H(I, I) = CS * HT + SN * H(I, JJ)
GO TO 530
480 HT = H(I, I) * CS * HT + SN * H(JJ, I)
H(JJ, I) = -SN * HT + CS * H(JJ, I)
530 CONTINUE ON EIGENVECTORS -----
540 DO 550 I=1, N
HT = J(I, I) * CS * HT + SN * U(I, JJ)
U(I, I) = CS * HT + SN * U(I, JJ)
550 CONTINUE
600 CONTINUE
700 CONTINUE
C----- TEST FOR END OF ITERATION AND SET NEW TOLERANCE
IF(NRLM.LT.NR) GO TO 1000
IF(XMAX.LT.TEST) GO TO 710
TOLERR = 0.10D0 * XMAX
GO TO 50
C----- NORMALIZE AND ORDER EIGENVECTORS -----
710 DO 750 I=1, N
DO 750 J=1, N
750 U(I, J) = U(I, J) * E(I)
800 E(I) = H(I, I) * NN
DO 900 I=1, NN
ORDER EIGENVALUES AND EIGENVECTORS -----
JL = I + 1
HT = 2(I)
IM = I
DO 850 J=JL, N
IF(HT.LT.E(J)) GO TO 850
HT = E(J)
IM = J
850 CONTINUE
E(IM) = E(I)
E(I) = HT
DO 300 J=1, N
HT = J(J, I) * IM
U(J, I) = U(J, IM)
900 U(J, IM) = HT
RETURN
C 1000 WRITE(NWRITE, 2000)
2000 FORMAT(41H0ITERATION TERMINATED WITHOUT CONVERGENCE )

```



```

STO24160
STO24170
STO24180
STO24190
STO24200
STO24210
STO24220
STO24230
STO24240
STO24250
STO24260
STO24270
STO24280
STO24290
STO24300
STO24310
STO24320
STO24330
STO24340
STO24350
STO24360
STO24370
STO24380
STO24390
STO24400
STO24410
STO24420
STO24430
STO24440
STO24450
STO24460
STO24470
STO24480
STO24490
STO24500
STO24510
STO24520
STO24530
STO24540
STO24550
STO24560
STO24570
STO24580
STO24590
STO24600
STO24610
STO24620
STO24630
STO24640
STO24650
STO24660

END
SUBROUTINE PLOT (IERR)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
COMMON /CARD/ INHOL(3,10),N1,N2,N3,N4,S1,S2
COMMON /ADIE/ NA,I(10)
DIMENSION IPLOT(3)
DATA IPLOT /4HPLCT,4HNM,4H /
NT=121+N1+N1
CALL LIST(IPLOT,1,NT,NSP,IERR)
IP(IERR .GT. 1) RETURN
NP=NA
NK=NA+121
NN=NK+N1
CALL FIND(INHOL(1,2),IERR)
IP(IERR .GT. 1) RETURN
CALL PLOTS(L(NA),L(NP),L(NK),L(NN),I(4),I(3),N1)
CALL DELETE(IPLOT)
RETURN
END
SUBROUTINE PLOTS (A,K,KODE,NROW,NR,NC,N1)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /PSIZE/ NO,NARA,NSIZE,NSP,NREAD,NWRITE,NH,NDIR
DIMENSION A(NR,NC),K(121),KODE(N1),NROW(N1)
SUBROUTINE TO PRINT FOR PLOT N1 ROWS OF ARRAY A
DATA INDIA /2HI /,IBLANK /2H /,IZERO /2H0 /
READ (NREAD,1000) (KODE(I),NROW(I),I=1,N1)
IF (NO.NE.0) RETURN
WRITE (NWRITE,2000) (KODE(I),NROW(I),I=1,N1)
LOCATE LARGEST AND SMALLEST ELEMENTS-----
II=NROW(1)
AL=A (II,1)
AS=A (II,1)
DO 100 I=1,N1
II=NROW (I)
AS=A (II,I)
DO 100 J=1,NC
AX=A (I,J)
IP (AX.GT.AL) AL=AX
IP (AX.LT.AS) AS=AX
CONTINUE
100 AX=(AL+AS)/120.DO
WRITE (NWRITE,2001) AX,AS,AL
K0=-AS/AX+1.DO
DO 500 I=1,NC
FILL LINE BUFFER WITH BLANKS AND CODES---
DO 300 J=1,121
K (J) =IBLANK
300 K (1) =INDIA

```


STO24650
 STO24660
 STO24670
 STO24680
 STO24690
 STO24700
 STO24710
 STO24720
 STO24730
 STO24740
 STO24750
 STO24760
 STO24770
 STO24780
 STO24790
 STO24800

```

K(121) = INDIA
IF(KO.GT.0) K(KO) = IZERO
DO 400 J=1, N1
  JJ=NROW(J)
  II=(A(J,J))-AS) / AX+1. D0
  K(II) = KODE(J)
  WRITE (NRWRITE, 2003) K
  WRITE (NRWRITE, 2004)
  RETURN
1000 FORMAT (1A1, I4)
2000 FORMAT (11H0SYMBOL ROW / (5X, 1A1, I5))
2001 FORMAT (11H ONE SPACE= 1PD15.6/5HMINIMUM= 1PD15.6, 74X 9HMAXIMUM=
1 PD15.6/ 122(1H0))
2003 FORMAT (1H, 12(1A1))
2004 FORMAT (122(1H0))
END
  
```


APPENDIX B - USER'S MANUAL

This appendix provides details on use of CAL with the IBM 360/67 computer at NPS. Section I provides details on the command structure. Section II is a summary of commands available. Section III provides the job control language for executing the program in both the batch and interactive modes at NPS. Section IV contains detailed specifications for each available command. Finally, section V gives direction for solving larger problems with CAL. The majority of this appendix was originally published as reference (3). The author wishes to express appreciation to Professor Wilson for permission to use this material.

I. FORM AND RESTRICTION OF THE LANGUAGE

CAL is an interpretive language which is designed to manipulate arrays and matrices and to perform several standard structural analysis operations. A CAL program run involves the reading of the input deck once and executing the commands designated by the operation cards as they are encountered. Looping operations allow a sequence of commands to be executed more than once.

The input deck is composed of operation cards and data cards. The data cards directly follow each operation card which requires data (see LOOP operation for exception to this). The operation card contains the name of the operation to be executed, names of arrays associated with the operation and integer constants. Examples of the general form of this card are

```
OP,M1,M2,M3,M4,M5,N1,N2,N3,N4 COMMENTS
```

```
OP,M1,N1,N2
```

```
OP,N1
```

```
OP
```

in which OP is the name of the operation to be executed, M_i is the name of an array and N_i is an integer. The names of OP or M_i are one to eight alphabetic or numeric characters to be selected by the user. The first character of a name must be alphabetic. The sequence of terms OP, M_i and N_i must be separated by commas. Characters following a blank will be printed as comments in the output from the program run.

If an operation attempts to load or generate an array which previously existed the program will delete the array before the execution of the operation. A new array need not be the same size of the old array which had the same name.

II. SUMMARY OF COMMANDS

A. GENERAL COMMANDS

* indicates a significant change or addition in CAL-NPS

START - Initialize for the next problem
STOP - Normal termination
NO - Temporary suppression of output
YES - Restores output
LABEL - Print comments
READ - Change logical device for input *

WRITE - Change logical device for output *

TIME - Suppress time printout *

SAVE - Interrupt a problem *

RESUME - Continue an interrupted problem *

LIST - List arrays and storage used *

B. GENERAL MATRIX COMMANDS

LOAD - Load user defined matrix
ZERO - Create null or unit matrix
PRINT - Matrix print operation *

DUP - Matrix duplication
ADD - Matrix addition
SUB - Matrix subtraction
MULT - Matrix multiplication
TRAN - Matrix transpose
SCALE - Multiply a matrix by a scalar
SOLVE - Solution of linear equations *

DUPSM - Form sub-matrix from large matrix
STOSM - Store sub-matrix in large matrix
DUPDG - Form row matrix from diagonal

STODG - Store row on diagonal
MAX - Evaluate row maximums
NORM - Evaluate matrix norms
INVEL - Inverte each term in matrix
SQREL - Square root of each term in matrix
LOG - Natural log of each term in matrix
PROD - Evaluate product of all terms in matrix
DELETE - Delete matrix from storage

C. STATIC ANALYSIS OPERATIONS

NODES - Input joint geometry
BOUND - Specify boundary conditions
BEAM - Form 3-D beam stiffness matrix
TRUSS - Form 3-D truss stiffness matrix
PLANE - Form 3 to 8 node plane stiffness matrix
SLOPE - Form stiffness matrix from slope/deflection eq.
FRAME - Form 2-D frame stiffness matrix
LOADI - Load integer array (connectivity matrix) *

LOADS - Form load vector
ADDSF - Form global stiffness and mass matrices
ADDK - Add element matrix to global matrix
MEMFRC - Calculate element forces from joint displacements
DISPL - Print joint displacements
FORCE - Evaluate and print member forces

D. DYNAMIC ANALYSIS OPERATIONS

FUNG - Generate equal interval time function
STEP - Integrate dynamic equilibrium equations
EIGEN - Evaluate mode shapes and frequencies
DYNAM - Evaluate uncoupled equations of motion by mode superposition method
PLJT - Line printer plot of joint time history

E. LOOP OPERATIONS

LOOP - Start of loop

NEXT - End of loop

SKIP - Conditional skip of operations within loop

F. NAMES AVAILABLE FOR USER SUBROUTINES

USERA

USERB

III. JCL FOR EXECUTION

The job control language (JCL) necessary to initiate program execution for the OS/MVT (batch) system is:

```
//(standard green job card)
// EXEC CAL
//SYSIN DD *
```

CAL COMMANDS AND DATA CARDS

/*

For the CP/CMS (time-sharing) system the procedure is:

```
use standard login procedure, then
CP LINK 0099P 191 199 PASS= ESAN
LOGIN 199 A,P
CAL
```

CAL COMMANDS AND DATA CARDS

The following information is provided for the user who wishes to use his own subroutine or solve larger problems than allowed with the default core allocation. The load module library for the OS/MVT operating system is in partitioned data set P0099.CAL on DISK02. The load module is assigned member name MODULE. The file used as a scratch

pad is FT01F001. File FT02F001 is used as the scratch file for the SAVE and RESUME operations. The FT01F001 file is currently pointed at the SYSDA disk and FT02F001 is pointed at dummy. If for any reason a user desires to use the SAVE operation with the OS/MVT system, both FT01F001 and FT02F001 must be redefined. See Computer Center TN No. 0141-05, USER LIBRARIES AND SOURCE CODE EDITING UNDER OS for procedures. File FT01F001 requires 3404 bytes of storage per element. File FT02F001 requires a total of 4 times the dimension of the L array plus 8 bytes and should have RECFM=VBS.

For C?/CMS, the execution routine is

```
&TYPEOUT OFF
CP SET LINELN 130
GLOBAL T SYSLIB SSPLIB
FILEDEF 01 DSK-P4 FILE FT01F001 RECFM VS LRECL 3408
BLKSIZE 3412
FILEDEF 02 DSK-P4 FILE FT02F001 RECFM VS LRECL 7290
BLKSIZE 7294
FILEDEF 04 DSK
FILEDEF 08 PRT RECFM FBA LRECL 133 (PERM)
LOAD STORE USER CALH (CLEAR NOMAP XEQ)
```

FT01F001 is the scratch pad for the structural analysis. FT02F001 is created by the SAVE operation. Both FT01F001 and FT02F001 must be available for the RESUME operation.

Temporary additional storage can be obtained, if needed, by typing GETTEMP while in CMS. The GETTEMP execution routine is:

```
&TYPEOUT OFF
VSET RDYMSG OFF
CP SET LINELN 130
&BEGSTACK
VSET BLIP +
```


CP DEFINE T2314 192 4
FORMAT T ALL (NOTYPE)
RELEASE 192 T
LOGIN 192 P
LOGIN 191 B,P
&ENDSTACK

IV. CAL COMMAND SPECIFICATIONS

A. GENERAL MATRIX OPERATIONS

CAL has most of the standard matrix operations plus some special array operations which are useful in structural analysis. The following is a list of approximately 25 operations which are used for control and general matrix manipulation.

+ indicates the formation of a new matrix. A matrix previously defined with the same name will be deleted.

- indicates modification of an existing matrix.

START

This operation eliminates all arrays which were perviously loaded or generated.

STOP

This operation causes normal termination of a CAL program.

NO
YES

These operations are used to selectively suppress output from CAL. The NO operations suppresses all printing, except diagnostics, until the operation YES is encountered. Therefore, in subsequent runs of the same CAL program, output which was previously correct need not be reprinted if these cards are inserted in the data deck.

LABEL, N1

This operation will read and print N1 comment cards which follow this operation card. Column 1 of each card will be interpreted as a standard carriage control symbol (i.e. 0 for double space and 1 for skip to the top of the next page).

READ,N1

THIS OPERATION IS VALID ONLY WITH THE CP/CMS TIME SHARING SYSTEM.

This operation permits the selection of the offline printer or the terminal as the input file device. Default is the terminal. N1 = 4 will read subsequent commands from FILE FT04F001 on the users p-disk. N1 = 5 will restore the terminal as the input file device. All disk files prepared for use with this command should end with either STOP or READ,4. This command will not be executed on the OS/MVT (batch) system.

WRITE,N1

THIS OPERATION IS VALID ONLY WITH THE CP/CMS TIME SHARING SYSTEM-

This operation permits the selection of the offline printer or the terminal as the output file device. Default is the terminal and all error messages will be printed at the terminal regardless of the output file device selected. N1 = 3 selects the offline printer. N1 = 6 restores the terminal as the output file device. This command will not be executed on the OS/MVT (batch) system.

TIME

This operation permits the time printout to be suppressed without loss of other output. A second TIME will restore the time printout unless the print output is suppressed with the NO command.

SAVE

The SAVE command creates FILE FT02F001 containing all arrays in storage at the time of issuance. Note that saved arrays will contain any modification since creation. For instance, if a matrix has been reduced by the SOLVE operation, the reduced form of the matrix will be stowed in FILE FT02F001. Note the requirements discussed previously for use of this command with the OS system.

RESUME

The RESUME operation reads FILE FT02F001 into memory. Any arrays currently in storage will be destroyed. FILE FT02F001 must have previously been created on a mass storage device using the SAVE operation. Note that FILE FT01F001 must also be accessible if an interrupted structural analysis problem is being resumed.

LIST

The LIST operation prints the directory information for arrays in storage and the amount of storage used.

LOAD,⁺M1,N1,N2,N3

This operation will load an array of real numbers named M1 which has N1 rows and N2 columns. The terms of the array are punched in row-wise sequence on data cards following this operation. If N3 is zero or blank, the cards are punched in a format of (8F10.0). If N3 is nonzero, an additional card containing the format of the data cards must follow this operation and precede the data cards. If the data is to be 4 numbers per card in field widths of 15, the additional cards would contain the following information: (4F15.0).

ZERO,⁺M1,N1,N2,N3,N4

A real matrix named M1 is created with N1 rows and N2 columns. The terms in this matrix will have the following values.

$$M1(I,I) = N3 \quad I = 1, \dots, N1$$

$$M1(I,J) = N4 \quad J = 1, \dots, N2$$

Therefore, this operation can be used to form null or unit matrices.

PRINT,M1 or PRINT,M1,N1 or PRINT,M1,N1,N2 or PRINT,M1,,N2

This operation will print the real array named M1 in a matrix format of up to 8 columns per line. If N1 is greater than zero the operation will read and print N1 comment cards which follow the operation card. N2 is optional but note that an extra comma must be used in place of N1 if no printed title is desired. The matrix M1 will be printed in partitioned form with N2 columns per partition. Lines will have N1*15+5 characters. N2 defaults to 8, printing 125 characters per line. The user is cautioned not to overcome the capacity of the printing device in use.

DUP,⁺M1,M2

This operation will form an array named M2 which is identical to the array named M1.

ADD,⁻M1,M2

This operation will replace matrix M1 with the sum of the matrices M1 and M2.

SUB,⁻M1,M2

This operation will replace matrix M1 with matrix M1 less matrix M2.

MULT, M1, M2, M3⁺

This operation generates a new matrix M3 which is the product of matrices M1 and M2, or $M3 = M1 * M2$.

TRAN, M1, M2⁺

This operation generates a new matrix M2 which is the transpose of matrix M1.

SCALE, M1, M2⁻

This operation replaces each term in the matrix named M1 with the term multiplied by the term M2(1,1) of the matrix named M2.

SOLVE, M1, M2, N1, N2 or SOLVE, M1, M2, , N2 or SOLVE, M1, N1, N2 or
SOLVE, M1, M2, N1 or SOLVE, M1, M2 or SOLVE, M1

If N1 = 0, this operation solves the matrix equation AX=B. M1 is the name of the A matrix and M2 is the name of the B matrix. Matrix A is triangularized and the results X, are stored in M2.

If N1=1 Matrix A is triangularized only.

N1=2 For a given B matrix and the A matrix previously triangularized, the B matrix is replaced by the results X.

N1=3 Matrix A is replaced by its inverse FOR SYMMETRIX MATRICES ONLY.

N2=0 or blank, matrix A is symmetric. If N2 is nonzero the matrix A is not symmetric.

For symmetric matrices, matrix A is factored into the LDL form. The diagonal D matrix is stored on the diagonal of A. The parameter N2 permits the direct solution of non-symmetric systems of equations. If N2 is not equal to 0, an LU decomposition of matrix A will be performed. No direct replacement of M1 by its inverse is available for the non-symmetric case. Instead, use the ZERO operation to create an identity matrix M2 of the same order as M1. The command SOLVE, M1, M2, , N2 will then replace the matrix M2 with the inverse of the matrix A.

DUPSM, M1, M2, N1, N2, N3, N4⁺

This operation forms a new submatrix named M2 with N3 rows and N4 columns from terms within the matrix named M1. The first term of matrix M2, M2(1,1), will be from row N1 and column N2 of matrix M1, or M1(N1, N2).

STOSM, M1, M2, N1, N2

This operation stores a submatrix named M2 within the matrix named M1. The first term of the submatrix M2 will be stored at row N1 and column N2 of matrix M1. The terms within the area of M1 in which M2 is stored will be destroyed.

DUPDG, M1, M2

This operation forms a new row matrix named M2 from the diagonal terms of matrix M1.

STODG, M1, M2

This operation stores a row or column matrix named M2 at the diagonal locations of matrix M1.

MAX, M1, M2

This operation forms a column matrix named M2 in which each row contains the maximum absolute value of the corresponding row in matrix M1. The maximum and its column number is printed for each row.

NORM, M1, M2, N1

If $N1 = 0$, a row matrix named M2 is formed in which each column contains the sum of the absolute values of the corresponding column of matrix M1. If $N1 \neq 0$, a row matrix named M2 is formed in which each column contains the square root of the sum of the squares of the values of the corresponding columns of matrix M1.

INVEL, M1

This operation replaces each term in the matrix named M1 with its inverse.

SQREL, M1

This operation replaces each term in the matrix named M1 with the square root of the term.

LOG, M1

This operation replaces each term in the matrix named M1 with the natural log of the term.

PROD, M1, M2⁺

This operation forms a 1 x 2 array named M2 which contains the product of all terms in the matrix M1. The product, X, is stored as two numbers of the form

$X = P * 10^{**E}$
in which M2(1) = P and M2(2) = E, the exponent.

DELETE, M1⁻

This operation will cause the elimination from storage of the array named M1.

B. STATIC ANALYSIS OPERATIONS

The purpose of this series of operations is to form the total stiffness and diagonal (lumped) mass matrices for systems of two or three-dimensional elements. For three-dimensional analysis, there are beam and truss elements available. For two-dimensional analysis, there is a frame element, a slope/deflection element for beams, and a 3 to 8 node isoparametric finite element available.

After the creation of an array containing the coordinates of the joints of the system, the specification of displacement boundary conditions, the tabulation of material and section properties, the mass and stiffness matrices are formed for each structural member and placed in sequence on low speed storage along with the global equation numbers which are associated with their stiffness terms. In addition, the member force-displacement transformation matrices are formed and stored on a separate low speed storage file along with the appropriate displacement numbers.

The NJDES operation is used to specify or generate the geometry of the system. The operation BOUND specifies which joint displacements exist and assigns internal equation numbers to these displacements. Therefore, each joint may have from zero to six displacement degrees of freedom. Tables of material and section properties for the various members are loaded and printed as standard arrays of information.

A special operation, ADDSF, is used for the direct addition of element stiffnesses to form the total stiffness and diagonal mass matrix of the system. The ADDK operation may be used to add individual elements into the total system

matrices. The LOADS operation specifies the concentrated joint loads for all load conditions. After the direct solution for joint displacements due to static or dynamic loads, the member forces can be evaluated using the FORCE operation. Individual member forces can be evaluated using the MEMFRC operation. The DISPL operation is used to print the displacements in joint number order.

NODES,⁺M1,N1

The cards following this operation provide information for the creation of a N1 by 3 array which will contain the coordinates for all the joints in the system. Where

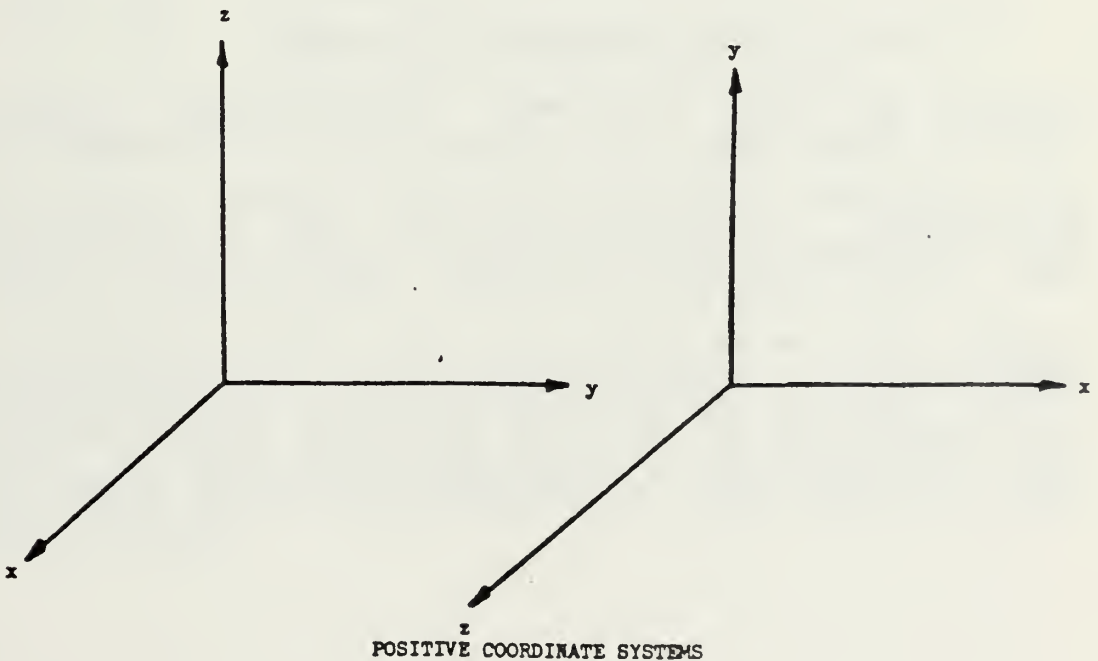
M1 = Name of new coordinate array to be loaded.

N1 = Number of joints (or nodes) in the system.

The following sequence of cards punched in a (2I5,3F10.0) format must follow this operation.

Columns	Contain
1 - 5	Node number selected by user
6 - 10	blank
11 - 20	X-coordinate
21 - 30	Y-coordinate .
31 - 40	Z-coordinate

Nodes cards may be supplied in any order; however, all nodes must be defined. If nodes are defined more than once the last definition will be used. This sequence of data must be terminated with a blank card.



BOUND, M1⁺

This operation specifies the displacements which are nonzero for the structural system of joints specified by the NODES operation. Where

M1 = Name of boundary condition code array to be generated.

This operation is followed by a series of cards containing the following information punched in a (8I5) format.

Columns	Contents
1 - 5	Node number for the first node in a series of nodes with identical displacement specification.
6 - 10	Node number for the last node in the series.
11 - 15	X-translation.
16 - 20	Y-translation
21 - 25	Z-translation
26 - 30	X-rotation
31 - 35	Y-rotation
36 - 40	Z-rotation
41 - 45	Node number increment used to generate Conditions for additional nodes.

A translation or rotation equals: (a) zero for zero or undefined displacements, or (b) one for nonzero displacements to be evaluated by other operations.

If a node boundary condition is not specified, all displacements at that node are assumed zero. Cards may be supplied in any order. If node boundary conditions are specified more than once, the last definition is used. This sequence of data must be terminated by a blank card.

The selection by the user of which nodes have nonzero displacements requires an understanding of the direct stiffness procedure. Displacements degrees of freedom which have no stiffness associated with the displacement must be considered to be undefined since it is not possible to develop an equilibrium equation for that direction. The total number of nonzero displacements specified will be the size of the total stiffness matrix to be defined by the ADDSF operation.

BEAM, M1, M2, M3, M4

This operation calculates the element stiffness, mass and force-displacement transformation matrices for 3-D beam members. These arrays are stored in sequence on low speed storage to be used by other operations where:

M1 is the name of the beam element group
M2 is the name of the coordinate array
M3 is the name of the boundary condition array
M4 is the name of the array which contain beam properties and has been loaded by the standard matrix LOAD operation

One card for each beam in this group of beam elements must follow this operation. The beam cards are punched in (5I5) format, where

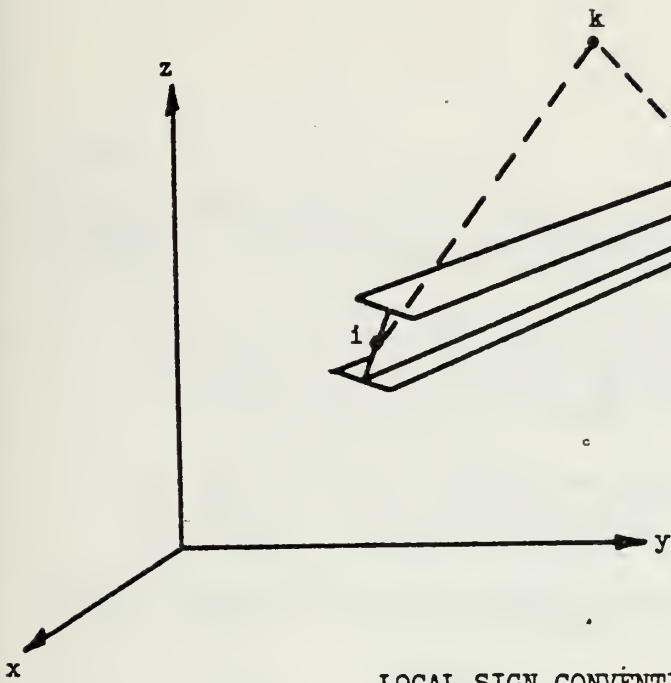
Columns	Contain
1 - 5	Beam identification number
6 - 10	Node number I
11 - 15	Node number J
16 - 20	Node number K
21 - 25	Beam property number NP

This sequence of cards must be terminated with a blank card.

The material and geometric properties for each element are give in the M4 array in the following order:

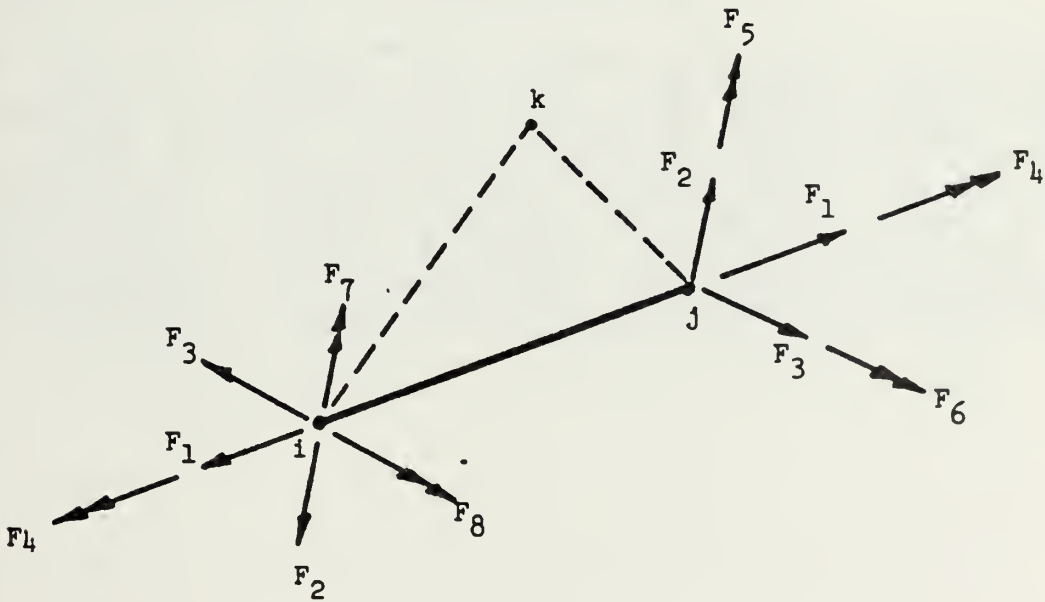
M4 (NP, 1) = Axial area of member, A
M4 (NP, 2) = Torsional Moment of Inertia, J
M4 (NP, 3) = Moment of Inertia about axis 2, I
M4 (NP, 4) = Moment of Inertia about axis 3, I
M4 (NP, 5) = Modulus of Elasticity, E
M4 (NP, 6) = Shear Modulus, G
M4 (NP, 7) = Mass per unit length of beam

where NP is the specific material property number specified in columns 21 - 25 of the beam card. The local sign convention is given in the following figure.



local beam reference system.
 Axes 1 and 2 are in the
 plane defined by plane
 i, j and k nodes. Axis 1
 is defined by line i-j.
 Axis 3 is perpendicular
 the i, j, k plane.

LOCAL SIGN CONVENTION



DEFINITION OF POSITIVE BEAM FORCES

TRUSS, M1, M2, M3, M4

This operation forms the element stiffness, mass and force-displacement transformation matrices for 3-D truss members. The arrays are stored on low speed storage in sequence and will be used by other structural operations.

M1 is the name of this groups of truss members
M2 is the name of the coordinate array
M3 is the name of the boundary condition array
M4 is an NP by 3 array of section properties in which NP is the number of different section properties and

M4 (NP, 1) = the cross-section area, A
M4 (NP, 2) = the Modulus of Elasticity, E
M4 (NP, 3) = the mass per unit length of the member
This matrix can be loaded by the matrix load operation.

This operation is followed by one card per truss member in (4I5) format with the following information:

Columns	Content
1 - 5	Truss member identification number
6 - 10	Joint number I
11 - 15	Joint number J
16 - 20	Section property number, NP

This operation must be terminated by a blank card.

LOADI, M1, N1, N2, N3, N4 or LOADI, M1, N1, N2, , N4 or
LOADI, M1, N1, N2, N3 or LOADI, M1, N1, N2

This operation will load an integer array named M1 which has N1 rows and N2 columns. The terms of the array are punched in row-wise sequence on data cards which follow this operation. If N3 is zero or blank, the data must be punched in (16I5) format. If N3 is nonzero, an additional card containing the format of the data cards must follow this operation and precede the data cards. N4 is optional but note that an extra comma must be used in place of N3 if the user does not supply a format. The matrix M1 will be printed in partitioned form with N4 columns per partition. Lines have (N4 + 1) * 5 characters. N4 defaults to 20 causing 125 characters to print per line. The user is cautioned not to overcome the capacity of the printing device in use.

PLANE, M1, M2, M3, M4, N1, N2

This operation calculates the element stiffness, mass and stress-displacement transformation matrices for 3 to 8 node isoparametric elements. (Y-Z plane only). These arrays are stored in sequence as a group on low speed storage to be used later by other operations (i.e., ADDSF and FORCE). The arguments are defined as

M1 is the user defined name of the element group
M2 is the name of the joint coordinate array
M3 is the name of the boundary condition array
M4 is the name of the array which contains the material properties of the elements (one row per different material) where

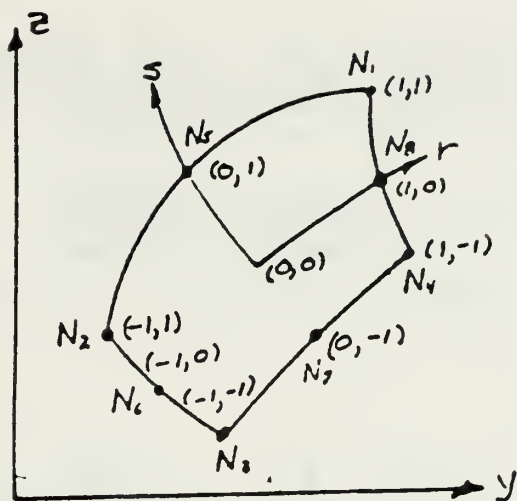
M4 (NP, 1) = Modulus of Elasticity, E
M4 (NP, 2) = Poissons Ratio, ν
M4 (NP, 3) = Thickness of the element
M4 (NP, 4) = Mass density of the element
NP is the material identification number

N1 and N2 are the number of integration points in the r and s directions respectively.

One card for each 3 to 8 node element in the group must follow the operation card. The card is punched in a (1)I5,6F5.0) format and contains the following information:

Columns	Contain
1 - 5	element identification number
6 - 10	Node number N1
11 - 15	Node number N2
16 - 20	Node number N3
21 - 25	Node number N4
26 - 30	Node number N5
31 - 35	Node number N6
36 - 40	Node number N7
41 - 45	Node number N8
46 - 50	Material identification number, NP
51 - 55	Natural coordinate of stress output r1
56 - 60	Natural coordinate of stress output s1
61 - 65	Natural coordinate of stress output r2
66 - 70	Natural coordinate of stress output s2
71 - 75	Natural coordinate of stress output r3
76 - 80	Natural coordinate of stress output s3

N4 through N8 are optional. The midside nodes, if present, must be within center half of side. The local numbering system for the element is shown in the following figure.



ISOPARAMETRIC ELEMENT

Stresses will be printed by the FORCE operation at the three points defined in columns 51 through 80. The forces are defined as follows:

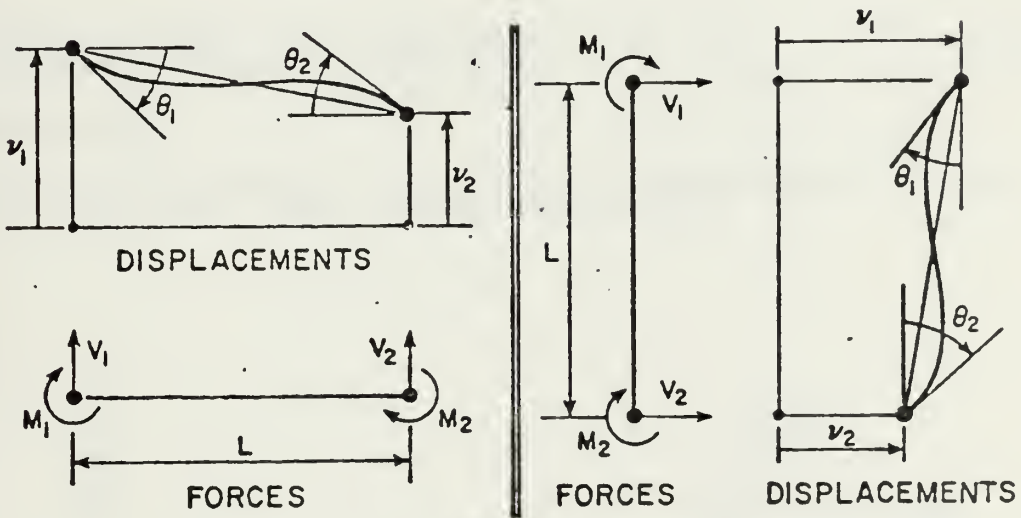
$$\begin{bmatrix} F_1 \\ F_2 \\ F_3 \\ F_4 \\ F_5 \\ F_6 \\ F_7 \\ F_8 \\ F_9 \end{bmatrix} = \begin{bmatrix} \tau_{xx}(1) \\ \tau_{yy}(1) \\ \tau_{xy}(1) \\ \tau_{xx}(2) \\ \tau_{yy}(2) \\ \tau_{xy}(2) \\ \tau_{xx}(3) \\ \tau_{yy}(3) \\ \tau_{xy}(3) \end{bmatrix}$$

SLOPE, M_1

This operation forms a 4 x 4 stiffness matrix, M_1 for a beam or column member from the classical slope-deflection equations. The properties of the member are defined on one card immediately following the operation. This second card is punched in a (3F10.0) format and contains the following information:

Columns	Contain
1 - 10	Moment of Inertia, I
11 - 20	Modulus of Elasticity, E
21 - 30	Length of Member, L

The sign convention is defined as follows:



The member forces are defined in terms of joint displacements by the following slope deflection equations.

$$M_1 = \frac{EI}{L} \left[4\theta_1 + 2\theta_2 - \frac{6}{L} (v_1 - v_2) \right]$$

$$M_2 = \frac{EI}{L} \left[2\theta_1 + 4\theta_2 - \frac{6}{L} (v_1 - v_2) \right]$$

$$V_1 = -V_2 = \frac{M_1 + M_2}{L}$$

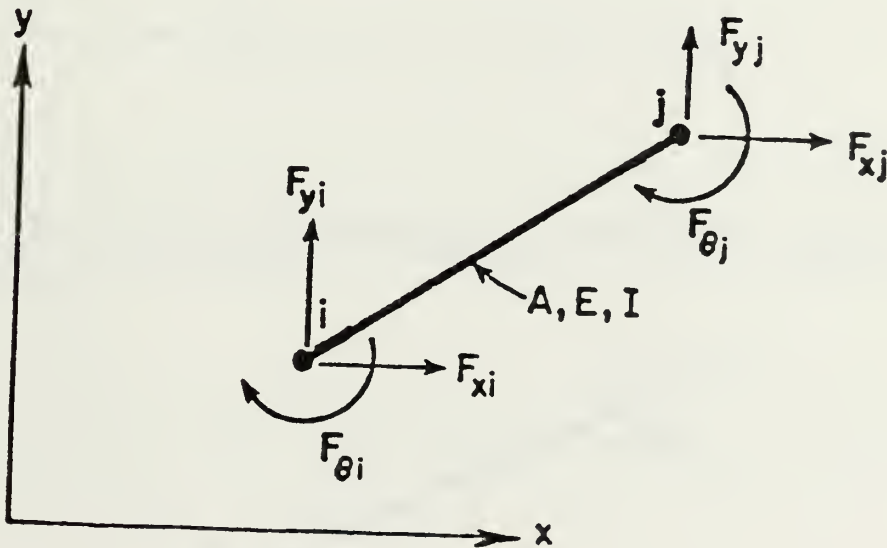
or in matrix form

$$\begin{bmatrix} M_1 \\ M_2 \\ V_1 \\ V_2 \end{bmatrix} = \frac{EI}{L} \begin{bmatrix} 4 & 2 & -\frac{6}{L} & \frac{6}{L} \\ 2 & 4 & -\frac{6}{L} & \frac{6}{L} \\ -\frac{6}{L} & -\frac{6}{L} & \frac{12}{L^2} & -\frac{12}{L^2} \\ \frac{6}{L} & \frac{6}{L} & -\frac{12}{L^2} & \frac{12}{L^2} \end{bmatrix} \begin{bmatrix} \theta_1 \\ \theta_2 \\ \nu_1 \\ \nu_2 \end{bmatrix}$$

or symbolically $P = K\Delta$ Where K is the 4 x 4 stiffness matrix defined by the name $M1$.

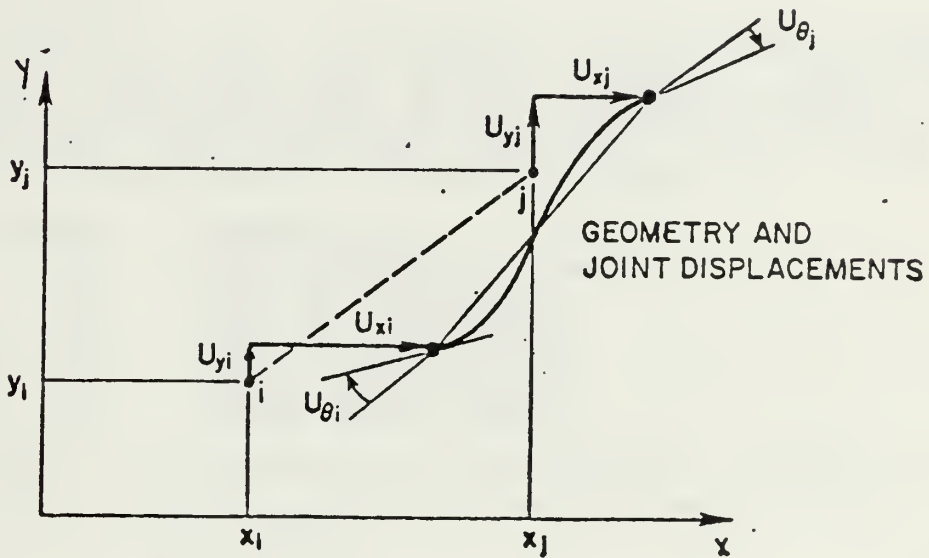
FRAME, \uparrow
 \uparrow
 $M1, M2$

This operation forms the 6 x 6 stiffness matrix $M1$ for the two-dimensional frame member shown below.

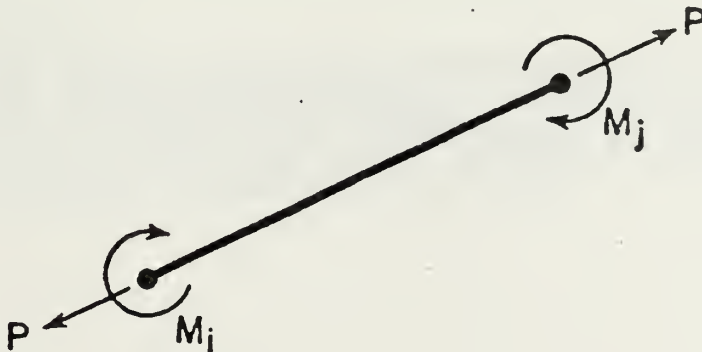


The properties of the member are defined on one card immediately following the FRAME operation card. This second card is punched in a (8P10.0) format and contains the following information:

Columns	Contain
1 - 10	Axial area, A
11 - 20	Modulus of Elasticity, E
21 - 30	Moment of Inertia, I
31 - 40	X_i
41 - 50	Y_i
51 - 60	X_j
61 - 70	Y_j



M2 is a 3 x 6 force-displacement transformation matrix which is based on the positive definition of the element forces shown below.



These forces can be calculated from the following matrix equation, with the MEMFRC operation.

$$\begin{bmatrix} M_i \\ M_j \\ P \end{bmatrix} = \underline{M2} \begin{bmatrix} U_{xi} \\ U_{yj} \\ U_{zj} \\ U_{xj} \\ U_{yj} \\ U_{zj} \end{bmatrix}$$

LOADS, M1, M2, N1

This operation forms a load matrix named M1 of N1 columns (N1 load conditions) where M2 is the name of the boundary condition array generated by the operation BOUND. This operation is followed by a series of cards - one for each loaded joint for each load condition. These cards are punched in (2I5,6F10.0) format as follows:

Columns	Contain
1 - 5	Joint number
6 - 10	Load condition number
11 - 20	Load in X-direction
21 - 30	Load in Y-direction
31 - 40	Load in Z-direction
41 - 50	Moment about X-axis
51 - 60	Moment about Y-axis
61 - 70	Moment about Z-axis

This series of cards must be terminated by a blank card.

ADDSF, M1 or ADDSF, M1, M2

This operation forms the total stiffness matrix named M1 and a lumped mass matrix named M2 for the structural system from the element stiffness and mass matrices which are stored on low speed storage. These matrices can be printed with the PRINT operation. If M2 is not specified, the row mass matrix M2 will not be formed.

ADDK, M1, M2, M3, N1

This operation adds the element stiffness matrix named M2 to the total stiffness matrix named M1, where M1 was previously defined and initially set to zero. M3 is the name of the integer array in which the column number N1 contains the row or column numbers in the total stiffness matrix where the element stiffness terms are to be added.

MEMFRC, M1, M2, M3, M4, N1

This operation multiplies the element stiffness matrix named M1 by the joint displacement matrix named M2. M3 is the name of the integer array in which the column number N1 contains the row numbers in the displacement matrix, M2, which are to be multiplied by the element stiffness (or force-displacement) matrix, M1. The results of this multiplication are stored in the array named M4.

DISPL, M1, M2

This operation prints the displacement named M1 in joint sequence order, where M2 is the name of the boundary condition array.

FORCE, M1, M2, M3 or FORCE, M1; M2

This operation calculates the member forces for a group of elements in which

M1 is the name of the element group
M2 is the displacement matrix
M3 is the name of the matrix in which the forces are stored in the order calculated. If this array is not specified, the element forces will be printed only and will not be retained in storage. For the TRUSS element, only the member axial force, F, will be calculated for each member. For the BEAM element, eight forces will be printed with reference to the positive definition shown in the BEAM operation.

C. DYNAMIC ANALYSIS OPERATIONS

The following operations were designed to evaluate the dynamic response of structures subjected to arbitrary time-dependent loads. If these operations are used in connection with the standard matrix operations and the structural analysis operation, a dynamic analysis is a relatively simple procedure. The user has the option of using the mode superposition method or a direct step-by-step integration of the dynamic equations of motion. The user may examine the spectra of both input loading and calculated displacements. In addition, the contributions of the individual modes may be evaluated and compared.

The most common and convenient form for time-dependent data to be specified is as straight line segments between given time points. Therefore, an operation which generates values at equal intervals is necessary. Another common characteristic of time-varying loads on structures is that it is normally possible to represent the loads at all points on the structure by the product of two matrices, a column matrix indicating the spacial distribution of loads times a row matrix which indicates the values as a function of various times. If a more complicated loading is required, it is possible to perform more analyses, each within the restrictions of the program, and then add the results of each analysis.

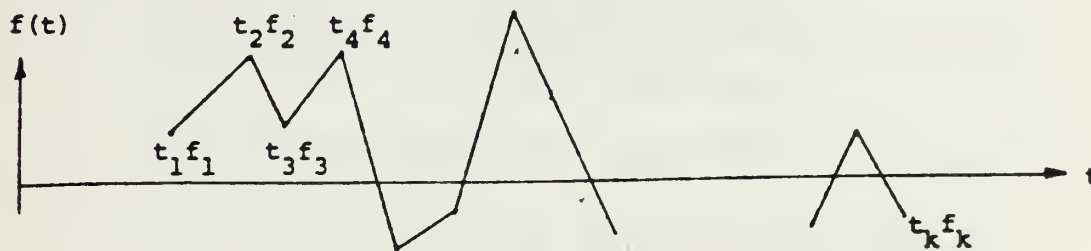
The following operations have been added for the major purpose of performing dynamic analysis.

PUNG, M1, M2, M3, N1, N2

This operation generates a matrix named M2 which contains values at equal intervals of the function specified in the array named M1. The array M1 must be a 2 by k array of the form:

$$M1 = \begin{bmatrix} t_1 & t_2 & t_3 & \dots & t_k \\ f_1 & f_2 & f_3 & \dots & f_k \end{bmatrix}$$

which numerically represents a function of the form shown below:



The time interval Δt is specified in the 1 x 1 matrix named M3. N1 specifies the total number of values to be generated, and is the number of columns in M2. If N2 = 0, the array M2 will be a 1 x N1 row matrix in which the first value will be f. If N2 = 0, the array M2 will be a 2 x N1 matrix of the following form:

$$M2 = \begin{bmatrix} t_1 & t_1 + \Delta t & t_1 + 2\Delta t & \dots & \dots \\ f_1 & f(t_1 + \Delta t) & f(t_1 + 2\Delta t) & \dots & \dots \end{bmatrix}$$

STEP, $\bar{M}_1, \bar{M}_2, \bar{M}_3, \bar{M}_4, \bar{M}_5, \bar{M}_6, \bar{M}_7, \bar{M}_8, N_1, N_2$

This operation calculates the dynamic response of a structural system using direct step-by-step integration of the following linear matrix equation of motion:

$$\ddot{M}\ddot{U} + \dot{C}\dot{U} + KU = R(t) = PF(t)$$

Where

M1 is the name of the N x N stiffness matrix K
M2 is the name of the N x N mass matrix M
M3 is the name of the N x N damping matrix C
M4 is the name of the N x 3 initial condition matrix U in which:

U (I, 1) is a vector of displacements U
U (I, 2) is a vector of velocities \dot{U}
U (I, 3) is a vector of accelerations \ddot{U}
M5 is the name of the N x N2 matrix of calculated displacements in which column "i" represents the displacements at time $i \cdot N_1 \cdot \Delta t$
M6 is the name of the N x 1 load distribution matrix P
M7 is the name of the 1 x k row matrix representing the load multipliers at equal time increments Δt , where $k = N_2 / N_1$
M8 is the name of the 1 x 1 matrix containing Δt
N1 is the output interval for the displacements
N2 is the total number of displacement vectors to be calculated.

The total time for which results will be calculated by this operation is $N_1 \cdot N_2 \cdot \Delta t$. This operation must be followed with one data card in (3F10.0) format containing the following information:

Columns	Contain
1 - 10	DELTA
11 - 20	ALPHA
21 - 30	THETA

Different values of delta, alpha and theta will allow the user to select different methods of step-by-step integration. The following table lists some possibilities:

	DELTA	ALPHA	THETA
Newmarks Average Acceleration	1/2	1/4	1.0
Linear Acceleration	1/2	1/6	1.0
Wilson's Theta Method (low damping)	1/2	1/6	1.42
Wilson's Theta Method (high damping)	1/2	1/6	2.0

EIGEN, M1, M2, M3, N1

This operation solves the following eigenvalue problem:

$$K\phi = M\phi\lambda$$

In which the $N \times N$, symmetric, positive-semidefinite matrix K is named M1. The matrix M is a diagonal matrix of nonzero, positive terms designated by M3. The matrix M3 must be a row or column matrix containing only the diagonal terms of M . The eigenvalues, λ , are stored in matrix M3. The eigenvalues are ordered in numerically increasing order and the eigenvectors, ϕ , are stored in the corresponding columns of the matrix M2. The number N1 specifies the approximate number of significant figures of the eigenvalues. If N1 is zero or blank, 4 figure accuracy will be used. The maximum accuracy possible is 16 figures. The use of more than 12 figure accuracy is not recommended.

The program reduces the problem to standard eigenvalue form by the following transformation

where

$$K^* = m^t K m$$

$$I = m^t M m$$

in which

$$m_i = 1/\sqrt{M_{ii}}$$

The calculated mode shapes, ϕ , are normalized as follows:

$$\phi^t M \phi = I \quad \phi^t K \phi = \lambda$$

The program uses the standard Jacobi diagonalization method to solve for all eigen values and eigenvectors.

DYNAM, M1, M2, M3, M4, M5, M6, N1

This operation evaluates the following set of uncoupled second order differential equations associated with the mode superposition method for the dynamic analysis of a structural system.

$$\ddot{x}_i + 2\lambda_i \omega_i \dot{x}_i + \omega_i^2 x_i = P_i(t) \quad i = 1 \text{ to } N \text{ nodes}$$

M1 is the name of a row or column matrix which contains the N terms (frequencies in rad/sec). M2 is the name of a row or column matrix which contains the N λ_i terms (ratio of modal damping to critical damping).

The generalized time-varying forces $P_i(t)$ are not specified directly but are evaluated from more fundamental information. The forces for all modes are evaluated at specific times by the program from the following matrix equation:

$$P = p * f = M3 * M4$$

In which p is a specified $N \times 1$ vector named M3, and f is a $1 \times N1$ row matrix which will be generated from the 2 by k array named M4. The array M4 is the same form as the input array described under the operation FUNG. It is not necessary to use FUNG before the DYNAM operation.

M5 is the name of the $N \times N1$ array which contains the generalized displacement $X_i(t)$.

M6 is the name of the 1×1 array which contains the time increment associated with the generalized displacements.

N1 is the number of displacements to be generated.

The method of integration used is exact for straight line segments.

PLOT, M1, N1

This operation will prepare a printer plot of selective rows of the matrix named M1. N1 is the number of rows of M1 which will be plotted by this operation. This operation is followed by N1 cards in (1A1, I4) format with the following information:

Columns	Contain
1	Plot symbol - any keypunch symbol
2 - 5	Row number to be plotted

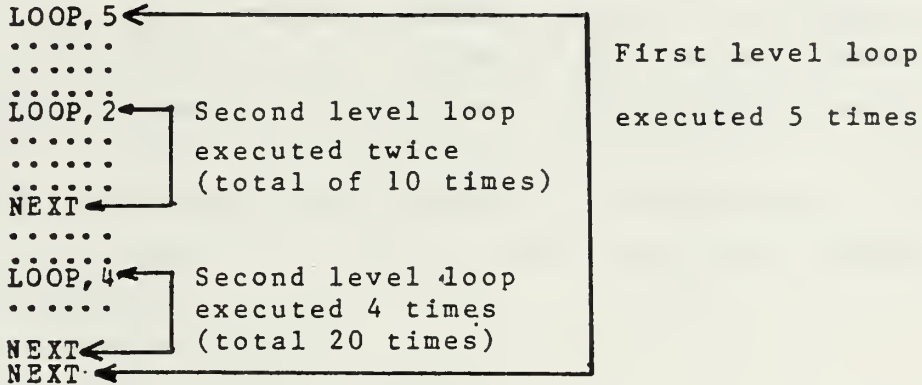
The program automatically searches the information to be plotted for the maximum and minimum values. The difference in these numbers divided by 120 spaces is selected as the plot scale.

D. LOOPING OPERATIONS

CAL has a five level looping ability. The first operation is LOOP and the last operation is NEXT. Operations within CAL are normally executed as they are encountered. If the operation requires data, the data cards follow the operation card. In the case of looping, however, all operation cards from the first LOOP card to the last NEXT card are stored within the computer before they are executed; therefore, if operations within the loops require data, the data cards must be supplied in the order required after the last NEXT operation. If an error is encountered while executing in a loop, the entire matrix of loop commands is deleted and the user is given the opportunity to try again. Matrices that have been modified by operations successfully completed while in the loop remain modified. After all loops are executed the computer storage required for these operations is automatically released by the program. The looping operations are:

LOOP, N1

N1 is the number of times the loop is to be executed. Associated with each LOOP operation there must be a corresponding NEXT operation which signifies the end of the loop and the return of the control to the beginning of the loop. The following is a possible series of looping operations.



data for all operations within all loops

NEXT, M1 or NEXT

The operation NEXT signifies the end of a loop. It is apparent which LOOP and NEXT cards are associated if there are an equal number of each. The operation NEXT, M1 will cause the loop to terminate if the first term in the matrix named M1 is negative.

SKIP, M1, N1

This operation will cause the skip of the next N1 operations if the first term in the matrix named M1 is negative. This level of looping.

E. USER DEFINED OPERATIONS

USERA and USERB

These names are reserved for operations to be defined and programmed by the user. In order to program these operations it is necessary to understand the internal organization of CAL. Chapter III contains details.

V. LARGE PROBLEMS

CAL is designed as an educational tool. It does not take advantage of banding and symmetry in matrix storage. Larger problems can be solved by increasing the dimension of the L array but a general purpose program that makes maximum advantage of out-of-core storage and takes advantage of banding and symmetry for in-core matrix storage is probably a better choice. With the above disclaimer, to increase problem size capability, increase the dimension of the L array and change the value of MAX to the new dimension size in the following:

```
C-----MAIN PROGRAM
C-----SET PROGRAM CAPACITY
COMMON NTOT,NDP,L(6000)
MTOT=5000
NDP=2
CALL SETIME
CALL CAL1
STOP
END
```

SETIME is an OS routine to initialize the CPU timer and should not be used for CP/CMS programs. With the dimension of the L array as above, the program currently executes in 144k bytes for OS and 256k bytes for CP/CMS. The region necessary for execution will increase about eight times the increase in the L array.

LIST OF REFERENCES

1. Zienkiewicz, O. C., The Finite Element Method, p. 733-756, McGraw-Hill Book Company (UK) limited, 1977.
2. Little, R. D., An Interactive Matrix Interpretive System for the IBM 360/67, M.S. Thesis, Naval Postgraduate School, Monterey, CA, 1970.
3. University of California Report No. UC SESM 77-2, CAL Computer Analysis Language for the Static and Dynamic Analysis of Structural Systems, by E. L. Wilson, January 1977.
4. Day, A.C., Fortran Techniques, Cambridge University Press, 1972.
5. Kreitzberg, C.B. and Shneiderman, B., The Elements of Fortran Style: Techniques for Effective Programing, Harcourt Blace Jovanovich, Inc., 1972.

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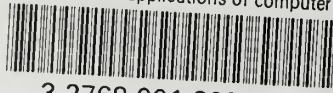
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